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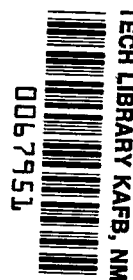
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# Wind-Tunnel Investigation of Leading-Edge Thrust on Arrow Wings in Supersonic Flow

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## SUMMARY

Six uncambered wing models were tested in the Langley Unitary Plan Wind Tunnel to identify and study leading-edge thrust at supersonic speeds. Three of the models had arrow wing planforms and the other three had their planform leading edges modified to produce constant, 100-percent thrust from the half-semispan station to the tip. Wing airfoils had a maximum thickness of 4 percent and had three bluntness ratios (Leading-edge radius)/(Chord), which varied from sharp to blunt. The tests were conducted at Mach numbers of 1.6, 1.8, 2.0, and 2.16 with a stagnation temperature of 125.0°F and Reynolds numbers per foot of  $2.0 \times 10^6$  and  $5.0 \times 10^6$ .

The test results showed that significant benefits from leading-edge thrust and nonlinear thickness effects can be generated with very little airfoil bluntness, that these benefits were lost when the airfoil was severely blunted, and that such benefits seem to be produced on wings with linear-theory-defined supersonic as well as subsonic leading edges. Predicted axial-force increments agree reasonably well with measured values when the airfoils were moderately blunt but were in poor agreement when the airfoils were sharp or very blunt. Agreement between available-thrust theoretical and experimental lift-drag polars and lift-drag ratio curves was good for wings with moderately blunt airfoils and fair for wings with sharp airfoils, but poor for wings with very blunt airfoils.

## INTRODUCTION

Leading-edge thrust has long been a vital part of subsonic wing theory, but only recently has it become accepted as potentially exploitable on wings in supersonic flow. During the early supersonic transport feasibility studies, wings were designed with thin, sharp, airfoil sections as well as other thin or slender components to minimize wave drag. These airfoils worked admirably in reducing wave drag but theoretically eliminated the generation of useful leading-edge thrust; therefore, with little or no thrust theoretically expected, none was looked for. The same situation persisted when calculation methods for optimum camber and twist were introduced and applied to supersonic-cruise wing planform design.

However, experimental data did not always support the expectations of zero leading-edge thrust. Often sizable differences between measured and predicted axial forces were found (ref. 1, typical); differences that could be explained most simply by leading-edge thrust theory. A methodology for estimating leading-edge thrust on wings in supersonic flow had been introduced in reference 2. With the use of measured pressure distributions, it provided local and total leading-edge thrust coefficients. This method was supplanted by linear-theory solutions which replaced experimental with theoretical pressure distributions (ref. 3) and utilized digital computer technology to quickly and easily calculate distributed and total thrust coefficients. An improvement (ref. 4) permitted the effects of wing thickness, leading-edge radius, and Reynolds number to be included in an estimate of attainable or realizable leading-edge thrust. These improvements were combined with linear-theory thickness effects and nonlinear thickness effects to obtain a prediction method for modified linear-theory wing analysis (ref. 5).

Since effective leading-edge thrust seemed to be generated on some though not all wings with sharp leading-edge airfoils, it appeared logical that exploitable levels of thrust could be obtained by slightly modifying existing wing features. With both theory and experiment necessary to validate this idea, a series of flat-camber wing models were designed and built. These models would be used to determine the amounts of leading-edge thrust that could be generated, assess the potential benefits of a leading-edge tailoring method suggested in reference 3, expand the data base of performance for blunt-leading-edge wings at supersonic speeds, and check the prediction capabilities of the methods which were reported in references 4 and 5.

In this paper, a wind-tunnel study of leading-edge thrust and its effect on wing performance is reported. The wing models used in the tests are described, and the features specifically incorporated to generate desired distributions of thrust are highlighted. Results of the tests and comparisons of theory and experiment are presented and discussed.

#### SYMBOLS

$A$	aspect ratio, $b^2/S$
$b$	wing span
$C_A$	total axial-force coefficient
$\Delta C_A$	$= C_A - C_{A,max}$
$C_D$	drag coefficient
$\Delta C_D$	$= C_D - C_{D,o}$
$C_L$	lift coefficient
$C_{L_{\alpha,0}}$	$\partial C_L / \partial \alpha$ at $\alpha = 0$
$C_m$	pitching-moment coefficient
$C_N$	total normal-force coefficient
$C_p$	pressure coefficient
$c$	wing chord
$\bar{c}$	mean aerodynamic chord
$c_a$	section axial-force coefficient
$c_n$	section normal-force coefficient
$c_t$	section leading-edge thrust coefficient
$L/D$	lift-drag ratio, $C_L/C_D$

$k_1, k_2, k_3, k_4$  airfoil equation constants in figure 1(c) and table I

M	free-stream Mach number
p	pressure, lb/ft <sup>2</sup>
R	Reynolds number per foot
r	leading-edge radius along free-stream direction (see table I)
r <sub>b</sub>	body radius (see table I)
S	reference area, 300.0 in <sup>2</sup>
T	temperature, °F
t	maximum wing thickness
x	distance along longitudinal axis
x'	longitudinal distance aft of leading edge
x <sub>b</sub>	longitudinal distance to aft end of body (figs. 1(a) and (b))
x <sub>t</sub>	longitudinal distance to leading edge of wing tip (figs. 1(a) and (b))
y	distance along spanwise axis
z	distance normal to X-Y symmetry plane in right-hand coordinate sense
α	angle of attack, deg
Δα	= α - α <sub>sym</sub>
β	= (M <sup>2</sup> - 1) <sup>1/2</sup>
β cot Λ <sub>le</sub>	= $\frac{\tan (90^\circ - \Lambda_{le})}{\tan \mu}$
Δ	increment
Λ <sub>le</sub>	leading-edge sweep angle, deg
μ	Mach angle, deg
ξ	= x'/c

Subscripts:

LT	linear theory
le	leading edge
max	maximum

min	minimum
NLT	nonlinear theory
NL,THK	nonlinear corrections due to wing thickness only
o	conditions at zero lift
r	root chord
s	stagnation conditions
sym	symmetry point on axial-force curves

## MODELS

### Design

Two wing planforms were chosen for the leading-edge thrust study: a reference planform and a thrust-limited planform. The reference planform was an arrow wing chosen because the analytic solutions for lift, drag, and 100-percent leading-edge thrust were readily available. A thrust limit (desired spanwise variation), for a design Mach number of 1.6, was imposed on the second planform after an analysis of data from references 1 and 6 showed that on uncambered, subsonic leading-edge wings, inboard-generated upwash tends to separate the outboard-wing air flow at modest angles of attack. This limit, explained in the section "Description," resulted in a gradual unsweeping of the leading edge which, as hypothesized in reference 3, would permit flow to remain attached at angles of attack beyond the range of small to modest.

### Description

Figure 1 shows the reference arrow wing, the thrust-limited modified arrow wing, and the airfoils used on these wings. Table I has the dimensions associated with these wings. Both wing planforms had the same span, wing area, inboard sweep angle, and balance body. They differed mainly in the outer wing section where the modified arrow leading edge was unswept to achieve a constant value of 100-percent leading-edge thrust from half-semispan to tip. The airfoils had a maximum thickness of 4 percent at 45 percent of chord. Leading-edge bluntness, designated by  $(r/c)_{le}$ , was set at three values: "sharp,"  $(r/c)_{le}$  of about 0.0005 but, ideally, of 0.0; medium blunt,  $(r/c)_{le} \approx 0.00235$ ; and blunt,  $(r/c)_{le} \approx 0.00470$ . Note expanded scale in figure 1(c) which was used to show the relative bluntness of the airfoils. Figure 2 shows the spanwise thrust variation (thrust limit) and its effect on leading-edge parameters at the design Mach number of 1.6. The method described in reference 3 was used to compute the modified leading edge, but the method of reference 5 was used to analyze the wing performance because this modified method became available about the time that the wind-tunnel tests were performed.

## TEST CONDITIONS

The tests were conducted in the 4- by 4-foot low supersonic speed test section of the Langley Unitary Plan Wind Tunnel. Aerodynamic force measurements were made

with the models in Mach 1.6, 1.8, 2.0, and 2.16 flow. To insure turbulent flow over the wing surfaces, a No. 50 size grit was applied along a 0.0625-in.-wide band 0.125 in. behind and normal to the leading edges. Reynolds numbers per foot of  $2.0 \times 10^6$  and  $5.0 \times 10^6$  were used in the tests. The lower Reynolds number was used on all models at all test Mach numbers whereas the higher Reynolds number was used only on the arrow wing models at Mach numbers of 2.0 and 2.16. Originally, the arrow wing models were scheduled to be tested at the higher Reynolds number at all test Mach numbers. However, the test-section angle-of-attack mechanism was unable to maintain model attitude, so data at Mach 1.6 and 1.8 were not obtained. Stagnation temperature and pressures are shown in the following table:

M	R	$T_s, ^\circ\text{F}$	$p_s, \text{lb/ft}^2$
1.6	$2.0 \times 10^6$ ↓	125.0 ↓	1078.6
1.8			1153.8
2.0			1253.2
2.16			1349.0
1.6	$5.0 \times 10^6$ ↓	↓	2697.0
1.8			2885.0
2.0			3134.0
2.16			3373.0

In table II, the test combinations of Mach numbers and Reynolds numbers are given. Base pressure was recorded and used to correct the force and pitching-moment data to free-stream conditions. Strain-gage accuracy and test data repeatability established average data limitations as follows:

Coefficient	Accuracy at R of -	
	$2.0 \times 10^6$	$5.0 \times 10^6$
$C_N$	$\pm 0.0040$	$\pm 0.0020$
$C_A$	$\pm 0.0003$	$\pm 0.0002$
$C_m$	$\pm 0.0010$	$\pm 0.0004$

## RESULTS

Wind-tunnel data from the six wing models at Mach numbers of 1.6, 1.8, 2.0, and 2.16 are recorded in tables III through VIII. They were corrected for normal-force and moment flow-angularity effects as well as balance-bore misalignment. No corrections were made for grit drag since it was assumed to be small and well within the accuracy limits of the instrumentation.

Although conventional correction techniques removed flow-angularity effects from the normal-force and moment data, they did not simultaneously remove these effects

from the axial-force data. It is shown in subsequent sections why this occurred and how the axial-force data were treated to obtain meaningful information on leading-edge thrust.

A sampling of data was extracted and used to prepare figures 3 to 6 which are plots of  $(C_{L_{\alpha,0}})^{-1}$ ,  $C_{m,0}$ ,  $\Delta C_m / \Delta C_L$ , and  $C_{D,min}$  as a function of  $M$  and  $(r/c)_{le}$ . These parameters provide information on the merits of planform, camber and twist (if any), and thickness. Figure 3 shows measured  $(C_{L_{\alpha,0}})^{-1}$  for comparing the relative performance of the two planforms and three bluntness ratios at the test Mach numbers. For a flat camber wing which is not generating leading-edge thrust,  $(C_{L_{\alpha,0}})^{-1}$  and the drag-due-to-lift parameter  $(\Delta C_D / C_L^2)_0$  are equal. When both leading-edge thrust and vortex effects are present,  $(\Delta C_D / C_L^2)_0$  will usually be less than  $(C_{L_{\alpha,0}})^{-1}$ . Since thrust effects are discussed later, values of  $(C_{L_{\alpha,0}})^{-1}$  were compared to determine whether nonlinear bluntness and/or thickness effects were present as an influence on planform performance.

The data in figure 3 suggest that leading-edge bluntness is a nonlinear factor in  $(C_{L_{\alpha,0}})^{-1}$ , which changes very little with Mach number. These differences in  $(C_{L_{\alpha,0}})^{-1}$  could be caused by variations in distance between shock and wing leading edge. Leading-edge local Mach numbers would then vary with bluntness, and the effect would be felt across the entire wing surface. None of this would influence  $C_{m,0}$  which is camber-surface sensitive. In figure 4,  $C_{m,0}$  is seen to be about zero (within measurement tolerances); this indicates that the wing camber surfaces are effectively flat plate. The zero-lift stability parameter  $(\Delta C_m / \Delta C_L)_0$  (fig. 5) shows both expected and unexpected variations with Mach number, planform, and bluntness. For both wing planforms, the sharp and medium-blunt airfoil data have similar levels and trends as the Mach number increases. Data for the blunt airfoil parallel and almost overlay the data for the sharp and medium-blunt airfoils on the modified arrow wing but are separated by a sizable gap for the arrow wing in figure 5(a). A closer examination of this bluntness effect is shown in figure 5(b). The modified arrow wing  $(\Delta C_m / \Delta C_L)_0$  is seen to be virtually constant across the range of bluntness parameter -  $(r/c)_{le}$  between 0.0005 and 0.00470. For the arrow wing,  $(\Delta C_m / \Delta C_L)_0$  is almost constant between  $(r/c)_{le} = 0.0005$  and 0.00235 but then increases markedly between  $(r/c)_{le} = 0.00235$  and 0.00470. This sensitivity is probably caused by the inherently conical nature of attached flow over arrow wings. Effects of leading-edge bluntness which are introduced at the wing apex spread over the whole wing. In contrast, the decreasing leading-edge sweep on the modified arrow wing alters the conical nature established at the apex and spreads these modified effects over a proportionately larger outboard wing area.

Similar thickness effects are evident in the comparisons of  $C_{D,min}$  in figure 6. Data for the blunt and medium-blunt arrow wings in figure 6(a) are coincident at Mach 1.6 and 1.8. Beyond Mach 1.8, the data for the medium-blunt wing change in trend from the data for the blunt wing and continue to decrease at Mach 2.0 and 2.16 in a manner paralleling the data for the sharp wing. Figure 6(b) shows nearly the same data for the sharp and the medium-blunt modified arrow wing, which are noticeably separated from and less than the data for the blunt wing at all test Mach num-



bers. The sensitivity of the arrow wing to leading-edge bluntness, which was noted in figure 5(b) for  $(\Delta C_m / \Delta C_L)_0$  is also seen in figure 6(c). Compared with the data for the sharp and the blunt leading edges, the  $C_{D,min}$  data for the medium-blunt leading edge are unusually close at Mach 1.6 and 1.8. This closeness is caused by the more rapid increase in  $C_{D,min}$  for the arrow wing when  $(r/c)_{le}$  increases from 0.0005 to 0.00235 as compared with an almost static response from the modified arrow wing over the same range of Mach number and bluntness conditions.

The results in figures 3 to 6 suggest that leading-edge bluntness has some effect on lift as well as drag characteristics. This effect is probably because of the range of  $(r/c)_{le}$  used on the models - from sharp (approximately 0.0005) to 0.00470. These radius-chord values are measured in the free-stream direction. When measured normal to the wing leading edge, these values are about twice as large.

At the beginning of the section "Results," it was mentioned that the normal-force and the moment flow-angularity corrections did not simultaneously remove flow-angularity effects from the axial-force data. Theoretically, uncambered wings in uniform flow should generate axial-force data which are symmetrical about zero angle of attack. Figure 7 shows samples of experimental  $\Delta C_A$  ( $\Delta C_A = C_A - C_{A,max}$ ) plotted against  $\alpha$  for the sharp and blunt arrow wings. For sharp leading edges (figs. 7(a) and (b))  $\Delta C_A$  distributions are much more symmetrical at small angles of attack than the  $\Delta C_A$  distributions for blunt leading edges (figs. 7(c) and (d)) but still showed asymmetry at the angles of attack greater than  $\pm 5.0^\circ$ . Mach number was also a factor. The offset in angle of attack for  $\Delta C_A$  symmetry increased with test Mach number. Differences in all  $\Delta C_A$  data at angles of attack of  $+15.0^\circ$  and  $-15.0^\circ$  ranged from 0.0014 to 0.0044, but most of the  $\Delta C_A$  differences were closer to about 0.0025 than to either of the extreme values. Errors in  $C_D$  caused by these variations were no worse than about 2.5 percent.

An examination of the models revealed no significant surface departures from design symmetry, and the plots of  $C_{m,0}$  (fig. 4), did not suggest the presence of camber or twist; therefore, the asymmetry of the axial-force data was hypothesized as due to throat asymmetry in the Unitary Plan Wind Tunnel design. This idea was verified by reference 7 and by an analysis which showed that the tunnel upwash fields could produce the data asymmetry. Since the amount of work required to obtain upwash field corrections for each model at each angle of attack, Mach number, and Reynolds number was found to be excessive, the origin for  $\Delta C_A$  plotted against  $\alpha$  was shifted to a "symmetry" point  $\alpha_{sym}$ . Consequently, both model-upright and model-inverted axial-force coefficients were used to generate a band rather than a line of experimental data. In this modified format,  $\Delta C_A$  plotted against  $\Delta\alpha$  ( $\Delta\alpha = \alpha - \alpha_{sym}$ ), data could be compared with theoretical predictions with the expectation that meaningful conclusions could be made.

Comparisons of theory and experiment presented in the section "Analysis and Discussion" are interpreted in the light of current supersonic wing theory. In these comparisons, the effects of wind-tunnel upwash are obvious. Nevertheless, the trend and magnitude of these upwash effects can be seen as small compared with the axial forces generated by the wings.

## ANALYSIS AND DISCUSSION

Supersonic wing performance is conventionally analyzed by computing lift and drag-due-to-lift contributions on a zero-thickness wing, and adding zero-lift wave drag plus skin-friction drag components. By adding suitable modifications to

linearized theory along the avenues of the analysis outlined in reference 5, the aerodynamic performance estimates of wings can include nonlinear thickness effects. Some insight can be obtained about the magnitude and behavior of these nonlinear forces from comparison of measured and predicted  $\Delta C_A$  at  $\Delta\alpha = 5.0^\circ$  over the test Mach number range. Negative  $\Delta C_A$  is shown to be caused by more than just leading-edge thrust. Comparisons of measured and predicted  $\Delta C_A$  are examined to determine both the levels of axial force obtained and the capabilities of linear and nonlinear methods to estimate the magnitude and behavior of the various contributions. After the predicted and measured  $\Delta C_A$  of each wing are compared, plots of  $\Delta C_A$  at  $\Delta\alpha = 5.0^\circ$  as a function of leading-edge bluntness parameter  $(r/c)_{le}$  and  $\beta \cot \Lambda_{le}$  are presented so that possible optimum values of blunting can be sought. The hypothesis concerning the advantages of a thrust-limited leading edge over a straight leading-edge planform is examined in another set of plots of  $\Delta C_A$  as a function of  $\Delta\alpha$  at the design Mach number of 1.6. In the final set of figures, measured and predicted lift-drag ratios and lift-drag polars are compared.

### Nonlinear Effects

Wind-tunnel and theoretical values of  $\Delta C_A$  at  $\Delta\alpha = 5.0^\circ$  are compared in figure 8. The theory is only for leading-edge thrust which becomes zero at Mach 2.0 - the linear-theory sonic leading-edge condition. At Mach 1.6, there is trend agreement between available thrust and measured  $\Delta C_A$ . However, agreement in magnitude varies from poor to reasonably good. At and beyond Mach 2.0, trend and magnitude agreement disappears, for although theoretical  $\Delta C_A$  due to leading-edge thrust becomes zero, experimental  $\Delta C_A$  is still finite. These nonlinear effects can be explained in a general way by an analysis based on figure 9.

On the left-hand side of figure 9, linear theory assumes a Mach cone at the wing apex. In the standard method for calculating lift and drag due to lift, the wing has a flat camber surface, and airfoil thickness contributes only wave drag. Hence, the flow is pictured as attached to the leading edge all along the span but with an upwash component that is mathematically singular. The plots of  $C_p$  against  $x$  and  $C_p$  against  $z$  show the influence of this singularity.

On the right-hand side of figure 9, a more realistic nonlinear theory places a shock surface at the wing apex so that at stations along the semispan leading edge, a Mach number less than free-stream value is felt. The flow stagnation point is now at a small distance behind and under the leading edge. Part of the flow continues along the chord while the other part goes around the leading edge to produce a locally negative  $\Delta C_A$  due to leading-edge thrust as long as it stays attached to the wing surface. No leading-edge singularity is present; therefore, these local normal and axial forces will be less than linear theory values. Local pressures are also constrained by real-flow vacuum limitations. Therefore, the normal and axial forces predicted by a nonlinear theory will be less than those from linear theory.

Since the analysis method of reference 5 is a modified linear theory, a separate calculation of leading-edge thrust is required just as with regular linear theory. However, the corrections mentioned previously, the vacuum limit on negative  $C_p$  values and the estimates of nonlinear thickness effects, available leading-edge thrust, and vortex flow effects are included. The superposition of these nonlinear thickness effects on the available thrust (fig. 8) is seen in figure 10. Since the curve for 100-percent leading-edge thrust is only for reference, nonlinear effects are not added to it.

Agreement between measured and predicted  $\Delta C_A$  values and trends is reasonably good for the medium-blunt wing across the test Mach number range, and good for the very blunt wing for Mach numbers greater than about 1.9. Although the magnitude is still underpredicted for the sharp-leading-edge wing, the trends are in good agreement. Thus, a significant contribution to negative  $\Delta C_A$  can come from nonlinear thickness influences. Typical behavior with angle of attack is shown in figure 11 for the wing models at a Mach number of 1.6 with the nonlinear values of  $\Delta C_A$  due to thickness predicted by the method of reference 5. It has been assumed that the flow remains attached at all angles of attack.

Linear theory would give  $\Delta C_A = 0$  at all angles of attack when the wing has a flat camber surface and is producing no leading-edge thrust. Any  $\Delta C_A$  which exceeds the nonlinear thickness values could be considered as leading-edge thrust until the angles of attack where flow separation effects become noticeable. In the next section, it is shown that this oversimplified and overoptimistic view is not always correct.

### Leading-Edge Thrust

Comparison of theory and experiment are shown in figures 12 to 17 with  $\Delta C_A$  and  $\Delta \alpha$  as the variables at each of the test Mach numbers. Since the theory curves for flat wings are symmetrical about  $\alpha = 0$ , the previously mentioned  $\Delta \alpha$  shift was used so that results at two Mach numbers could be put on each plot. The upper and lower bounds of the experimental data band are determined by model-upright and model-inverted data.

Arrow wings.— The first set of comparisons, figures 12 to 14, show theory and experiment for the reference arrow wings. Available leading-edge thrust theory predicts that little or no thrust is generated by sharp-leading-edge wings; a preplanned reference condition against which the blunt-wing data were to be compared. Figure 12 reveals that the ability of the sharp-leading-edge wing to generate negative  $\Delta C_A$  is underestimated by the nonlinear thrust theory. The experimental  $\Delta C_A$  is considerably larger than that predicted at subsonic leading-edge test Mach numbers (fig. 12(a)). Obviously, a true zero-radius leading edge cannot be put on a real wing; thus,  $(r/c)_{le} \approx 0.0005$  which was used to obtain the theory curves was an approximate bluntness value. Additional departures from expectations were noted at Mach 2.0 and 2.16 (fig. 12(b)) where linear theory predicts a sonic and a supersonic leading edge, respectively, and no leading-edge thrust. Perhaps the nonlinear thickness effects are being underestimated, or real flow effects due to the apex-attached shock wave are permitting substantial leading-edge thrust generation at these test Mach numbers.

Although the available leading-edge thrust for the sharp-leading-edge wing was underpredicted, the trends in the experimental and theoretical curves are in close agreement. It may be that local Reynolds number effects are producing an artificial leading-edge-radius phenomenon at the nose of a sharp airfoil. Since the data base was built mainly on results from airfoils in the medium-blunt category, the experimental and theoretical  $\Delta C_A$  curves from these arrow wings should be in close agreement.

This supposition is verified in figure 13(a) where the agreement is seen to be very good. However, the sonic and supersonic leading-edge theoretical decrements seen in the sharp-leading-edge wing comparison (fig. 12(b)) appear again in fig-

ure 13(b). The difference between experiment and theory in this moderately blunt-leading-edge data is smaller than in the sharp-airfoil data.

Comparisons of theory and experiment for the blunt-leading-edge wing (fig. 14) show that the theory is overpredicting leading-edge thrust and nonlinear thickness benefits at Mach 1.6 and 1.8 but is in closer agreement with experiment at Mach 2.0 and 2.16. Figure 14 seems to clearly demonstrate that from a viewpoint of leading-edge thrust, blunting can easily be overdone. However, it is also possible that both leading-edge thrust and nonlinear thickness effects are overpredicted.

With these comparisons (figs. 12 to 14), the relative merits of increasing leading-edge bluntness can be seen and understood. The sharp- and medium-blunt-leading-edge wings are providing exploitable amounts of leading-edge thrust while suffering relatively small nonlinear disturbance penalties. On the blunt wings, however, negative  $\Delta C_A$  appears to be caused mostly by nonlinear thickness effects and the predicted thrust levels may not be experimentally realized.

Modified arrow wings.— The second set of comparisons (figs. 15 to 17) shows theory and experiment for the modified arrow wings. Very similar to the observations made from the arrow-wing plots, the leading-edge thrust is underpredicted on the sharp wing (fig. 15), fairly well predicted on the medium-blunt wing, (fig. 16), and overpredicted on the blunt wing (fig. 17). It is again seen that nonlinear thickness effects grow in importance with increases in airfoil bluntness, and that negative  $\Delta C_A$  is apparently being generated at sonic and supersonic leading-edge conditions; these contributions (both thrust and nonlinear thickness effects) disappear with increasing bluntness.

However, another aspect of leading-edge thrust, probably nonlinear in origin, appeared in the comparisons of experimental and theoretical data for the modified arrow wing. At low angles of attack, the sharp and, to a lesser extent, the medium-blunt wings are generating more than 100-percent theoretical leading-edge thrust. Even with the nonlinear, thickness-induced correction added to the 100-percent reference curve, the wing appears to be outperforming theory by a small increment. This phenomenon is seen clearly at Mach 1.8 in figure 15(a), is almost lost at Mach 1.8 in figure 16(a), and is gone at Mach 1.8 in figure 17(a).

At Mach 1.8, linear theory predicts that the inboard panels have subsonic leading edges, the outboard section has a supersonic leading edge, and the section at about 0.72 semispan has a sonic leading edge where leading-edge thrust goes to zero and remains at zero out to the wing tip. If local nonlinear effects are changing the Mach number normal to the leading edge enough to permit effective subsonic conditions to extend beyond the sonic condition station, then thrust will continue to be generated at stations which have a slightly supersonic leading edge. Since the leading-edge sweep is decreasing so gradually on these modified arrow wings, this hypothesis seems to be correct and suggests an area for further study.

Airfoil bluntness.— Thus far, it has been seen that negative  $\Delta C_A$  - available leading-edge thrust plus nonlinear thickness effects - has been generated on wings with linear-theory-defined subsonic and supersonic leading edges. At the heart of both of these contributions is leading-edge bluntness. A comparison of  $\Delta C_A$  at  $\Delta\alpha = 5.0^\circ$  for the different values of  $(r/c)_{le}$  and wing planforms is shown in figure 18. These  $\Delta C_A$  values were the conservative data from figures 12 to 17, and  $\Delta\alpha = 5.0^\circ$  was selected because it was close to the  $(L/D)_{max}$  point on most of the wing models. In figure 19,  $\Delta C_A$  at  $\Delta\alpha = 2.0^\circ$  is also shown to examine conditions where available and full leading-edge thrust are, in theory, nearly equal. An

average  $(r/c)_{le}$  of 0.0005 was used for the sharp airfoil wings. Since this is an approximate value, a dashed line was sketched in figure 18 between the nonlinear  $\Delta C_A$  value at  $(r/c)_{le} = 0.0$  and the total  $\Delta C_A$  value at  $(r/c)_{le} = 0.00235$ .

On the three plots (figs. 18(a) to (c)), a maximum negative  $\Delta C_A$  was found in a range  $0.0005 < (r/c)_{le} < 0.0010$ . There are indications that this value is both Mach number and Reynolds number dependent. However, the high Reynolds number data are too sparse, the spread in wing  $(r/c)_{le}$  too coarse, and the influence of test section upwash too apparent to permit definite conclusions to be made. There seems to be just enough data to suggest further studies in this area. In figure 19,  $\Delta C_A$  from experiment and nonlinear theory for the arrow wings is compared over the bluntness range at Mach 1.6 and at  $\Delta\alpha = 2.0^\circ$  and  $5.0^\circ$ . At  $\Delta\alpha = 2.0^\circ$ , the theory curve increases much slower than at  $5.0^\circ$ , and fairly good agreement between predicted and measured  $\Delta C_A$  is seen over a bluntness range of  $0.0 < (r/c)_{le} < 0.0030$ . However, at  $\Delta\alpha = 5.0^\circ$ , good agreement is seen over a more restricted range of about  $0.0010 < (r/c)_{le} < 0.0025$ . At  $(r/c)_{le} = 0.00470$ , theory and experiment curves are diverging with the spread being more exaggerated at  $\Delta\alpha = 5.0^\circ$ . These comparisons suggest that thrust is being lost less rapidly for sharp leading edges and the nonlinear thickness effects are overestimated for subsonic leading edges and very blunt airfoils.

Another aspect of bluntness is its effect on  $\Delta C_A$  at various values of  $\beta \cot \Lambda_{le}$ . Data for the arrow wing are plotted in figure 20 and show that the gap in  $\Delta C_A$  narrows for the sharp and medium-blunt wings as  $\beta \cot \Lambda_{le}$  decreases. At the same time, the magnitude of  $\Delta C_A$  is increasing with decreasing  $\beta \cot \Lambda_{le}$  for all the bluntness ratios tested but most rapidly for the medium-blunt airfoil. Since a decrease in  $\beta \cot \Lambda_{le}$  provides a lower Mach number normal to the leading edge and a higher potential for thrust generation, the plot suggests, again, that airfoil bluntness can easily be overapplied.

Reynolds number.— It was mentioned earlier that the Reynolds number data were too sparse to permit any firm conclusions to be made. Figure 21 shows this clearly but also suggests that further gains in performance will be made for the less blunt rather than the more blunt airfoils.

Planform effects.— The purpose of the modified leading-edge wing models was to determine if leading-edge thrust benefits and attached flow could be maintained at the higher angles of attack. Comparisons of experimental  $\Delta C_A$  plotted against  $\Delta\alpha$  at Mach 1.6 for the two planforms are presented in figure 22. In each case, the sharp, medium-blunt, or blunt arrow wing is compared with its modified arrow wing counterpart. Mach 1.6 data only are shown because this was the design condition for the leading-edge modification. A  $\Delta\alpha$  scale was used and peak  $\Delta C_A$  points were overlaid on each plot so as to minimize wind-tunnel upwash effects as consistently and as effectively as possible. Since overall performance was the prime consideration, no attempt to isolate available leading-edge thrust or nonlinear thickness effects was made.

In all three comparisons, data at low  $\Delta\alpha$  overlapped. This overlapping was unexpected for two reasons: (1) the arrow wing should produce 33 percent more theoretical leading-edge thrust than the modified arrow wing and (2) the nonlinear thickness effects were slightly less for the modified arrow wing than for the arrow wing. If production of available thrust were to explain this phenomenon, then it would follow that the arrow wing is losing thrust at a proportionally faster rate than the modified arrow wing. More likely, however, nonlinear thickness effects are

increasing faster on the arrow wing than on the modified arrow wing (see fig. 11) and the net result is the approximately equal negative  $\Delta C_A$  levels measured.

At the higher angles, the comparisons show that vortex generation and/or flow separation effects appear sooner on the arrow than on the modified arrow wings. The trends are noticeable although not always large and dramatic.

To the conclusions already noted, these also can be added at this point in the analysis. Very little airfoil blunting is needed to generate measurable amounts of negative  $\Delta C_A$  (leading-edge thrust and nonlinear thickness effects). If bluntness is desirable for other design conditions than supersonic cruise and/or maneuver, leading-edge sweep should be locally increased, if possible, so as to keep a high percentage of full theoretical thrust. A gradual decrease in the outboard wing sweep, on the other hand, can help keep the flow attached and delay flow separation.

### Lift-Drag Performance

Thus far, available leading-edge thrust and nonlinear thickness effects have been identified as the components of a negative  $\Delta C_A$  increment. Since the net effect was found to be significant, these influences on the drag and the lift-drag ratio should readily be seen.

Figure 23 shows measured and predicted lift-drag polars and lift-drag ratios for the six wing models at the design Mach number of 1.6 and a Reynolds number per foot of  $2.0 \times 10^6$ . The theory curves were obtained from the method of reference 5. On each plot, drag increments were added to make all theory curves agree with experiment at zero lift.

In these comparisons, the experimental data were seen to be sandwiched between the linear-theory 0- and 100-percent curves except at  $C_L > 0.5$  ( $\alpha > 10.0^\circ$ ) where increasing flow separation seriously violates the analytical model. Between these theoretical boundaries, the nonlinear available thrust curves agree well with experiment for the medium-blunt wings (figs. 23(b) and (e)). This agreement was to be expected inasmuch as the available thrust data base was derived from similar bluntness wings and is a logical consequence of the good agreement between theory and experiment seen in figures 13(a) and 16(a).

In figures 23(a) and (d), the leading-edge thrust was conservatively underpredicted; thus the drag is overestimated and the lift-drag ratio is underestimated. Granted that the agreement between theory and experiment is not as good as for the medium-blunt wings, it must be realized that these sharp-wing theory predictions would contain no unpleasant surprises when the model was tested or the configuration was flown.

Figures 23(c) and (f) show the effects of overestimated leading-edge thrust and readily demonstrate the diminished returns from overdoing airfoil bluntness. However, a closer examination reveals that even the linear, 0-percent thrust curves agree fairly well with experiment up to about  $C_L \approx 0.4$  ( $\alpha \approx 8.0^\circ$ ).

The increment between experimental and zero-thrust, nonlinear theory  $(L/D)_{\max}$  shows the benefits accruing from small-to-moderate leading-edge blunting. These increments are as much as  $\Delta(L/D)_{\max} \approx 0.48$  on these models and are obtained with little or no drag penalties. Since some airfoil bluntness is desirable for various

aspects of subsonic flight, it would seem logical to tailor this bluntness so as to be useful in the supersonic regime also.

#### CONCLUDING REMARKS

A wind-tunnel study has been performed to measure and identify the leading-edge thrust being generated on six wing models in supersonic flow and determine its effects on overall performance. Test data were measured at Mach numbers of 1.6, 1.8, 2.0, and 2.16 and at Reynolds numbers per foot of  $2.0 \times 10^6$  and  $5.0 \times 10^6$ . Asymmetric upwash field effects were found in the axial-force data and, since they could not be readily removed at each angle of attack and Mach number condition, were compensated for by use of an angle-of-attack shift suggested by symmetry at low angle of attack.

Both leading-edge thrust and nonlinear thickness effects were hypothesized as present in the measured axial-force data. Comparisons of theory and experiment indicated that negative  $\Delta C_A$  (total axial-force coefficient minus maximum axial-force coefficient) was being produced on all the wings at all the Mach numbers where subsonic and sonic leading-edge conditions exist.

Unexpectedly large amounts of negative  $\Delta C_A$  were found in the sharp-wing data at both subsonic and supersonic leading-edge conditions. Analysis indicated that a leading-edge bluntness ratio from 0.0005 to 0.001 would suffice to produce benefits with minimum drag penalty.

The medium-blunt wing models produced axial-force data that were closely matched by predictions from nonlinear theory methods. However, the theory underpredicted the negative  $\Delta C_A$  from sharp wings and overpredicted the negative  $\Delta C_A$  from blunt wings. Lift-drag ratios predicted from both zero-thrust linear and nonlinear theory agreed fairly well with the measured blunt-wing values in the design Mach 1.6 comparisons.

Another interesting departure from theory was noted at Mach 1.8 for the sharp and medium-blunt airfoil, modified arrow wings. More negative  $\Delta C_A$  was measured than full-thrust theory predicted which suggested that at this mixed subsonic-supersonic leading-edge situation, real flow effects were permitting additional negative  $\Delta C_A$  to be produced.

Comparisons of experimental and theoretical values of maximum lift-drag ratio showed that available leading-edge thrust and nonlinear thickness effect benefits obtained from small to moderate leading-edge blunting could improve peak lift-drag ratio with little or no drag penalty.

Test data seemed to indicate that the arrow wing planform is more sensitive to leading-edge bluntness than the modified arrow planform. The sensitivity was especially evident in the data for the zero-lift stability parameter and the minimum drag coefficient.

Further areas of study were suggested by the results of this investigation. The first is a study of leading-edge thrust on wings with low bluntness airfoils. A second is a study of benefits accrued by varying the semispan location at which a decrease in wing sweep is initiated. A third could be an investigation of thrust generation on wings with slightly supersonic or subsonic leading edges. A fourth

could be a study of leading-edge thrust at Mach numbers above 2.2. A fifth, and perhaps the most important, could be a study of Reynolds number effects both global over the wing and local at the leading edge.

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TABLE I.- MODEL DIMENSIONS

(a) Wing planform parameters

	Arrow wing	Modified arrow wing
b, in. ....	32.648	32.648
S, in <sup>2</sup> ....	300.0	300.0
x <sub>max</sub> , in. ....	28.274	28.274
x <sub>b</sub> , in. ....	21.377	21.377
x <sub>t</sub> , in. ....	28.274	26.351
x <sub>r</sub> , in. ....	18.378	17.638
t/c ....	0.04	0.04
A ....	3.55	3.55
Λ <sub>le</sub> , deg ....	60	Variable (60 to 54)
c̄, in. ....	12.252	11.528
r <sub>b</sub> , in., for -		
0 ≤ x ≤ 14.00 in. ....	$\frac{x(28.0 - x)}{224.00}$	$\frac{x(28.0 - x)}{224.00}$
14.00 ≤ x ≤ x <sub>b</sub> ....	0.875	0.875

(b) Airfoil parameters

$$[z/c = k_1 \xi^{1/2} + k_2 \xi + k_3 \xi^{3/2} + k_4 \xi^2]$$

(r/c) <sub>le</sub>	k <sub>1</sub>	k <sub>2</sub>	k <sub>3</sub>	k <sub>4</sub>
0.0	0.0	0.12990	-0.12229	-0.00762
.00235	.06854	-.14299	.23438	-.15994
.00470	.09693	-.25603	.38212	-.22303

TABLE II.- WIND-TUNNEL TEST SCHEDULE

Model	M	$R = 2.00 \times 10^6$	$R = 5.00 \times 10^6$
Arrow wing:			
Sharp leading edge	1.6 and 1.8	X	
	2.0 and 2.16	X	X
Medium-blunt leading edge	1.6 and 1.8	X	
	2.0 and 2.16	X	X
Blunt leading edge	1.6 and 1.8	X	
	2.0 and 2.16	X	X
Modified arrow wing:			
Sharp leading edge	1.6, 1.8, 2.0, and 2.16	X	
Medium-blunt leading edge	1.6, 1.8, 2.0, and 2.16	X	
Blunt leading edge	1.6, 1.8, 2.0, and 2.16	X	

TABLE III.- FORCE COEFFICIENTS FOR ARROW WING WITH SHARP LEADING EDGE

(a)  $R = 2.0 \times 10^6$ ;  $M = 1.6$  and  $1.8$  $M = 1.6$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.87	-.28818	.00893	-.2858	.0384	.0849	6.02	.28450	.00699	.2822	.0368	-.0815
-3.84	-.19068	.01024	-.1896	.0230	.0583	4.01	.18806	.00916	.1670	.0223	-.0556
-2.90	-.14607	.01115	-.1453	.0185	.0454	3.06	.14327	.01029	.1425	.0179	-.0419
-1.88	-.09592	.01191	-.0955	.0151	.0303	2.04	.09328	.01134	.0928	.0147	-.0271
-.82	-.04542	.01258	-.0452	.0132	.0150	1.02	.04277	.01221	.0425	.0130	-.0119
.17	.00135	.01273	.0013	.0127	.0005	-.03	-.00380	.01272	-.0038	.0127	.0020
1.17	.05023	.01241	.0500	.0134	-.0140	-.99	-.05593	.01257	-.0557	.0135	.0180
2.18	.10204	.01140	.1015	.0153	-.0291	-1.99	-.10346	.01184	-.1030	.0154	.0321
3.15	.14825	.01042	.1475	.0185	-.0436	-2.98	-.15281	.01109	-.1520	.0190	.0468
4.14	.19789	.00928	.1967	.0235	-.0577	-3.98	-.20311	.01030	-.2019	.0244	.0612
5.23	.25204	.00807	.2503	.0310	-.0726	-5.00	-.25235	.00955	-.2506	.0315	.0746
6.16	.29553	.00713	.2931	.0388	-.0837	-5.97	-.29634	.00890	-.2938	.0397	.0861
7.22	.34397	.00634	.3404	.0495	-.0948	-6.97	-.34221	.00848	-.3387	.0499	.0967
8.18	.38526	.00579	.3805	.0606	-.1025	-7.50	-.36515	.00827	-.3609	.0559	.1010
9.16	.42472	.00549	.4184	.0730	-.1088	-7.93	-.38200	.00814	-.3772	.0608	.1040
10.19	.46544	.00522	.4572	.0875	-.1159	-8.97	-.42352	.00817	-.4171	.0741	.1108
11.21	.50776	.00483	.4971	.1035	-.1246	-9.98	-.46390	.00814	-.4555	.0884	.1174
12.18	.54692	.00440	.5337	.1198	-.1326	-11.00	-.50557	.00806	-.4947	.1044	.1257
13.17	.58598	.00408	.5696	.1375	-.1407	-11.98	-.54284	.00794	-.5294	.1204	.1330
14.23	.62941	.00359	.6092	.1582	-.1494	-12.99	-.58413	.00779	-.5674	.1389	.1415
15.22	.66593	.00314	.6418	.1778	-.1568	-13.97	-.62127	.00767	-.6010	.1574	.1493
.18	.00195	.01274	.0019	.0127	.0007	-15.01	-.66201	.00751	-.6375	.1787	.1569

 $M = 1.8$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.78	-.25370	.00933	-.2515	.0348	.0716	5.98	.25184	.00763	.2497	.0338	-.0694
-4.80	-.21254	.00982	-.2110	.0276	.0611	5.00	.21211	.00841	.2106	.0269	-.0588
-3.82	-.17083	.01039	-.1698	.0217	.0500	4.00	.16849	.00928	.1674	.0210	-.0472
-2.81	-.12676	.01103	-.1261	.0172	.0377	3.00	.12377	.01014	.1231	.0166	-.0346
-1.81	-.08239	.01168	-.0820	.0143	.0250	1.98	.08002	.01112	.0796	.0139	-.0220
-.78	-.03900	.01217	-.0388	.0127	.0123	-.97	-.03543	.01187	-.0352	.0125	-.0094
.19	.00195	.01231	.0019	.0123	.0004	-.02	-.00472	.01219	-.0047	.0122	.0023
1.21	.04795	.01195	.0477	.0130	-.0128	-.99	-.04905	.01208	-.0488	.0129	.0152
2.20	.09030	.01126	.0898	.0147	-.0253	-1.98	-.09219	.01156	-.0917	.0147	.0279
3.21	.13620	.01030	.1354	.0179	-.0381	-3.01	-.13833	.01090	-.1376	.0181	.0405
4.17	.17893	.00947	.1778	.0225	-.0500	-4.03	-.18368	.01030	-.1825	.0232	.0534
5.14	.22104	.00862	.2194	.0284	-.0615	-5.01	-.22483	.00977	-.2231	.0294	.0641
6.18	.26437	.00782	.2620	.0362	-.0722	-5.97	-.26520	.00932	-.2628	.0369	.0742
7.19	.30516	.00717	.3019	.0453	-.0822	-7.01	-.30727	.00885	-.3039	.0463	.0845
8.17	.34439	.00652	.3400	.0554	-.0913	-8.03	-.34657	.00850	-.3420	.0568	.0936
9.16	.38220	.00593	.3764	.0667	-.0999	-8.99	-.38352	.00818	-.3775	.0680	.1018
10.21	.42132	.00534	.4137	.0799	-.1084	-10.00	-.42025	.00788	-.4125	.0808	.1097
11.17	.45417	.00487	.4446	.0927	-.1152	-10.99	-.45607	.00769	-.4462	.0945	.1172
12.19	.49190	.00454	.4799	.1083	-.1222	-12.00	-.49057	.00752	-.4783	.1094	.1231
13.17	.52392	.00418	.5092	.1235	-.1272	-12.98	-.52233	.00758	-.5073	.1247	.1278
14.15	.55426	.00425	.5364	.1396	-.1315	-13.99	-.55446	.00771	-.5362	.1415	.1320
15.19	.58895	.00413	.5673	.1583	-.1369	-15.01	-.58853	.00779	-.5664	.1599	.1384
16.20	.62325	.00390	.5974	.1776	-.1439	-15.99	-.62047	.00772	-.5943	.1784	.1446
17.16	.65607	.00362	.6258	.1970	-.1504	-17.00	-.65540	.00773	-.6245	.1990	.1518
13.20	.52566	.00421	.5108	.1241	-.1277						
.17	.00193	.01227	.0019	.0123	.0003						

TABLE III.- Continued

(b)  $R = 2.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.95	.23383	.00951	-.2316	.0337	.0642	6.14	.23244	.00795	.2303	.0328	-.0615
-4.91	-.19438	.00991	-.1928	.0265	.0542	5.10	.19295	.00860	.1914	.0257	-.0518
-3.94	-.15793	.01033	-.1568	.0212	.0447	4.14	.15579	.00926	.1547	.0205	-.0422
-2.93	-.11780	.01090	-.1171	.0169	.0340	3.11	.11526	.01004	.1145	.0163	-.0315
-1.93	-.07920	.01138	-.0788	.0140	.0230	2.15	.07798	.01080	.0775	.0137	-.0206
-.95	-.04106	.01176	-.0409	.0124	.0124	1.12	.03648	.01143	.0363	.0121	-.0093
.05	-.00324	.01187	-.0033	.0119	.0019	.12	-.00037	.01175	-.0004	.0117	.0012
1.04	.03397	.01158	.0338	.0122	-.0084	-.88	-.03835	.01172	-.0382	.0123	.0118
2.06	.07658	.01108	.0761	.0138	-.0206	-1.88	-.07996	.01138	-.0795	.0140	.0233
3.07	.11721	.01032	.1165	.0166	-.0315	-2.87	-.11996	.01091	-.1193	.0169	.0342
4.04	.15633	.00966	.1553	.0207	-.0419	-3.85	-.15744	.01043	-.1564	.0210	.0443
5.06	.19509	.00901	.1935	.0262	-.0519	-4.86	-.19768	.01008	-.1961	.0268	.0547
6.04	.23272	.00841	.2305	.0328	-.0613	-5.87	-.23454	.00968	-.2323	.0336	.0639
7.04	.26878	.00785	.2658	.0407	-.0699	-6.86	-.27142	.00937	-.2684	.0417	.0726
8.07	.30591	.00732	.3018	.0502	-.0784	-7.90	-.30858	.00911	-.3044	.0514	.0808
9.06	.34105	.00687	.3357	.0605	-.0862	-8.89	-.34335	.00884	-.3379	.0618	.0887
10.04	.37489	.00642	.3680	.0717	-.0938	-9.88	-.37605	.00859	-.3690	.0730	.0958
11.05	.40739	.00596	.3987	.0839	-.1006	-10.85	-.40806	.00843	-.3992	.0851	.1025
12.05	.44081	.00560	.4299	.0975	-.1077	-11.83	-.43974	.00827	-.4287	.0983	.1091
13.05	.47253	.00525	.4591	.1118	-.1141	-12.87	-.47309	.00813	-.4594	.1133	.1158
14.05	.50278	.00496	.4865	.1269	-.1199	-13.89	-.50564	.00806	-.4889	.1292	.1222
15.06	.53544	.00468	.5158	.1436	-.1259	-14.86	-.53441	.00797	-.5145	.1448	.1273
16.06	.56462	.00442	.5414	.1604	-.1316	-15.89	-.56521	.00794	-.5414	.1624	.1329
17.03	.59325	.00447	.5659	.1781	-.1354	-16.88	-.59354	.00810	-.5656	.1801	.1370
18.01	.62032	.00436	.5886	.1959	-.1399	-17.85	-.62028	.00817	-.5879	.1979	.1414
19.05	.65292	.00416	.6158	.2170	-.1466	-18.89	-.65318	.00820	-.6154	.2192	.1479
20.06	.68346	.00388	.6407	.2381	-.1521	-19.86	-.68283	.00817	-.6394	.2397	.1535

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.85	-.21430	.00983	-.2122	.0316	.0561	9.03	.31352	.00713	.3085	.0562	-.0768
-4.86	-.17984	.01015	-.1783	.0253	.0477	8.05	.28152	.00753	.2777	.0469	-.0694
-3.84	-.14294	.01054	-.1419	.0201	.0388	7.04	.24753	.00799	.2447	.0383	-.0619
-2.86	-.10680	.01096	-.1061	.0163	.0295	6.05	.21400	.00851	.2119	.0310	-.0540
-1.84	-.07003	.01145	-.0696	.0137	.0197	5.06	.17888	.00906	.1774	.0248	-.0457
-.84	-.03366	.01173	-.0335	.0122	.0100	4.05	.14232	.00964	.1413	.0197	-.0367
.16	.00079	.01175	.0008	.0118	.0009	3.04	.10533	.01030	.1046	.0159	-.0272
1.16	.03610	.01150	.0359	.0122	-.0086	2.03	.06776	.01097	.0673	.0134	-.0172
2.15	.07552	.01100	.0750	.0138	-.0192	1.04	.03201	.01141	.0318	.0120	-.0077
3.17	.11329	.01042	.1125	.0167	-.0291	.05	-.00331	.01165	-.0033	.0116	.0014
4.13	.14829	.00985	.1472	.0205	-.0384	-.97	-.03803	.01165	-.0378	.0123	.0113
5.15	.18501	.00931	.1834	.0259	-.0473	-1.97	-.07796	.01134	-.0775	.0140	.0218
6.17	.22152	.00878	.2193	.0325	-.0561	-2.99	-.11559	.01095	-.1149	.0170	.0319
7.13	.25362	.00827	.2506	.0397	-.0637	-3.96	-.15136	.01055	-.1503	.0210	.0409
8.15	.28766	.00783	.2836	.0485	-.0714	-4.98	-.18761	.01024	-.1860	.0265	.0500
9.15	.32112	.00744	.3159	.0584	-.0786	-5.95	-.22172	.00995	-.22195	.0329	.0581
10.16	.35256	.00706	.3458	.0691	-.0857	-6.97	-.25752	.00968	-.2544	.0409	.0664
11.13	.38270	.00667	.3742	.0804	-.0921	-7.99	-.29074	.00946	-.2866	.0498	.0740
12.13	.41481	.00638	.4042	.0934	-.0990	-8.97	-.32287	.00926	-.3175	.0595	.0810
13.17	.44623	.00604	.4331	.1075	-.1052	-9.97	-.35443	.00908	-.3475	.0703	.0879
14.16	.47572	.00577	.4599	.1219	-.1111	-10.99	-.38666	.00892	-.3779	.0825	.0945
15.16	.50572	.00551	.4867	.1376	-.1171	-11.96	-.41610	.00882	-.4052	.0949	.1008
16.15	.53594	.00529	.5133	.1542	-.1229	-12.96	-.44644	.00875	-.4331	.1087	.1073
17.17	.56532	.00504	.5386	.1717	-.1288	-13.96	-.47674	.00867	-.4606	.1234	.1132
18.13	.59051	.00492	.5597	.1885	-.1325	-14.95	-.50605	.00860	-.4867	.1389	.1188
19.16	.61988	.00486	.5840	.2080	-.1373	-15.97	-.53568	.00857	-.5126	.1556	.1246
20.18	.65019	.00464	.6087	.2286	-.1433	-16.96	-.56404	.00859	-.5370	.1728	.1297

TABLE III.- Concluded

(c)  $R = 5.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.83	-.22443	.00827	-.2224	.0310	.0595	5.12	.19460	.00739	.1932	.0247	-.0510
-4.92	-.19245	.00876	-.1910	.0252	.0518	4.17	.15986	.00818	.1588	.0198	-.0420
-3.84	-.15223	.00931	-.1513	.0195	.0418	3.11	.11866	.00907	.1180	.0155	-.0316
-2.84	-.11574	.00992	-.1151	.0156	.0320	2.12	.08034	.00992	.0799	.0129	-.0211
-1.80	-.07588	.01052	-.0755	.0129	.0212	1.29	.04881	.01043	.0486	.0115	-.0125
-.71	-.03422	.01085	-.0341	.0113	.0101	.51	.01745	.01081	.0174	.0110	-.0040
-.05	-.00811	.01090	-.0081	.0109	.0029	-.52	-.02782	.01094	-.0277	.0112	.0082
1.21	.04402	.01060	.0438	.0115	-.0111	-1.42	-.06591	.01078	-.0656	.0124	.0186
2.15	.08119	.00998	.0808	.0130	-.0212	-1.94	-.08728	.01055	-.0869	.0135	.0243
3.15	.12027	.00918	.1196	.0158	-.0316	-2.41	-.10483	.01030	-.1043	.0147	.0291
4.14	.15845	.00838	.1574	.0198	-.0415	-2.91	-.12436	.01002	-.1237	.0163	.0342
5.23	.19925	.00753	.1977	.0256	-.0517	-3.38	-.14283	.00974	-.1420	.0181	.0390
6.15	.23335	.00686	.2313	.0318	-.0598	-3.91	-.16289	.00943	-.1619	.0205	.0442
						-4.91	-.20004	.00890	-.1985	.0260	.0533
						-5.93	-.23715	.00840	-.2350	.0328	.0622
						-6.80	-.26764	.00799	-.2648	.0396	.0693

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.79	-.21296	.00856	-.2110	.0300	.0544	6.02	.21007	.00723	.2082	.0292	-.0522
-4.76	-.17865	.00899	-.1773	.0238	.0465	5.08	.17911	.00782	.1777	.0236	-.0448
-3.79	-.14590	.00943	-.1450	.0191	.0384	3.99	.14165	.00856	.1407	.0184	-.0356
-2.78	-.11002	.00994	-.1094	.0153	.0294	3.03	.10720	.00924	.1066	.0149	-.0271
-1.85	-.07707	.01042	-.0767	.0129	.0209	1.96	.06865	.01001	.0683	.0124	-.0171
-.70	-.03558	.01072	-.0354	.0112	.0101	1.05	.03484	.01049	.0346	.0111	-.0083
.58	.01638	.01071	.0163	.0109	-.0035	.06	-.00313	.01079	-.0031	.0108	.0016
.87	.02899	.01064	.0288	.0111	-.0069	-1.06	-.05046	.01076	-.0502	.0117	.0139
1.18	.04148	.01052	.0413	.0114	-.0101	-1.47	-.06491	.01066	-.0646	.0123	.0178
1.76	.06355	.01025	.0632	.0122	-.0156	-1.98	-.08442	.01047	-.0840	.0134	.0228
2.10	.07591	.01004	.0755	.0128	-.0190	-2.46	-.10169	.01024	-.1012	.0146	.0273
2.65	.09653	.00963	.0960	.0141	-.0244	-3.03	-.12270	.00997	-.1220	.0164	.0325
3.28	.12025	.00914	.1195	.0160	-.0303	-3.36	-.13404	.00981	-.1332	.0177	.0355
3.75	.13675	.00884	.1359	.0178	-.0346	-4.05	-.15889	.00948	-.1578	.0207	.0415
4.22	.15345	.00852	.1524	.0198	-.0387	-5.00	-.19123	.00908	-.1897	.0257	.0495
5.23	.18837	.00787	.1869	.0250	-.0472	-6.04	-.22685	.00865	-.2247	.0325	.0580
6.18	.22096	.00730	.2189	.0310	-.0551	-7.06	-.26001	.00825	-.2570	.0402	.0655
7.27	.25661	.00667	.2537	.0391	-.0631	-8.07	-.29256	.00787	-.2886	.0489	.0727
8.22	.28733	.00614	.2835	.0471	-.0701						

TABLE IV.- FORCE COEFFICIENTS FOR ARROW WING WITH  
 $(r/c)_{ie} = 0.00235$

(a)  $R = 2.0 \times 10^6$ ;  $M = 1.6$  and  $1.8$

$M = 1.6$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.02	-.23860	.00959	-.2368	.0304	.0689	5.82	.28796	.00948	.2855	.0386	-.0833
-6.09	-.29034	.00871	-.2878	.0394	.0822	4.85	.24400	.01017	.2423	.0307	-.0710
-4.06	-.19546	.01036	-.1942	.0242	.0565	3.81	.19509	.01084	.1939	.0238	-.0579
-3.03	-.14459	.01113	-.1438	.0188	.0421	2.84	.14654	.01146	.1458	.0187	-.0441
-2.03	-.09612	.01191	-.0956	.0153	.0281	1.84	.09741	.01212	.0970	.0152	-.0295
-1.02	-.04648	.01266	-.0463	.0135	.0129	.79	.04481	.01272	.0446	.0133	-.0141
-.05	-.00001	.01305	-.0000	.0131	-.0009	-.17	-.00128	.01294	-.0012	.0129	-.0008
.96	.05241	.01293	.0522	.0138	-.0167	-1.21	-.05748	.01254	-.0572	.0137	.0163
1.91	.10182	.01239	.1013	.0158	-.0311	-2.18	-.10859	.01184	-.1081	.0160	.0312
2.97	.15491	.01165	.1541	.0196	-.0463	-3.19	-.15897	.01103	-.1581	.0199	.0466
3.96	.20499	.01096	.2037	.0251	-.0605	-4.20	-.20882	.01024	-.2075	.0255	.0604
4.94	.25202	.01026	.2502	.0319	-.0732	-5.24	-.26042	.00941	-.2585	.0332	.0740
5.93	.29817	.00969	.2956	.0404	-.0853	-6.20	-.30401	.00871	-.3013	.0415	.0859
6.93	.34432	.00904	.3407	.0505	-.0965	-7.17	-.34709	.00803	-.3434	.0513	.0965
7.96	.38941	.00844	.3845	.0623	-.1071	-8.17	-.39131	.00733	-.3863	.0629	.1067
8.94	.42893	.00796	.4225	.0745	-.1143	-9.18	-.43281	.00673	-.4262	.0757	.1150
9.95	.46798	.00754	.4596	.0883	-.1203	-10.19	-.47005	.00639	-.4615	.0895	.1198
10.93	.50582	.00723	.4953	.1030	-.1269	-11.20	-.50818	.00604	-.4973	.1046	.1252
11.93	.54465	.00710	.5314	.1195	-.1325	-12.18	-.54591	.00573	-.5324	.1207	.1315
12.94	.58138	.00695	.5650	.1370	-.1390	-13.17	-.58146	.00537	-.5649	.1377	.1382
13.90	.61738	.00668	.5977	.1548	-.1456	-14.21	-.62262	.00496	-.6024	.1576	.1457
14.97	.65889	.00640	.6349	.1764	-.1540	-15.18	-.65884	.00452	-.6347	.1769	.1528
15.96	.69658	.00609	.6681	.1974	-.1608	-16.19	-.69654	.00403	-.6678	.1981	.1599

$M = 1.8$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.09	-.26265	.00944	-.2602	.0372	.0723	5.79	.25657	.01015	.2542	.0360	-.0711
-5.04	-.22047	.00991	-.2187	.0293	.0616	4.78	.21579	.01063	.2137	.0285	-.0609
-4.03	-.17669	.01051	-.1755	.0229	.0503	3.78	.17365	.01106	.1725	.0225	-.0495
-3.08	-.13647	.01102	-.1357	.0183	.0393	2.80	.12996	.01146	.1292	.0178	-.0379
-2.08	-.09169	.01154	-.0912	.0149	.0263	1.78	.08501	.01190	.0846	.0145	-.0250
-1.05	-.04547	.01207	-.0452	.0129	.0125	.79	.03963	.01226	.0395	.0128	-.0117
-.10	-.00336	.01235	-.0033	.0124	.0007	-.24	-.00479	.01238	-.0047	.0124	.0009
.96	.04982	.01230	.0496	.0131	-.0146	-1.25	-.05606	.01207	-.0558	.0133	.0157
1.93	.09503	.01199	.0946	.0152	-.0277	-2.23	-.10168	.01164	-.1012	.0156	.0294
2.96	.14281	.01158	.1420	.0189	-.0412	-3.20	-.14602	.01110	-.1452	.0192	.0419
3.93	.18517	.01120	.1840	.0239	-.0526	-4.23	-.19066	.01060	-.1894	.0246	.0539
4.94	.22860	.01074	.2268	.0304	-.0642	-5.27	-.23606	.01004	-.2341	.0317	.0657
5.94	.27063	.01028	.2681	.0382	-.0744	-6.26	-.27568	.00954	-.2730	.0396	.0758
6.93	.30999	.00988	.3065	.0472	-.0841	-7.18	-.31236	.00904	-.3088	.0480	.0842
7.95	.35001	.00947	.3453	.0578	-.0932	-8.20	-.35302	.00850	-.3482	.0588	.0940
8.93	.38733	.00904	.3812	.0691	-.1019	-9.24	-.39256	.00797	-.3862	.0709	.1027
9.93	.42413	.00868	.4163	.0817	-.1098	-10.25	-.42937	.00747	-.4212	.0837	.1107
10.94	.46075	.00827	.4508	.0956	-.1172	-11.22	-.46281	.00698	-.4526	.0969	.1173
11.91	.49388	.00790	.4816	.1097	-.1229	-12.23	-.49776	.00652	-.4851	.1119	.1229
12.91	.52567	.00770	.5107	.1250	-.1265	-13.25	-.52934	.00623	-.5138	.1274	.1272
13.99	.55943	.00761	.5410	.1426	-.1311	-14.21	-.56017	.00597	-.5416	.1433	.1322
14.95	.59231	.00743	.5704	.1599	-.1373	-15.22	-.59311	.00573	-.5708	.1613	.1370
15.95	.62513	.00722	.5991	.1788	-.1435	-16.26	-.62791	.00540	-.6013	.1810	.1434
16.90	.65668	.00700	.6263	.1976	-.1496	-17.28	-.66119	.00501	-.6299	.2011	.1500
17.94	.69087	.00674	.6552	.2192	-.1559	-18.21	-.69195	.00466	-.6558	.2207	.1554

TABLE IV.- Continued

(b)  $R = 2.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.31	-.24398	.00996	-.2414	.0367	.0646	6.05	.24129	.01065	.2388	.0360	-.0641
-5.31	-.20784	.01036	-.2060	.0296	.0560	5.04	.20456	.01100	.2028	.0289	-.0553
-4.27	-.16852	.01078	-.1672	.0233	.0460	4.04	.16696	.01132	.1657	.0231	-.0457
-3.27	-.12984	.01117	-.1290	.0186	.0358	3.03	.12756	.01157	.1268	.0183	-.0354
-2.27	-.09038	.01153	-.0898	.0151	.0251	1.99	.08491	.01182	.0844	.0148	-.0241
-1.24	-.04876	.01183	-.0485	.0129	.0137	1.01	.04547	.01196	.0453	.0128	-.0130
-.28	-.00973	.01196	-.0097	.0120	.0027	.00	.00429	.01202	.0043	.0120	-.0012
.76	.03295	.01205	.0328	.0125	-.0096	-.98	-.03781	.01195	-.0376	.0126	.0109
1.74	.07863	.01201	.0782	.0144	-.0222	-2.00	-.08424	.01172	-.0838	.0147	.0236
2.75	.12064	.01186	.1199	.0176	-.0336	-2.95	-.12195	.01148	-.1212	.0177	.0338
3.74	.15944	.01161	.1583	.0220	-.0437	-3.95	-.16161	.01110	-.1605	.0222	.0444
4.75	.19906	.01128	.1974	.0277	-.0537	-4.99	-.20115	.01072	-.1995	.0282	.0542
5.71	.23431	.01095	.2321	.0342	-.0622	-5.99	-.23929	.01028	-.2369	.0352	.0636
6.73	.27117	.01060	.2681	.0423	-.0711	-7.00	-.27596	.00983	-.2727	.0434	.0721
7.71	.30552	.01024	.3014	.0511	-.0795	-7.98	-.31098	.00943	-.3067	.0525	.0801
8.73	.34117	.00994	.3357	.0616	-.0864	-8.98	-.34478	.00902	-.3391	.0627	.0876
9.75	.37687	.00963	.3698	.0733	-.0940	-10.00	-.37970	.00863	-.3724	.0745	.0949
10.73	.40864	.00933	.3998	.0853	-.1011	-11.00	-.41263	.00821	-.4035	.0868	.1019
11.70	.44064	.00908	.4296	.0982	-.1079	-11.97	-.44395	.00787	-.4327	.0998	.1096
12.70	.47286	.00874	.4594	.1125	-.1140	-12.97	-.47630	.00745	-.4625	.1142	.1154
13.73	.50463	.00847	.4882	.1280	-.1200	-14.01	-.50784	.00706	-.4910	.1298	.1205
14.74	.53452	.00825	.5148	.1440	-.1243	-14.97	-.53588	.00678	-.5159	.1450	.1249
15.72	.56227	.00812	.5391	.1601	-.1281	-16.00	-.56518	.00655	-.5415	.1620	.1284
16.70	.59224	.00791	.5650	.1778	-.1337	-16.98	-.59474	.00622	-.5670	.1797	.1340
17.78	.62565	.00767	.5934	.1984	-.1403	-18.01	-.62672	.00595	-.5942	.1994	.1400
18.71	.65376	.00749	.6168	.2168	-.1454	-18.95	-.65484	.00557	-.6175	.2179	.1454
19.75	.68569	.00721	.6429	.2385	-.1513	-19.97	-.68558	.00518	-.6426	.2390	.1512

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.04	-.21556	.01031	-.2133	.0329	.0559	5.76	.20948	.01092	.2073	.0319	-.0542
-5.01	-.18042	.01065	-.1788	.0264	.0476	4.76	.17492	.01118	.1734	.0256	-.0459
-4.04	-.14698	.01097	-.1458	.0213	.0391	3.79	.14150	.01143	.1404	.0208	-.0375
-3.03	-.11189	.01124	-.1111	.0171	.0300	2.78	.10568	.01163	.1050	.0167	-.0283
-2.04	-.07524	.01151	-.0748	.0142	.0204	1.77	.06865	.01176	.0683	.0139	-.0185
-1.02	-.03740	.01173	-.0372	.0124	.0104	.77	.03082	.01182	.0307	.0122	-.0084
-.03	.00023	.01184	.0002	.0118	.0001	-.24	-.00718	.01182	-.0071	.0118	.0021
.97	.03818	.01191	.0380	.0126	-.0106	-1.25	-.04639	.01177	-.0461	.0128	.0128
1.96	.07913	.01193	.0787	.0146	-.0214	-2.23	-.08619	.01163	-.0857	.0150	.0234
2.96	.11693	.01181	.1162	.0178	-.0312	-3.21	-.12201	.01143	-.1212	.0182	.0329
4.01	.15449	.01166	.1533	.0224	-.0408	-4.24	-.15984	.01113	-.1586	.0229	.0424
4.96	.18887	.01141	.1872	.0277	-.0494	-5.22	-.19440	.01081	-.1926	.0284	.0509
5.98	.22389	.01115	.2215	.0344	-.0576	-6.26	-.23023	.01045	-.2277	.0355	.0596
6.99	.25758	.01083	.2544	.0421	-.0654	-7.23	-.26285	.01011	-.2595	.0431	.0670
7.98	.28899	.01056	.2847	.0506	-.0722	-8.25	-.29636	.00971	-.2919	.0522	.0745
9.00	.32195	.01033	.3164	.0605	-.0791	-9.23	-.32704	.00942	-.3213	.0617	.0810
9.98	.35337	.01008	.3463	.0712	-.0862	-10.24	-.35909	.00909	-.3517	.0728	.0881
11.00	.38529	.00984	.3763	.0831	-.0930	-11.24	-.38996	.00879	-.3808	.0846	.0947
12.00	.41612	.00960	.4050	.0959	-.0996	-12.25	-.42123	.00842	-.4098	.0976	.1010
12.98	.44569	.00932	.4322	.1092	-.1057	-13.24	-.45055	.00808	-.4367	.1111	.1069
13.99	.47763	.00907	.4613	.1243	-.1124	-14.25	-.48222	.00775	-.4655	.1262	.1138
14.99	.50603	.00884	.4865	.1394	-.1177	-15.23	-.51003	.00742	-.4902	.1411	.1187
15.99	.53411	.00867	.5111	.1554	-.1216	-16.25	-.53775	.00715	-.5143	.1573	.1229
17.00	.56226	.00844	.5352	.1725	-.1266	-17.23	-.56576	.00688	-.5383	.1742	.1275
18.02	.59296	.00820	.5613	.1912	-.1323	-18.26	-.59503	.00659	-.5630	.1927	.1329
18.99	.62145	.00799	.5850	.2098	-.1380	-19.24	-.62399	.00622	-.5871	.2115	.1386
19.97	.65025	.00772	.6085	.2294	-.1436	-20.25	-.65416	.00577	-.6117	.2318	.1445

TABLE IV.- Concluded

(c)  $R = 5.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.09	-.22996	.00883	-.2277	.0332	.0600	5.94	.23381	.00933	.2316	.0335	-.0616
-5.24	-.20054	.00923	-.1989	.0275	.0527	4.93	.19780	.00976	.1962	.0267	-.0528
-4.02	-.15569	.00983	-.1546	.0207	.0414	3.83	.15717	.01020	.1561	.0207	-.0427
-3.10	-.12130	.01022	-.1206	.0168	.0324	2.95	.12424	.01052	.1235	.0169	-.0341
-2.16	-.08521	.01059	-.0848	.0138	.0230	1.89	.08291	.01083	.0825	.0136	-.0231
-1.01	-.03952	.01096	-.0393	.0117	.0106	.78	.03681	.01105	.0367	.0115	-.0107
-.35	-.01231	.01103	-.0122	.0111	.0029	-.13	-.00137	.01110	-.0013	.0111	.0001
.79	.03861	.01110	.0385	.0116	-.0111	-1.03	-.04144	.01095	-.0412	.0117	.0110
2.00	.08942	.01093	.0890	.0140	-.0248	-2.06	-.08428	.01072	-.0838	.0137	.0228
2.95	.12688	.01064	.1262	.0172	-.0346	-3.10	-.12453	.01034	-.1238	.0171	.0334
3.86	.16125	.01034	.1602	.0212	-.0435	-4.22	-.16681	.00987	-.1656	.0221	.0441
4.95	.20136	.00991	.1998	.0272	-.0536	-5.07	-.19810	.00948	-.1965	.0270	.0520
5.90	.23627	.00950	.2340	.0337	-.0620	-6.26	-.24029	.00889	-.2379	.0350	.0620

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.97	-.24213	.00893	-.2393	.0382	.0603	7.72	.27332	.00915	.2696	.0458	-.0681
-5.91	-.20808	.00938	-.2060	.0307	.0524	6.75	.24268	.00951	.2399	.0380	-.0611
-4.96	-.17676	.00974	-.1753	.0250	.0449	5.72	.20927	.00986	.2072	.0307	-.0535
-3.95	-.14206	.01009	-.1410	.0199	.0364	4.69	.17434	.01020	.1729	.0244	-.0453
-2.97	-.10825	.01043	-.1076	.0160	.0280	3.65	.13857	.01050	.1376	.0193	-.0364
-1.99	-.07314	.01074	-.0727	.0133	.0190	2.63	.10226	.01076	.1017	.0154	-.0273
-.96	-.03544	.01096	-.0353	.0116	.0091	1.70	.06880	.01094	.0684	.0130	-.0186
.13	.00811	.01112	.0081	.0111	-.0025	.65	.02977	.01105	.0296	.0114	-.0083
1.08	.04742	.01114	.0472	.0120	-.0130	-.21	-.00498	.01108	-.0049	.0111	.0010
2.02	.08258	.01103	.0821	.0139	-.0223	-1.35	-.05238	.01098	-.0521	.0122	.0136
3.03	.11887	.01080	.1181	.0171	-.0315	-2.37	-.08998	.01073	-.0895	.0144	.0233
4.08	.15529	.01051	.1541	.0215	-.0407	-3.35	-.12428	.01044	-.1235	.0177	.0321
4.98	.18677	.01024	.1852	.0264	-.0484	-4.32	-.15835	.01012	-.1571	.0220	.0407
6.09	.22449	.00987	.2222	.0336	-.0574	-5.36	-.19279	.00973	-.1910	.0277	.0492
7.05	.25545	.00950	.2523	.0408	-.0647	-6.37	-.22717	.00931	-.2247	.0345	.0572
8.09	.28853	.00910	.2844	.0496	-.0721	-7.39	-.25959	.00887	-.2563	.0422	.0648
						-8.38	-.29105	.00841	-.2867	.0507	.0718



TABLE V.- FORCE COEFFICIENTS FOR ARROW WING WITH  
 $(r/c)_{le} = 0.00470$

(a)  $R = 2.0 \times 10^6$ ;  $M = 1.6$  and  $1.8$

$M = 1.6$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.08	-.29791	.00914	-.2953	.0407	.0778	5.83	.29127	.01120	.2886	.0407	-.0782
-5.09	-.25273	.00987	-.2509	.0323	.0668	4.89	.24715	.01158	.2453	.0326	-.0673
-4.07	-.20248	.01063	-.2012	.0250	.0542	3.84	.19789	.01200	.1966	.0252	-.0547
-3.00	-.14894	.01137	-.1481	.0191	.0403	2.86	.14879	.01234	.1480	.0198	-.0418
-2.04	-.10160	.01199	-.1011	.0156	.0271	1.87	.09840	.01263	.0979	.0158	-.0281
-1.04	-.04996	.01266	-.0497	.0136	.0127	.84	.04535	.01283	.0452	.0135	-.0133
-.05	-.00265	.01302	-.0026	.0130	-.0006	-.14	-.00351	.01292	-.0035	.0129	-.0002
.93	.04998	.01308	.0498	.0139	-.0144	-1.16	-.05693	.01256	-.0567	.0137	.0148
1.97	.10493	.01297	.1044	.0166	-.0297	-2.12	-.10774	.01200	-.1072	.0160	.0286
2.96	.15475	.01270	.1539	.0207	-.0432	-3.17	-.16058	.01135	-.1597	.0202	.0432
3.95	.20445	.01227	.2031	.0263	-.0564	-4.21	-.21337	.01066	-.2120	.0263	.0569
4.93	.25256	.01189	.2506	.0335	-.0685	-5.15	-.25814	.00998	-.2562	.0331	.0683
5.93	.29894	.01156	.2962	.0424	-.0796	-6.20	-.30798	.00927	-.3052	.0425	.0796
6.93	.34512	.01105	.3413	.0526	-.0897	-7.15	-.34985	.00848	-.3461	.0519	.0889
7.99	.39403	.01055	.3887	.0652	-.1001	-8.11	-.38983	.00784	-.3848	.0628	.0970
8.98	.43374	.01010	.4268	.0777	-.1066	-9.17	-.43617	.00710	-.4295	.0765	.1058
9.97	.47144	.00989	.4626	.0914	-.1113	-10.17	-.47588	.00648	-.4673	.0904	.1122
10.95	.50710	.00966	.4960	.1058	-.1161	-11.16	-.51048	.00604	-.4997	.1047	.1152
11.96	.54522	.00940	.5314	.1222	-.1209	-12.12	-.54683	.00561	-.5335	.1203	.1200
12.95	.58251	.00928	.5656	.1396	-.1264	-13.18	-.58571	.00523	-.5691	.1387	.1253
13.97	.62264	.00900	.6021	.1590	-.1339	-14.11	-.62040	.00476	-.6005	.1559	.1315
14.95	.65872	.00867	.6342	.1783	-.1403	-15.17	-.66209	.00410	-.6379	.1772	.1387
						-16.16	-.69738	.00346	-.6689	.1974	.1447

$M = 1.8$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.04	-.26381	.01001	-.2613	.0377	.0664	5.84	.26049	.01190	.2579	.0383	-.0671
-5.04	-.22334	.01048	-.2216	.0301	.0572	4.83	.21984	.01215	.2180	.0306	-.0575
-4.02	-.17948	.01103	-.1783	.0236	.0466	3.87	.17819	.01230	.1770	.0243	-.0479
-3.03	-.13647	.01145	-.1357	.0187	.0357	2.87	.13473	.01239	.1339	.0191	-.0369
-2.05	-.09312	.01187	-.0926	.0152	.0245	1.84	.08932	.01250	.0889	.0154	-.0250
-1.04	-.04740	.01217	-.0472	.0130	.0122	.89	.04460	.01250	.0444	.0132	-.0130
-.01	.00092	.01245	.0009	.0124	-.0008	-.14	-.00464	.01243	-.0046	.0124	.0004
.96	.04962	.01259	.0494	.0134	-.0144	-1.15	-.05441	.01220	-.0542	.0133	.0142
1.97	.09679	.01265	.0963	.0160	-.0271	-2.12	-.09954	.01192	-.0990	.0156	.0266
2.99	.14238	.01260	.1415	.0200	-.0388	-3.11	-.14334	.01158	-.1425	.0193	.0379
4.01	.18677	.01249	.1854	.0255	-.0500	-4.17	-.19050	.01115	-.1892	.0250	.0495
4.96	.22822	.01228	.2263	.0320	-.0599	-5.19	-.23342	.01063	-.2315	.0317	.0597
5.98	.27063	.01205	.2679	.0402	-.0697	-6.16	-.27335	.01013	-.2707	.0394	.0688
7.00	.31104	.01179	.3073	.0496	-.0784	-7.17	-.31301	.00960	-.3094	.0486	.0777
8.00	.35011	.01152	.3451	.0601	-.0867	-8.13	-.34991	.00910	-.3451	.0585	.0854
8.98	.38759	.01126	.3811	.0716	-.0944	-9.16	-.38975	.00856	-.3834	.0705	.0934
9.98	.42430	.01089	.4160	.0842	-.1015	-10.13	-.42486	.00801	-.4168	.0826	.1003
10.99	.46025	.01056	.4498	.0981	-.1082	-11.16	-.46147	.00738	-.4513	.0966	.1064
11.94	.49368	.01025	.4809	.1122	-.1136	-12.13	-.49421	.00686	-.4817	.1106	.1118
12.96	.52584	.01007	.5102	.1278	-.1171	-13.17	-.52857	.00632	-.5132	.1266	.1168
13.98	.55598	.00984	.5371	.1438	-.1196	-14.17	-.56193	.00583	-.5434	.1432	.1213
15.01	.59152	.00966	.5688	.1625	-.1251	-15.16	-.59210	.00541	-.5701	.1601	.1250
15.98	.62345	.00937	.5968	.1806	-.1306	-16.13	-.62188	.00514	-.5960	.1777	.1287
16.99	.65845	.00910	.6270	.2011	-.1369	-17.16	-.65897	.00468	-.6282	.1989	.1352

TABLE V.- Continued

(b)  $R = 2.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.14	-.23893	.01048	-.2364	.0360	.0586	5.96	.23603	.01214	.2335	.0366	-.0594
-5.14	-.20253	.01067	-.2007	.0290	.0504	4.93	.19891	.01230	.1971	.0294	-.0508
-4.15	-.16581	.01122	-.1646	.0232	.0416	3.97	.16270	.01238	.1615	.0236	-.0421
-3.07	-.12407	.01156	-.1233	.0182	.0314	2.93	.12218	.01240	.1214	.0186	-.0325
-2.09	-.08543	.01182	-.0849	.0149	.0217	1.95	.08447	.01240	.0840	.0153	-.0228
-1.14	-.04624	.01204	-.0460	.0130	.0118	.94	.04249	.01231	.0423	.0130	-.0122
-.13	-.00403	.01221	-.0040	.0122	.0004	-.07	-.00051	.01221	-.0005	.0122	-.0005
.93	.04154	.01243	.0413	.0131	-.0120	-1.06	-.04238	.01213	-.0421	.0129	.0108
1.88	.08304	.01262	.0826	.0153	-.0227	-2.04	-.08550	.01204	-.0850	.0151	.0221
2.86	.12241	.01271	.1216	.0188	-.0326	-3.06	-.12666	.01181	-.1258	.0186	.0320
3.89	.16299	.01272	.1618	.0237	-.0422	-4.04	-.16434	.01154	-.1631	.0231	.0412
4.89	.20072	.01266	.1989	.0297	-.0511	-5.04	-.20206	.01120	-.2003	.0289	.0501
5.89	.23777	.01251	.2352	.0368	-.0596	-6.05	-.23951	.01086	-.2370	.0360	.0585
6.88	.27431	.01235	.2708	.0451	-.0673	-7.06	-.27566	.01048	-.2723	.0443	.0664
7.90	.30942	.01217	.3048	.0546	-.0746	-8.08	-.31217	.01006	-.3077	.0538	.0737
8.88	.34318	.01197	.3372	.0648	-.0810	-9.07	-.34658	.00964	-.3407	.0642	.0805
9.90	.37712	.01177	.3695	.0764	-.0875	-10.07	-.37889	.00920	-.3715	.0753	.0865
10.89	.41046	.01151	.4009	.0889	-.0938	-11.06	-.41178	.00875	-.4025	.0876	.0927
11.89	.44281	.01130	.4310	.1023	-.0997	-12.05	-.44352	.00832	-.4320	.1008	.0984
12.87	.47456	.01108	.4602	.1165	-.1057	-13.05	-.47603	.00787	-.4619	.1152	.1045
13.93	.50683	.01079	.4893	.1325	-.1112	-14.07	-.50908	.00734	-.4920	.1309	.1109
14.88	.53265	.01063	.5121	.1471	-.1134	-15.08	-.53879	.00688	-.5184	.1468	.1149
15.87	.56241	.01042	.5381	.1638	-.1172	-16.05	-.56406	.00652	-.5403	.1622	.1175
16.88	.59369	.01013	.5652	.1821	-.1226	-17.05	-.59376	.00614	-.5658	.1800	.1212
17.89	.62450	.00985	.5913	.2012	-.1278	-18.09	-.62657	.00567	-.5938	.2000	.1265
18.88	.65501	.00954	.6167	.2210	-.1332	-19.07	-.65514	.00520	-.6175	.2190	.1315
19.89	.68608	.00927	.6420	.2421	-.1383	-20.07	-.68563	.00469	-.6424	.2397	.1366

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.10	-.21900	.01092	-.2166	.0341	.0517	5.90	.21731	.01240	.2149	.0347	-.0526
-5.06	-.18354	.01124	-.1818	.0274	.0438	4.94	.18401	.01251	.1822	.0283	-.0452
-4.07	-.14961	.01150	-.1484	.0221	.0360	3.89	.14685	.01256	.1457	.0225	-.0369
-3.07	-.11339	.01175	-.1126	.0178	.0277	2.91	.11214	.01256	.1114	.0182	-.0288
-2.06	-.07601	.01196	-.0755	.0147	.0188	1.91	.07484	.01249	.0744	.0150	-.0197
-1.05	-.03786	.01217	-.0376	.0129	.0090	.89	.03672	.01240	.0365	.0130	-.0098
-.10	-.03981	.01214	-.0396	.0129	.0095	-.08	-.00069	.01234	-.0007	.0123	-.0005
-.09	-.00172	.01232	-.0017	.0123	-.0001	-1.10	-.03955	.01225	-.0393	.0130	.0093
.95	.03769	.01248	.0375	.0131	-.0102	-2.11	-.08069	.01216	-.0802	.0151	.0197
1.92	.07759	.01266	.0771	.0153	-.0203	-3.07	-.11618	.01199	-.1154	.0182	.0284
2.92	.11483	.01280	.1140	.0186	-.0294	-4.09	-.15254	.01178	-.1513	.0226	.0370
3.91	.15060	.01285	.1494	.0231	-.0378	-5.12	-.18944	.01151	-.1877	.0284	.0453
4.91	.18578	.01280	.1840	.0287	-.0458	-6.10	-.22286	.01123	-.2204	.0348	.0527
5.91	.22092	.01269	.2184	.0354	-.0537	-7.10	-.25708	.01092	-.2538	.0426	.0599
6.93	.25546	.01260	.2521	.0433	-.0610	-8.13	-.29091	.01057	-.2865	.0516	.0670
7.95	.28944	.01249	.2849	.0524	-.0678	-9.11	-.32285	.01023	-.3172	.0612	.0733
8.91	.31977	.01236	.3140	.0617	-.0739	-10.10	-.35368	.00987	-.3465	.0717	.0792
9.94	.35263	.01219	.3452	.0729	-.0800	-11.12	-.38482	.00946	-.3758	.0835	.0849
10.93	.38357	.01201	.3743	.0845	-.0860	-12.12	-.41656	.00906	-.4054	.0964	.0907
11.91	.41415	.01187	.4028	.0971	-.0918	-13.12	-.44633	.00866	-.4327	.1097	.0964
12.93	.44487	.01167	.4310	.1109	-.0976	-14.10	-.47579	.00827	-.4595	.1239	.1018
13.92	.47520	.01149	.4585	.1255	-.1031	-15.12	-.50595	.00783	-.4864	.1395	.1071
14.92	.50460	.01125	.4847	.1408	-.1080	-16.12	-.53348	.00745	-.5104	.1553	.1101
15.95	.53401	.01101	.5104	.1574	-.1117	-17.11	-.56066	.00708	-.5338	.1717	.1141
16.94	.56096	.01072	.5335	.1737	-.1158	-18.12	-.59054	.00660	-.5592	.1899	.1190
17.92	.58967	.01050	.5578	.1914	-.1203	-19.12	-.62041	.00617	-.5842	.2091	.1240
18.94	.62083	.01024	.5839	.2112	-.1257	-20.12	-.64886	.00568	-.6073	.2285	.1291

TABLE V.- Concluded

(c)  $R = 5.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.06	-.23310	.00928	-.2308	.0338	.0557	5.95	.23440	.01086	.2320	.0351	-.0572
-4.98	-.19460	.00981	-.1930	.0267	.0472	4.86	.19588	.01117	.1942	.0277	-.0488
-4.14	-.16464	.01021	-.1635	.0221	.0402	3.74	.15358	.01141	.1525	.0214	-.0390
-3.00	-.12094	.01064	-.1202	.0169	.0301	2.98	.12451	.01155	.1237	.0180	-.0322
-2.09	-.08522	.01096	-.0848	.0141	.0213	1.88	.08131	.01151	.0809	.0142	-.0216
-1.20	-.04931	.01119	-.0491	.0122	.0122	1.08	.04840	.01154	.0482	.0124	-.0131
-.02	.00284	.01145	.0028	.0114	-.0015	-.12	-.00320	.01142	-.0032	.0114	.0002
-.74	.03364	.01153	.0335	.0120	-.0094	-1.09	-.04515	.01129	-.0449	.0121	.0111
1.70	.07528	.01170	.0749	.0139	-.0201	-2.11	-.08817	.01113	-.0877	.0144	.0219
2.82	.11988	.01172	.1192	.0176	-.0311	-3.05	-.12530	.01087	-.1245	.0175	.0309
3.80	.15771	.01162	.1566	.0220	-.0399	-4.05	-.16292	.01050	-.1618	.0220	.0399
4.97	.20202	.01146	.2003	.0289	-.0500	-5.06	-.20048	.01006	-.1988	.0277	.0484
5.99	.23898	.01117	.2365	.0361	-.0579	-6.03	-.23578	.00957	-.2335	.0343	.0562
6.99	.27415	.01086	.2708	.0441	-.0653						

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.80	-.24236	.00936	-.2395	.0380	.0552	6.72	.24224	.01112	.2393	.0394	-.0566
-5.85	-.21173	.00974	-.2096	.0313	.0487	5.73	.21054	.01134	.2084	.0323	-.0498
-4.83	-.17721	.01013	-.1757	.0250	.0413	4.70	.17555	.01152	.1740	.0259	-.0423
-3.90	-.14474	.01048	-.1437	.0203	.0340	3.72	.14174	.01162	.1407	.0208	-.0348
-2.92	-.10995	.01076	-.1093	.0163	.0261	2.78	.10786	.01166	.1072	.0169	-.0270
-1.89	-.07234	.01102	-.0719	.0134	.0170	1.69	.06832	.01163	.0679	.0136	-.0176
-.89	-.03384	.01123	-.0337	.0118	.0077	-.73	-.03063	.01156	-.0305	.0120	-.0084
1.17	.00709	.01143	.0071	.0115	-.0026	-1.11	-.00240	.01151	-.0024	.0115	-.0001
1.15	.04742	.01158	.0472	.0125	-.0124	-1.31	-.05147	.01138	-.0512	.0126	.0119
2.11	.08435	.01166	.0839	.0148	-.0214	-2.22	-.08528	.01121	-.0848	.0145	.0203
3.10	.12043	.01172	.1196	.0182	-.0300	-3.38	-.12753	.01095	-.1267	.0184	.0302
4.10	.15569	.01168	.1545	.0228	-.0381	-4.25	-.15807	.01069	-.1568	.0224	.0373
5.11	.19109	.01155	.1893	.0285	-.0461	-5.21	-.19086	.01036	-.1891	.0277	.0448
6.09	.22416	.01136	.2217	.0351	-.0532	-6.28	-.22711	.00993	-.2247	.0347	.0525
7.12	.25824	.01109	.2549	.0430	-.0605	-7.27	-.26002	.00948	-.2567	.0423	.0594

TABLE VI.- FORCE COEFFICIENTS FOR MODIFIED ARROW WING WITH  
SHARP LEADING EDGE

(a)  $R = 2.0 \times 10^6$ ;  $M = 1.6$  and  $1.8$

$M = 1.6$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.85	-.29671	.00857	-.2943	.0388	.0855	6.14	.29563	.00747	.2931	.0390	-.0845
-4.86	-.24812	.00943	-.2464	.0304	.0728	5.09	.24438	.00853	.2427	.0302	-.0713
-3.85	-.19872	.01029	-.1976	.0236	.0593	4.07	.19354	.00967	.1924	.0234	-.0569
-2.80	-.14529	.01127	-.1446	.0184	.0441	3.07	.14287	.01078	.1421	.0184	-.0421
-1.86	-.09845	.01213	-.0980	.0153	.0297	2.11	.09558	.01177	.0951	.0153	-.0278
-.81	-.04754	.01284	-.0474	.0135	.0143	1.06	.04185	.01267	.0416	.0134	-.0121
.13	-.00283	.01310	-.0029	.0131	.0007	.10	-.00034	.01300	-.0004	.0130	.0004
1.09	.04524	.01278	.0450	.0136	-.0130	-.86	-.05127	.01289	-.0511	.0137	.0156
2.13	.09737	.01192	.0969	.0155	-.0283	-1.90	-.10270	.01216	-.1022	.0156	.0307
3.17	.15061	.01081	.1498	.0191	-.0443	-2.94	-.15746	.01125	-.1567	.0193	.0470
4.12	.19942	.00980	.1982	.0241	-.0585	-3.88	-.20364	.01038	-.2025	.0242	.0605
5.16	.25298	.00867	.2512	.0314	-.0727	-4.87	-.25376	.00947	-.2520	.0310	.0738
6.12	.29870	.00769	.2962	.0395	-.0849	-5.90	-.30237	.00865	-.2999	.0397	.0865
7.14	.34826	.00668	.3447	.0499	-.0968	-7.91	-.39184	.00729	-.3871	.0611	.1055
8.17	.39394	.00590	.3891	.0618	-.1074	-9.91	-.47418	.00657	-.4660	.0880	.1185
9.14	.43431	.00521	.4280	.0741	-.1146	-11.94	-.55432	.00633	-.5410	.1209	.1310
10.18	.47650	.00471	.4682	.0888	-.1205	-13.91	-.63208	.00565	-.6122	.1575	.1455
11.15	.51404	.00443	.5035	.1037	-.1260	-14.95	-.67221	.00525	-.6481	.1785	.1528
12.18	.55336	.00441	.5400	.1210	-.1311						
13.13	.58974	.00418	.5734	.1381	-.1370						
14.12	.62915	.00378	.6092	.1572	-.1447						
15.14	.66886	.00332	.6448	.1779	-.1522						

$M = 1.8$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.79	-.26171	.00914	-.2595	.0355	.0719	5.97	.25673	.00835	.2545	.0350	-.0698
-4.76	-.21786	.00985	-.2163	.0279	.0608	4.96	.21269	.00911	.2111	.0275	-.0590
-3.76	-.17376	.01053	-.1727	.0219	.0492	4.01	.17148	.00992	.1704	.0219	-.0476
-2.76	-.12958	.01124	-.1289	.0175	.0369	2.98	.12452	.01086	.1238	.0173	-.0350
-1.77	-.08535	.01194	-.0849	.0146	.0245	1.98	.07944	.01171	.0790	.0145	-.0224
-.77	-.04055	.01250	-.0404	.0130	.0119	.98	.03541	.01235	.0352	.0130	-.0098
.23	.00265	.01259	.0026	.0126	-.0003	-.01	-.00531	.01259	-.0053	.0126	.0021
1.26	.04998	.01230	.0497	.0134	-.0136	-1.03	-.05405	.01246	-.0538	.0134	.0157
2.24	.09311	.01159	.0926	.0152	-.0260	-2.00	-.09725	.01186	-.0968	.0152	.0277
3.21	.13628	.01075	.1355	.0184	-.0380	-3.00	-.14220	.01116	-.1414	.0186	.0407
4.25	.18480	.00982	.1836	.0235	-.0512	-4.02	-.18870	.01047	-.1875	.0237	.0528
5.27	.22957	.00905	.2278	.0301	-.0628	-5.03	-.23391	.00981	-.2321	.0303	.0646
6.19	.26854	.00834	.2661	.0373	-.0728	-6.03	-.27720	.00916	-.2747	.0382	.0754
7.22	.31177	.00758	.3083	.0467	-.0829	-8.02	-.35822	.00802	-.3536	.0579	.0940
8.23	.35404	.00686	.3494	.0575	-.0923	-10.03	-.43508	.00702	-.4272	.0827	.1101
9.23	.39277	.00619	.3867	.0691	-.1010	-11.99	-.50368	.00633	-.4914	.1109	.1232
10.24	.43116	.00562	.4233	.0822	-.1087	-14.03	-.57119	.00617	-.5527	.1445	.1311
11.20	.46510	.00506	.4553	.0953	-.1156	-15.98	-.63527	.00593	-.6091	.1806	.1418
12.26	.50376	.00457	.4913	.1114	-.1226	-16.99	-.67072	.00578	-.6398	.2015	.1482
13.20	.53688	.00427	.5217	.1268	-.1278						
14.23	.57183	.00390	.5533	.1443	-.1344						
15.25	.60475	.00369	.5825	.1627	-.1383						
16.27	.63594	.00381	.6094	.1818	-.1413						
17.21	.66638	.00367	.6355	.2007	-.1463						

TABLE VI.- Concluded

(b)  $R = 2.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.05	-.24637	.00954	-.2440	.0355	.0645	6.26	-.24253	.00868	.2401	.0351	-.0629
-5.07	-.20790	.01001	-.2062	.0283	.0555	5.30	-.20626	.00932	.2045	.0283	-.0537
-4.05	-.16755	.01055	-.1664	.0223	.0454	4.26	-.16507	.00998	.1639	.0222	-.0436
-3.02	-.12674	.01111	-.1260	.0178	.0347	3.25	-.12442	.01071	.1236	.0178	-.0331
-2.04	-.08767	.01168	-.0872	.0148	.0241	2.31	-.08519	.01144	.0847	.0149	-.0226
-1.04	-.04854	.01220	-.0483	.0131	.0134	1.31	-.04613	.01203	.0458	.0131	-.0120
-.04	-.00769	.01237	-.0077	.0124	.0025	.29	.00694	.01233	.0069	.0124	-.0014
.95	.03025	.01224	.0300	.0127	-.0077	-.71	-.03368	.01234	-.0335	.0128	.0095
1.95	.07318	.01180	.0727	.0143	-.0193	-1.70	-.07670	.01201	-.0763	.0143	.0212
2.97	.11502	.01107	.1143	.0170	-.0303	-2.74	-.11865	.01141	-.1180	.0171	.0326
3.98	.15665	.01039	.1556	.0212	-.0414	-3.73	-.15910	.01086	-.1581	.0212	.0427
4.94	.19436	.00973	.1928	.0264	-.0508	-4.69	-.19777	.01036	-.1963	.0265	.0524
5.94	.23376	.00911	.2316	.0333	-.0604	-5.70	-.23721	.00987	-.2351	.0334	.0616
6.94	.27115	.00851	.2681	.0412	-.0690	-6.71	-.31190	.00894	-.3079	.0507	.0787
7.93	.30859	.00796	.3045	.0504	-.0770	-7.71	-.38207	.00810	-.3752	.0724	.0931
8.96	.34502	.00741	.3397	.0610	-.0849	-11.71	-.44909	.00745	-.4382	.0984	.1069
9.91	.37806	.00691	.3712	.0719	-.0920	-13.72	-.51459	.00690	-.4983	.1287	.1194
10.94	.41248	.00641	.4038	.0846	-.0991	-15.71	-.57618	.00647	-.5529	.1623	.1304
11.90	.44582	.00600	.4350	.0978	-.1056	-17.74	-.63588	.00651	-.6037	.2000	.1382
12.93	.47956	.00563	.4661	.1128	-.1121						
13.96	.51320	.00524	.4968	.1289	-.1185						
14.92	.54256	.00495	.5230	.1445	-.1241						
15.95	.57553	.00464	.5521	.1626	-.1298						
16.92	.60556	.00437	.5781	.1804	-.1356						
17.96	.63529	.00428	.6030	.1999	-.1392						

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-5.75	-.21501	.00990	-.2129	.0314	.0542	5.98	-.21251	.00922	.2104	.0313	-.0527
-4.80	-.18219	.01029	-.1807	.0255	.0461	4.97	-.17701	.00976	.1755	.0251	-.0443
-3.79	-.14567	.01072	-.1446	.0203	.0376	4.01	-.14203	.01030	.1410	.0202	-.0358
-2.76	-.10777	.01123	-.1071	.0164	.0281	3.01	-.10543	.01091	.1047	.0164	-.0268
-1.77	-.07059	.01174	-.0702	.0139	.0187	1.99	-.06781	.01154	.0674	.0139	-.0168
-.79	-.03505	.01207	-.0349	.0126	.0097	.99	-.03077	.01196	.0306	.0125	-.0076
.27	.00352	.01216	.0035	.0122	-.0005	-.00	-.00444	.01214	-.0044	.0121	.0015
1.23	.03802	.01197	.0378	.0128	-.0094	-1.02	-.04211	.01207	-.0419	.0128	.0115
2.27	.07919	.01148	.0787	.0146	-.0204	-2.02	-.08211	.01169	-.0816	.0146	.0216
3.21	.11464	.01093	.1138	.0173	-.0291	-2.99	-.11876	.01123	-.1180	.0174	.0309
4.27	.15322	.01034	.1520	.0217	-.0388	-4.02	-.15680	.01077	-.1557	.0217	.0406
5.27	.19046	.00980	.1888	.0273	-.0477	-5.05	-.19477	.01035	-.1931	.0275	.0494
6.22	.22420	.00931	.2219	.0335	-.0557	-6.02	-.22903	.00997	-.2267	.0339	.0575
7.24	.25946	.00880	.2563	.0414	-.0638	-8.00	-.29622	.00926	-.2920	.0504	.0725
8.23	.29324	.00833	.2890	.0502	-.0712	-10.01	-.36130	.00857	-.3543	.0712	.0859
9.25	.32773	.00788	.3222	.0605	-.0784	-12.04	-.42687	.00803	-.4158	.0969	.0994
10.25	.35998	.00747	.3529	.0714	-.0851	-14.01	-.48779	.00762	-.4714	.1255	.1122
11.24	.39111	.00706	.3822	.0831	-.0913	-16.02	-.54905	.00721	-.5258	.1584	.1243
12.25	.42319	.00670	.4121	.0963	-.0979	-18.04	-.60807	.00689	-.5760	.1949	.1346
13.21	.45365	.00640	.4402	.1099	-.1043	-20.00	-.66316	.00673	-.6209	.2332	.1426
14.23	.48548	.00611	.4691	.1252	-.1104						
15.26	.51673	.00583	.4970	.1416	-.1168						
16.25	.54713	.00554	.5237	.1584	-.1225						
17.25	.57690	.00527	.5494	.1761	-.1286						
18.23	.60598	.00500	.5740	.1943	-.1341						
19.25	.63349	.00494	.5965	.2135	-.1373						
20.24	.66077	.00478	.6183	.2331	-.1414						

TABLE VII.- FORCE COEFFICIENTS FOR MODIFIED ARROW WING WITH  
 $(r/c)_{le} = 0.00235$

(a)  $R = 2.0 \times 10^6$ ;  $M = 1.6$  and  $1.8$

$M = 1.6$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.04	-.29831	.00835	-.2958	.0397	-.0851	5.91	.30344	.00964	.3008	.0408	-.0871
-5.08	-.25180	.00925	-.2500	.0315	-.0733	4.86	.25098	.01042	.2492	.0317	-.0735
-4.06	-.20241	.01011	-.2012	.0244	-.0595	3.92	.20664	.01097	.2054	.0251	-.0609
-3.07	-.15147	.01099	-.1507	.0191	-.0433	2.89	.15215	.01170	.1514	.0193	-.0459
-2.07	-.10087	.01191	-.1004	.0155	-.0299	1.90	.10208	.01233	.1016	.0157	-.0309
-1.05	-.04936	.01272	-.0491	.0136	-.0141	.89	.05100	.01280	.0508	.0136	-.0153
-.10	-.00203	.01312	-.0020	.0131	-.0002	-1.10	-.00001	.01310	.0000	.0131	-.0006
1.00	.05789	.01300	.0577	.0140	-.0175	-1.09	-.05119	.01275	-.0509	.0137	-.0146
1.95	.10644	.01246	.1060	.0161	-.0318	-2.15	-.10799	.01195	-.1075	.0160	-.0314
2.93	.15671	.01192	.1559	.0199	-.0471	-3.12	-.15707	.01112	-.1562	.0196	-.0461
4.01	.21266	.01123	.2113	.0261	-.0624	-4.10	-.20618	.01030	-.2049	.0250	-.0601
4.94	.25865	.01068	.2568	.0329	-.0745	-5.11	-.25661	.00942	-.2547	.0322	-.0740
5.97	.30947	.00994	.3068	.0420	-.0886	-6.10	-.30530	.00849	-.3027	.0409	-.0868
6.97	.35567	.00928	.3519	.0524	-.0992	-8.10	-.39684	.00671	-.3919	.0626	-.1088
7.96	.39819	.00871	.3931	.0638	-.1089	-10.14	-.47946	.00525	-.4711	.0895	-.1226
8.99	.44070	.00822	.4340	.0770	-.1157	-12.12	-.55220	.00482	-.5389	.1206	-.1299
9.97	.47824	.00795	.4696	.0907	-.1204	-14.14	-.63051	.00369	-.6105	.1576	-.1440
10.96	.51610	.00797	.5052	.1059	-.1241	-15.12	-.66771	.00310	-.6438	.1772	-.1513
11.95	.55436	.00774	.5408	.1223	-.1305						
12.97	.59544	.00740	.5786	.1408	-.1382						
13.97	.63293	.00703	.6125	.1596	-.1453						
14.95	.67021	.00664	.6458	.1793	-.1522						

$M = 1.8$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.01	-.26239	.00928	-.2600	.0367	-.0714	5.83	.26379	.01054	.2614	.0373	-.0723
-5.00	-.22014	.00995	-.2184	.0291	-.0611	4.87	.22249	.01098	.2208	.0298	-.0619
-4.02	-.17823	.01056	-.1774	.0230	-.0498	3.85	.17951	.01142	.1783	.0234	-.0508
-2.99	-.13297	.01119	-.1322	.0181	-.0377	2.83	.13379	.01182	.1330	.0184	-.0387
-2.00	-.08817	.01178	-.0877	.0149	-.0252	1.88	.09130	.01218	.0909	.0152	-.0261
-1.00	-.04315	.01229	-.0429	.0130	-.0123	.84	.04313	.01244	.0429	.0131	-.0127
-.00	.00280	.01254	.0028	.0125	-.0010	-1.15	-.00201	.01251	-.0020	.0125	-.0003
.99	.05060	.01252	.0504	.0134	-.0149	-1.15	-.05090	.01230	-.0506	.0133	-.0146
2.01	.09941	.01225	.0989	.0157	-.0284	-2.15	-.09752	.01182	-.0970	.0155	-.0278
2.99	.14527	.01193	.1445	.0195	-.0412	-3.17	-.14434	.01126	-.1435	.0192	-.0404
3.99	.18770	.01153	.1864	.0246	-.0528	-4.16	-.18718	.01069	-.1859	.0242	-.0521
4.99	.23142	.01111	.2296	.0312	-.0642	-5.16	-.23168	.01006	-.2298	.0309	-.0637
5.98	.27392	.01070	.2713	.0392	-.0746	-6.14	-.27187	.00942	-.2693	.0385	-.0738
6.98	.31475	.01020	.3112	.0484	-.0848	-7.17	-.31451	.00874	-.3110	.0479	-.0841
8.02	.35631	.00975	.3515	.0594	-.0935	-8.18	-.35531	.00803	-.3505	.0585	-.0931
8.99	.39191	.00937	.3856	.0705	-.1013	-10.16	-.42933	.00678	-.4214	.0824	-.1089
10.01	.43250	.00888	.4244	.0840	-.1099	-12.20	-.50144	.00557	-.4889	.1114	-.1223
11.01	.46858	.00852	.4583	.0979	-.1167	-14.17	-.56361	.00500	-.5452	.1428	-.1291
11.98	.50042	.00823	.4878	.1120	-.1217	-16.19	-.63142	.00419	-.6052	.1800	-.1407
13.00	.53326	.00801	.5178	.1278	-.1256						
13.99	.56534	.00788	.5467	.1443	-.1295						
15.03	.60066	.00766	.5781	.1632	-.1355						
16.02	.63437	.00740	.6077	.1822	-.1413						

TABLE VII.- Concluded

(b)  $R = 2.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.27	-.24445	.00976	-.2419	.0364	.0646	6.09	.24574	.01089	.2432	.0369	-.0658
-5.24	-.20692	.01028	-.2051	.0291	.0549	5.12	.20976	.01123	.2079	.0299	-.0566
-4.25	-.16850	.01078	-.1672	.0232	.0452	4.09	.17060	.01155	.1693	.0237	-.0464
-3.26	-.13045	.01124	-.1296	.0186	.0350	3.11	.13246	.01184	.1316	.0190	-.0363
-2.26	-.08997	.01166	-.0894	.0152	.0244	2.08	.09037	.01209	.0899	.0154	-.0252
-1.27	-.05066	.01198	-.0504	.0131	.0136	1.09	.05010	.01226	.0499	.0132	-.0142
-.24	-.00631	.01224	-.0063	.0123	.0015	.09	.00880	.01229	.0088	.0123	-.0026
.75	.03468	.01230	.0345	.0128	-.0103	-.90	-.03340	.01223	-.0332	.0128	.0091
1.75	.08014	.01228	.0797	.0147	-.0222	-1.89	-.07759	.01201	-.0772	.0146	.0212
2.74	.11957	.01213	.1189	.0178	-.0327	-2.91	-.11861	.01164	-.1179	.0176	.0322
3.76	.16136	.01188	.1602	.0224	-.0435	-3.90	-.15878	.01124	-.1576	.0220	.0425
4.76	.20051	.01164	.1988	.0282	-.0534	-4.92	-.19871	.01080	-.1971	.0278	.0527
5.76	.23945	.01130	.2371	.0353	-.0631	-5.92	-.23660	.01032	-.2343	.0347	.0619
6.76	.27654	.01098	.2733	.0434	-.0716	-6.91	-.27436	.00979	-.2712	.0427	.0707
7.76	.31227	.01065	.3080	.0527	-.0795	-7.91	-.30970	.00928	-.3055	.0518	.0789
8.75	.34725	.01031	.3416	.0630	-.0867	-9.91	-.37956	.00822	-.3725	.0734	.0932
9.75	.38131	.01000	.3741	.0744	-.0942	-11.91	-.44606	.00726	-.4350	.0992	.1071
10.76	.41524	.00971	.4061	.0870	-.1011	-13.89	-.50936	.00637	-.4929	.1285	.1187
11.73	.44756	.00938	.4363	.1002	-.1078	-15.92	-.57062	.00557	-.5472	.1618	.1275
12.73	.48061	.00909	.4668	.1148	-.1143	-17.92	-.63146	.00481	-.5994	.1988	.1380
13.74	.51222	.00884	.4955	.1303	-.1198						
14.74	.54339	.00861	.5233	.1466	-.1252						
15.76	.57318	.00848	.5493	.1639	-.1285						
16.75	.60381	.00830	.5758	.1820	-.1335						
17.75	.63402	.00806	.6014	.2010	-.1388						
18.73	.66440	.00779	.6267	.2208	-.1444						

 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.02	-.21670	.01036	-.2144	.0330	.0545	5.87	.21918	.01133	.2169	.0337	-.0555
-5.04	-.18317	.01076	-.1815	.0268	.0463	4.86	.18351	.01160	.1819	.0271	-.0470
-4.03	-.14673	.01116	-.1456	.0214	.0375	3.88	.14835	.01183	.1472	.0218	-.0384
-3.03	-.11087	.01151	-.1101	.0174	.0285	2.85	.11095	.01203	.1102	.0175	-.0291
-2.03	-.07387	.01182	-.0734	.0144	.0190	1.86	.07452	.01217	.0741	.0146	-.0198
-1.02	-.03592	.01209	-.0357	.0127	.0091	.86	.03683	.01225	.0366	.0128	-.0099
-.02	.00249	.01224	.0025	.0122	-.0007	-.13	-.00048	.01224	-.0005	.0122	.0001
.98	.04051	.01232	.0403	.0130	-.0109	-1.14	-.04026	.01215	-.0400	.0130	.0103
2.00	.08158	.01230	.0811	.0151	-.0214	-2.16	-.08102	.01196	-.0805	.0150	.0206
2.96	.11826	.01221	.1175	.0183	-.0308	-3.13	-.11754	.01167	-.1167	.0181	.0301
3.97	.15511	.01203	.1539	.0228	-.0400	-4.16	-.15547	.01133	-.1542	.0226	.0395
4.99	.19207	.01182	.1903	.0285	-.0491	-5.14	-.19062	.01097	-.1889	.0280	.0481
5.98	.22689	.01157	.2244	.0351	-.0573	-6.15	-.22554	.01056	-.2231	.0347	.0567
6.97	.26093	.01132	.2576	.0429	-.0652	-7.16	-.26038	.01013	-.2571	.0425	.0647
7.97	.29464	.01107	.2903	.0518	-.0724	-8.17	-.29444	.00967	-.2901	.0514	.0723
8.97	.32698	.01077	.3213	.0616	-.0792	-10.13	-.35766	.00880	-.3505	.0716	.0849
9.99	.35993	.01056	.3526	.0728	-.0861	-12.15	-.42076	.00799	-.4097	.0964	.0980
10.96	.39109	.01030	.3820	.0845	-.0927	-14.15	-.48232	.00718	-.4659	.1248	.1105
11.98	.42331	.01006	.4120	.0977	-.0993	-16.14	-.54255	.00635	-.5194	.1570	.1222
12.97	.45408	.00978	.4403	.1115	-.1056	-18.16	-.59962	.00567	-.5680	.1923	.1304
13.99	.48650	.00958	.4698	.1269	-.1122	-20.16	-.65849	.00475	-.6165	.2314	.1411
14.99	.51568	.00938	.4957	.1424	-.1177						
16.00	.54512	.00915	.5215	.1590	-.1224						
16.99	.57274	.00897	.5451	.1759	-.1267						
17.98	.60201	.00879	.5699	.1942	-.1312						
18.99	.63097	.00855	.5939	.2134	-.1364						
19.98	.66111	.00832	.6185	.2337	-.1420						

TABLE VIII.- FORCE COEFFICIENTS FOR MODIFIED ARROW WING WITH  
 $(r/c)_{le} = 0.00470$

(a)  $R = 2.0 \times 10^6$ ;  $M = 1.6$  and  $1.8$

$M = 1.6$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.03	-.29963	.00980	-.2969	.0412	.0843	5.91	.29860	.01103	.2959	.0417	-.0850
-5.10	-.25666	.01053	-.2547	.0333	.0730	4.91	.25028	.01159	.2484	.0330	-.0727
-4.02	-.20281	.01132	-.2015	.0255	.0593	3.92	.20284	.01216	.2015	.0260	-.0595
-3.01	-.15279	.01212	-.1519	.0201	.0448	2.92	.15227	.01260	.1514	.0203	-.0455
-2.03	-.10296	.01268	-.1024	.0163	.0303	1.92	.10167	.01300	.1012	.0164	-.0309
-1.06	-.05209	.01317	-.0518	.0141	.0149	.89	.04844	.01332	.0482	.0141	-.0146
-.04	-.00056	.01356	-.0005	.0136	-.0003	-.09	-.00167	.01345	-.0016	.0135	-.0003
.96	.05335	.01352	.0531	.0144	-.0163	-1.10	-.05903	.01320	-.0588	.0143	.0168
1.92	.10469	.01330	.1042	.0168	-.0318	-2.10	-.11047	.01274	-.1099	.0168	.0323
2.96	.15914	.01288	.1583	.0211	-.0471	-3.04	-.15872	.01216	-.1579	.0206	.0464
3.96	.20958	.01249	.2082	.0269	-.0613	-4.14	-.21412	.01142	-.2127	.0268	.0615
4.95	.25811	.01189	.2561	.0341	-.0739	-5.09	-.25974	.01071	-.2578	.0337	.0737
5.98	.30750	.01137	.3046	.0433	-.0866	-6.02	-.30435	.00993	-.3016	.0418	.0851
6.95	.35213	.01060	.3483	.0531	-.0976	-8.10	-.39807	.00818	-.3929	.0642	.1064
7.96	.39782	.00994	.3926	.0649	-.1080	-10.08	-.48038	.00658	-.4718	.0906	.1238
8.95	.43811	.00919	.4313	.0772	-.1162	-12.11	-.55342	.00576	-.5399	.1218	.1290
9.99	.48069	.00854	.4719	.0918	-.1233	-14.05	-.62454	.00483	-.6047	.1563	.1413
10.95	.51788	.00804	.5069	.1063	-.1287						
12.00	.55547	.00783	.5417	.1231	-.1319						
12.98	.59071	.00758	.5739	.1401	-.1364						
13.98	.62967	.00704	.6093	.1589	-.1433						
14.95	.66328	.00653	.6391	.1775	-.1499						

$M = 1.8$

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.04	-.26536	.01072	-.2628	.0386	.0714	5.92	.26578	.01189	.2631	.0392	-.0722
-5.06	-.22420	.01127	-.2223	.0310	.0612	4.84	.22027	.01228	.2185	.0308	-.0608
-4.03	-.18171	.01179	-.1804	.0249	.0501	3.92	.18115	.01258	.1799	.0249	-.0509
-3.02	-.13704	.01222	-.1362	.0194	.0385	2.86	.13378	.01273	.1330	.0194	-.0385
-2.02	-.09201	.01257	-.0915	.0158	.0260	1.87	.09012	.01294	.0896	.0159	-.0261
-1.00	-.04624	.01282	-.0460	.0136	.0129	.90	.04443	.01302	.0442	.0137	-.0132
-.02	.00106	.01302	.0011	.0130	-.0006	-.13	-.00231	.01303	-.0023	.0130	.0001
.98	.05026	.01311	.0500	.0140	-.0146	-1.11	-.05260	.01295	-.0523	.0140	.0150
1.97	.09708	.01305	.0966	.0164	-.0279	-2.11	-.10015	.01269	-.0996	.0164	.0284
3.01	.14343	.01291	.1426	.0204	-.0407	-3.08	-.14475	.01233	-.1439	.0201	.0402
4.01	.18824	.01272	.1869	.0259	-.0525	-4.10	-.18823	.01195	-.1869	.0254	.0518
4.97	.22937	.01246	.2274	.0323	-.0633	-5.08	-.22977	.01145	-.2279	.0317	.0624
6.00	.27276	.01204	.2700	.0405	-.0738	-6.14	-.27471	.01082	-.2720	.0401	.0734
6.95	.30992	.01161	.3062	.0490	-.0830	-7.08	-.31227	.01030	-.3086	.0487	.0826
7.99	.35194	.01111	.3470	.0599	-.0921	-8.13	-.35346	.00963	-.3486	.0595	.0917
8.96	.38814	.01058	.3817	.0709	-.0999	-10.08	-.42574	.00842	-.4177	.0828	.1074
9.98	.42555	.01003	.4174	.0836	-.1079	-12.13	-.50013	.00709	-.4875	.1120	.1225
10.98	.46231	.00952	.4520	.0974	-.1153	-14.10	-.56101	.00611	-.5426	.1426	.1290
11.96	.49673	.00897	.4841	.1117	-.1225	-16.06	-.62384	.00527	-.5981	.1776	.1377
13.00	.53278	.00843	.5172	.1281	-.1278	-18.16	-.69452	.00403	-.6587	.2202	.1506
13.96	.56151	.00806	.5430	.1433	-.1305						
14.93	.59092	.00784	.5689	.1599	-.1331						
15.94	.62565	.00747	.5995	.1790	-.1391						
16.99	.66060	.00695	.6297	.1997	-.1456						



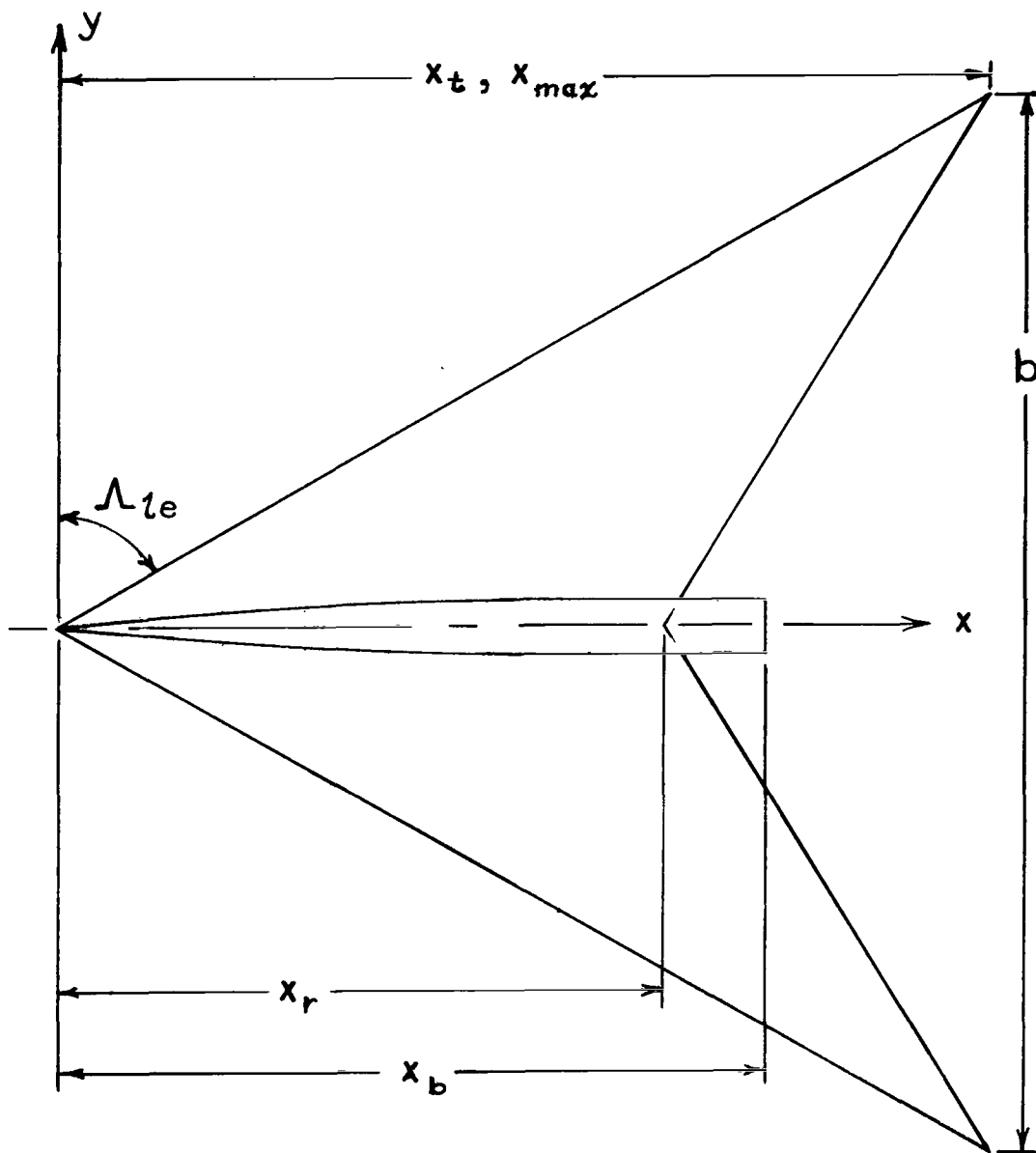
TABLE VIII.- Concluded

(b)  $R = 2.0 \times 10^6$ ;  $M = 2.0$  and  $2.16$  $M = 2.0$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.19	-.24028	.01122	-.2377	.0370	.0624	6.07	.24226	.01212	.2396	.0377	-.0641
-5.25	-.20673	.01164	-.2048	.0305	.0543	5.04	.20430	.01236	.2024	.0303	-.0549
-4.23	-.16860	.01200	-.1673	.0244	.0444	4.05	.16607	.01259	.1648	.0243	-.0452
-3.17	-.12661	.01230	-.1257	.0193	.0340	3.10	.13016	.01269	.1293	.0197	-.0357
-2.17	-.08706	.01253	-.0865	.0158	.0233	2.08	.08898	.01278	.0885	.0160	-.0249
-1.18	-.04714	.01267	-.0469	.0136	.0124	1.06	.04735	.01281	.0471	.0137	-.0135
-.18	-.00527	.01282	-.0052	.0128	.0010	.06	.00621	.01279	.0062	.0128	-.0020
.81	.03566	.01293	.0355	.0134	-.0103	-.96	.03811	.01279	-.0379	.0134	.0100
1.84	.08092	.01303	.0805	.0156	-.0226	-1.93	.08082	.01274	-.0803	.0155	.0218
2.81	.12119	.01305	.1204	.0190	-.0332	-2.93	.12023	.01258	-.1194	.0187	.0324
3.82	.16052	.01299	.1593	.0236	-.0434	-3.92	.15928	.01234	-.1581	.0232	.0426
4.84	.20003	.01283	.1982	.0297	-.0532	-4.91	.19742	.01201	-.1957	.0288	.0521
5.79	.23538	.01263	.2329	.0363	-.0622	-5.91	.23550	.01164	-.2330	.0358	.0613
6.81	.27431	.01235	.2709	.0448	-.0710	-7.96	.31044	.01072	-.3060	.0536	.0786
7.79	.30820	.01200	.3037	.0537	-.0790	-9.99	.37958	.00967	-.3722	.0754	.0931
8.82	.34400	.01158	.3382	.0642	-.0866	-11.97	.44625	.00870	-.4347	.1011	.1071
9.79	.37751	.01122	.3701	.0753	-.0936	-13.97	.50961	.00761	-.4927	.1304	.1195
10.76	.40877	.01081	.3996	.0869	-.1002	-15.96	.56582	.00677	-.5421	.1621	.1257
11.61	.44490	.01037	.4334	.1012	-.1077	-17.95	.62691	.00580	-.5946	.1987	.1365
12.77	.47537	.00997	.4614	.1148	-.1139	-19.98	.68900	.00463	-.6459	.2398	.1477
13.80	.50695	.00951	.4900	.1302	-.1190						
14.83	.53840	.00910	.5181	.1466	-.1238						
15.79	.56545	.00869	.5417	.1622	-.1272						
16.80	.59574	.00835	.5679	.1802	-.1319						
17.81	.62723	.00797	.5947	.1994	-.1375						
18.83	.65874	.00755	.6211	.2197	-.1432						

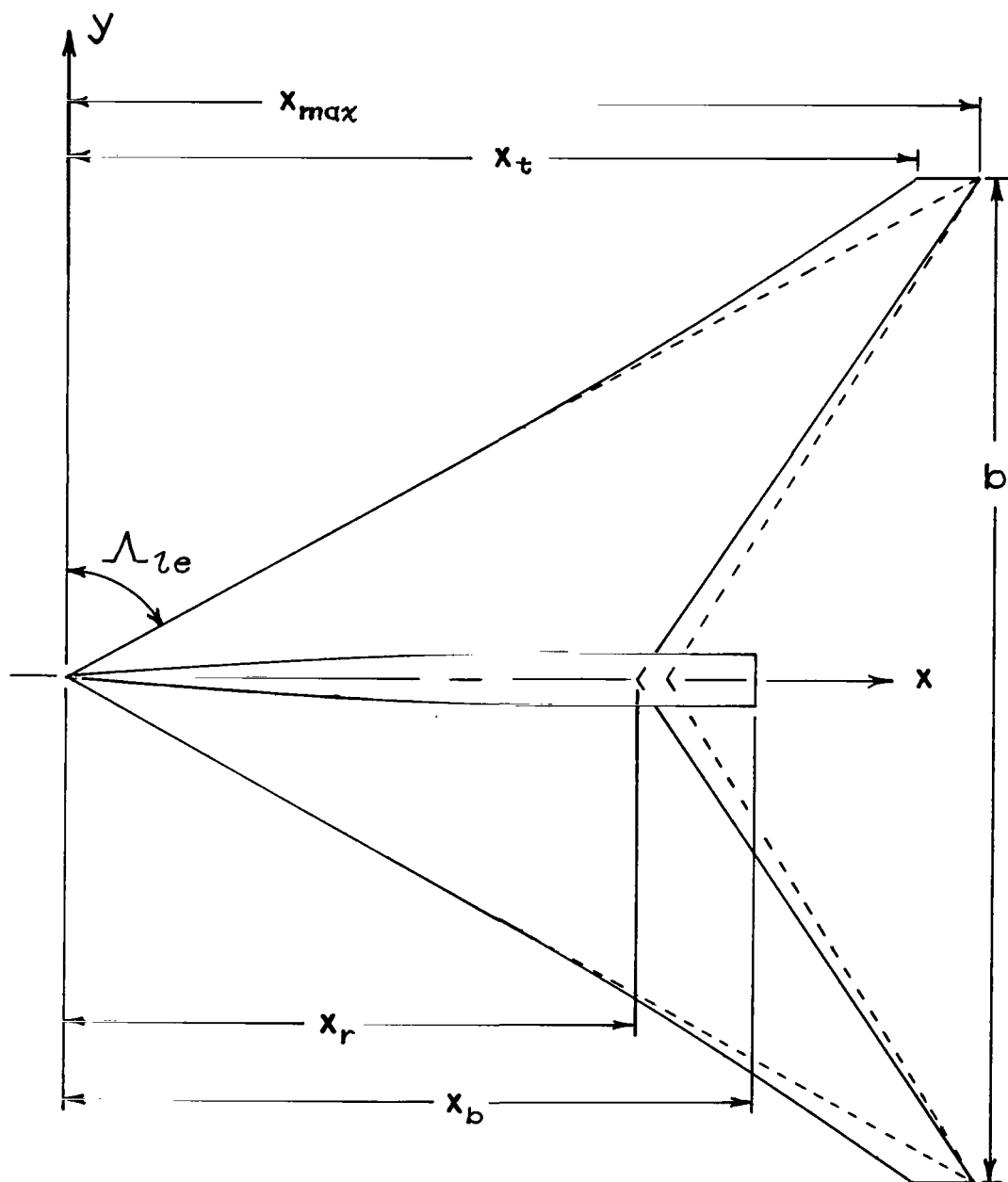
 $M = 2.16$ 

MODEL UPRIGHT						MODEL INVERTED					
$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$	$\alpha, \text{deg}$	$C_N$	$C_A$	$C_L$	$C_D$	$C_m$
-6.04	-.21888	.01173	-.2164	.0347	.0546	5.93	.21837	.01264	.2159	.0351	-.0550
-5.05	-.18534	.01206	-.1836	.0283	.0463	4.93	.18348	.01278	.1817	.0285	-.0466
-4.09	-.15117	.01236	-.1499	.0231	.0381	3.94	.14876	.01291	.1475	.0231	-.0380
-3.04	-.11350	.01260	-.1127	.0186	.0289	2.91	.11141	.01298	.1106	.0186	-.0289
-2.05	-.07673	.01275	-.0762	.0155	.0194	1.89	.07358	.01299	.0731	.0154	-.0193
-1.00	-.03720	.01289	-.0370	.0135	.0092	.91	.03662	.01299	.0364	.0136	-.0098
-.01	.00063	.01301	.0006	.0130	-.0005	-.07	.00003	.01297	.0000	.0130	-.0002
.97	.03833	.01310	.0381	.0137	-.0102	-1.08	.03904	.01292	-.0388	.0137	.0100
1.96	.07839	.01320	.0779	.0159	-.0205	-2.09	.08047	.01289	-.0799	.0158	.0203
2.98	.11606	.01321	.1152	.0192	-.0302	-3.10	.11784	.01273	-.1170	.0191	.0301
3.96	.15190	.01317	.1506	.0236	-.0392	-4.08	.15325	.01256	-.1520	.0234	.0388
4.98	.18863	.01306	.1868	.0294	-.0483	-5.09	.18934	.01222	-.1875	.0290	.0476
5.94	.22210	.01292	.2196	.0358	-.0563	-6.10	.22502	.01190	-.2225	.0357	.0562
6.97	.25846	.01267	.2550	.0439	-.0645	-8.12	.29398	.01113	-.2895	.0526	.0719
8.00	.29278	.01237	.2882	.0530	-.0721	-10.11	.35771	.01031	-.3503	.0730	.0855
8.98	.32407	.01207	.3182	.0625	-.0790	-12.10	.41962	.00944	-.4083	.0972	.0983
9.97	.35626	.01176	.3488	.0733	-.0856	-14.08	.48084	.00853	-.4643	.1253	.1103
10.98	.38872	.01144	.3794	.0853	-.0924	-16.12	.54000	.00751	-.5167	.1571	.1203
11.98	.41970	.01113	.4083	.0980	-.0991	-18.10	.59521	.00662	-.5637	.1912	.1287
12.97	.45091	.01077	.4370	.1117	-.1058	-20.08	.65387	.00551	-.6122	.2297	.1392
13.92	.47910	.01035	.4625	.1253	-.1109						
14.95	.50984	.00993	.4900	.1411	-.1167						
15.96	.53906	.00952	.5157	.1574	-.1213						
16.95	.56687	.00916	.5396	.1740	-.1255						
17.96	.59587	.00885	.5641	.1921	-.1301						
18.99	.62654	.00842	.5897	.2118	-.1353						
19.94	.65420	.00799	.6122	.2307	-.1404						



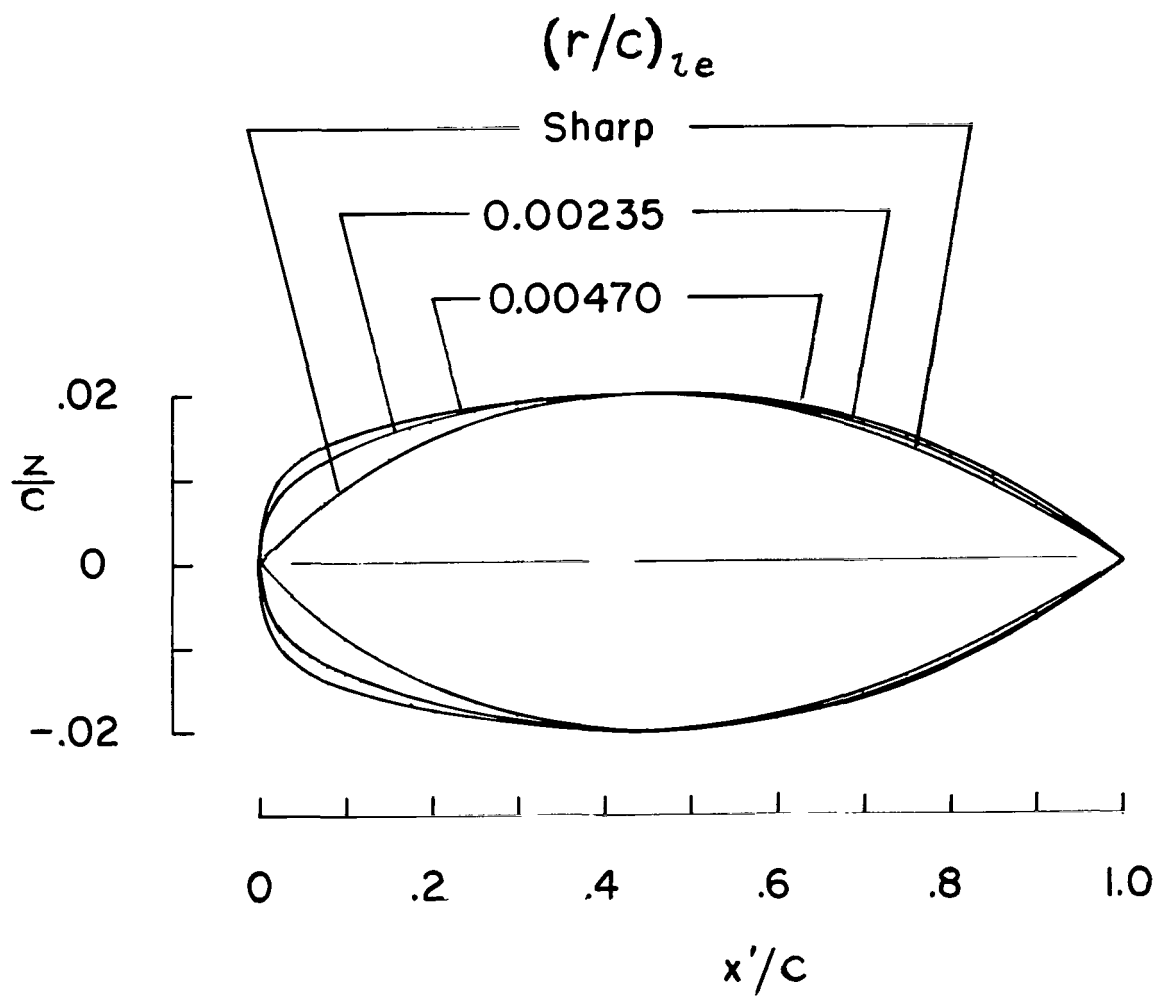
(a) Reference arrow wing.

Figure 1.- Wind-tunnel model descriptions.



(b) Modified arrow wing.

Figure 1.- Continued.



(c) Airfoil description.

Figure 1.- Concluded.

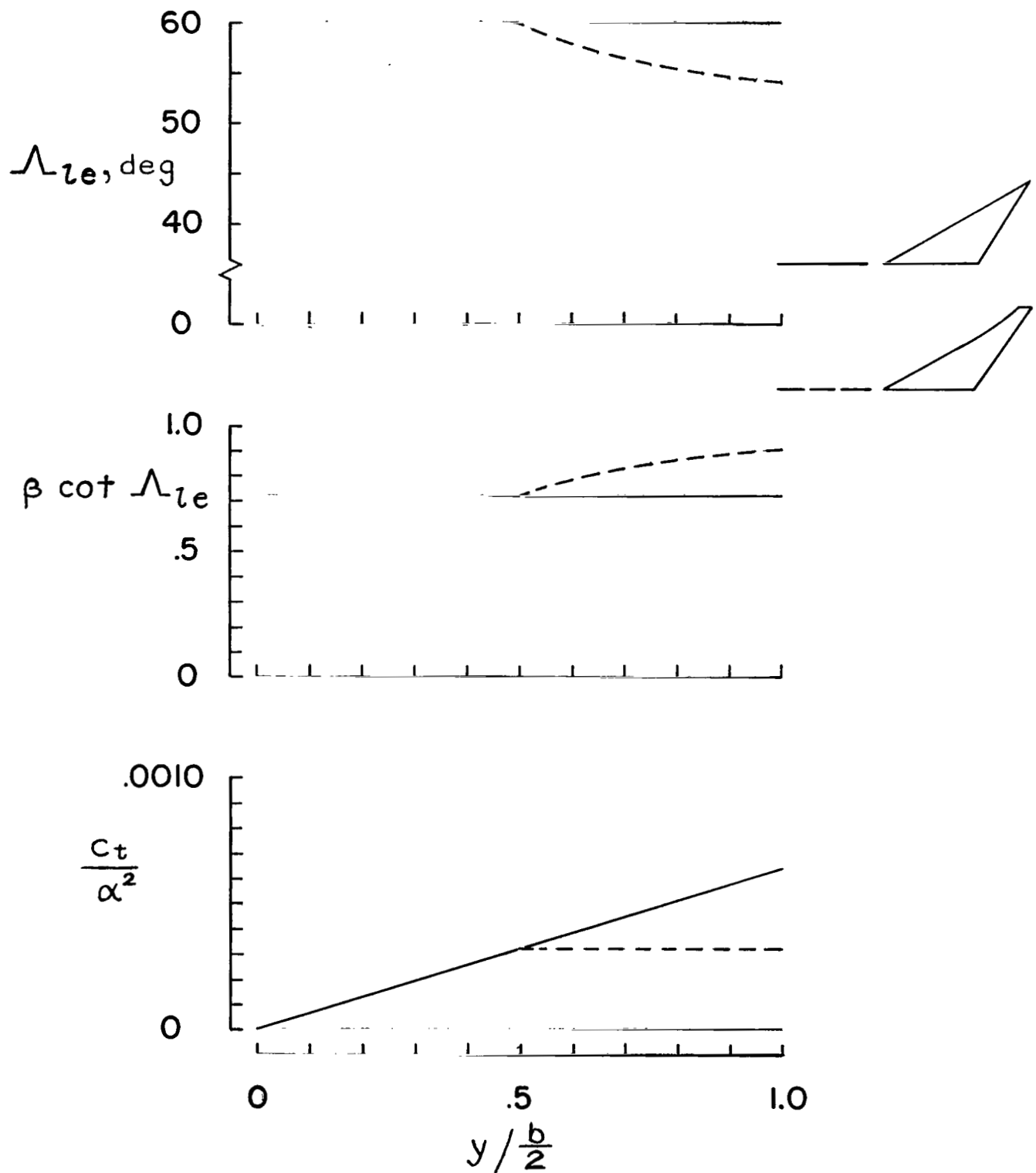


Figure 2.- Comparison of planforms and full leading-edge thrust variation on arrow and modified arrow wings at  $M = 1.6$ .

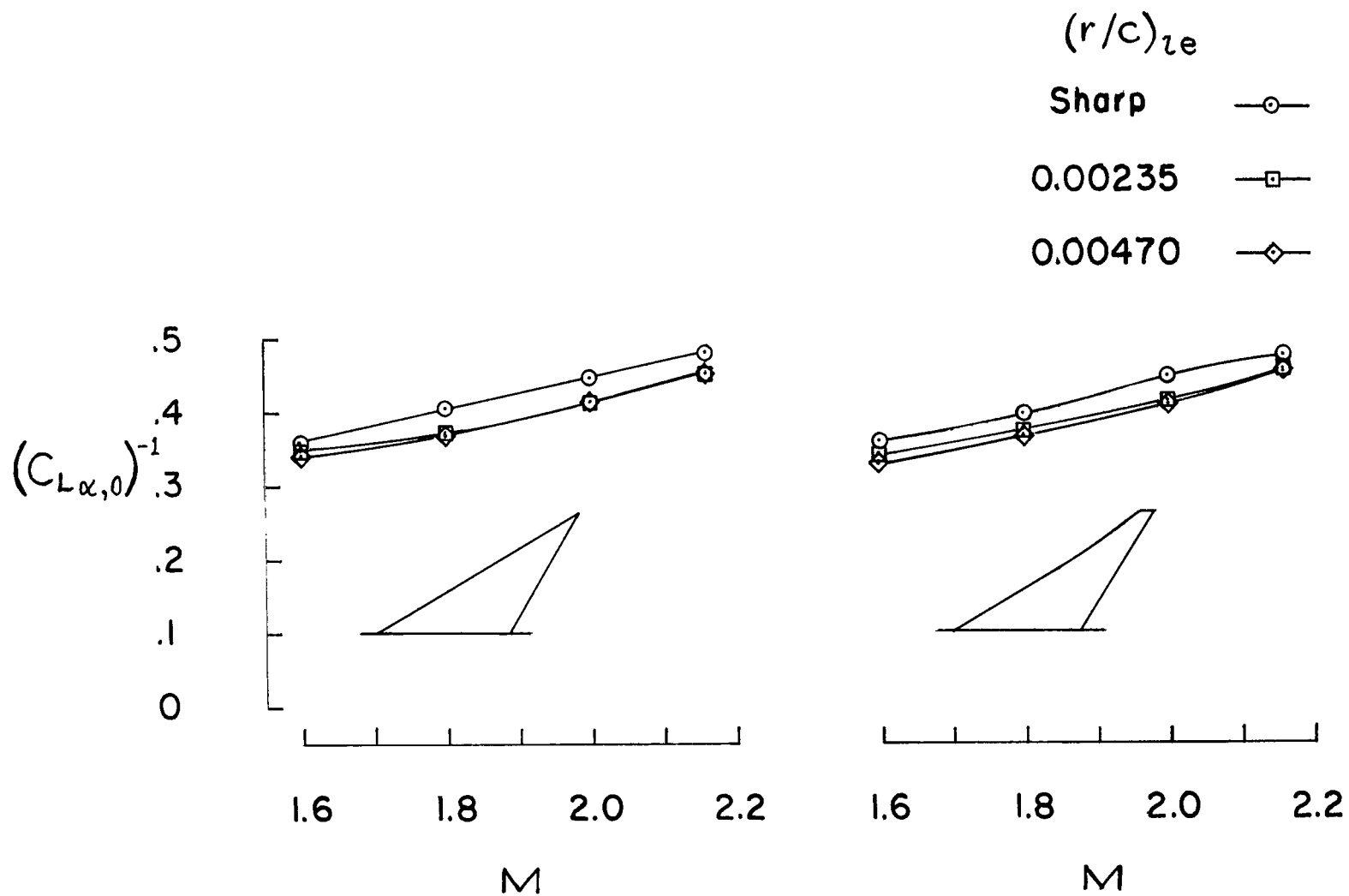


Figure 3.- Experimental values of  $(C_{L\alpha,0})^{-1}$  for  $R = 2.0 \times 10^6$ .

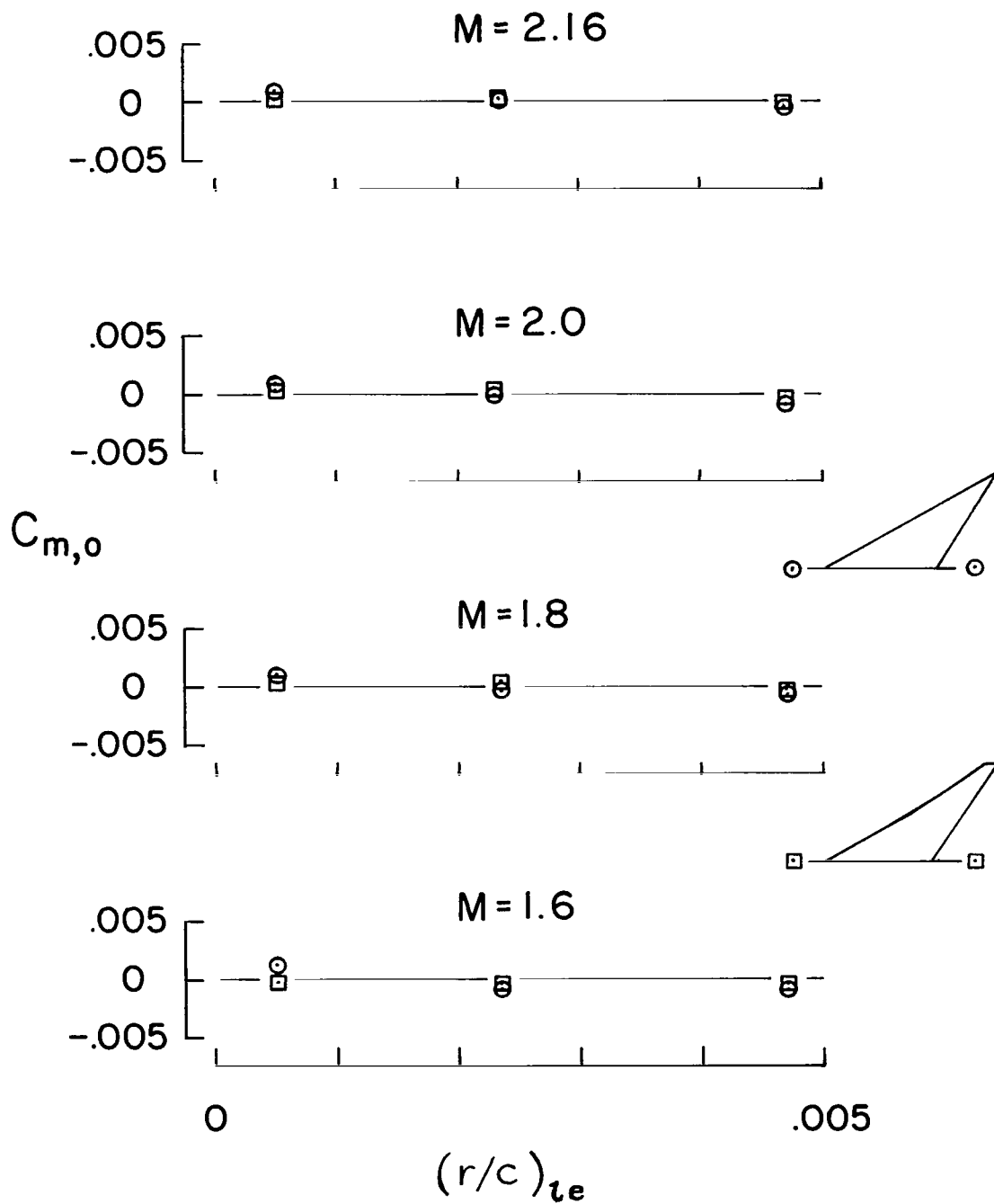
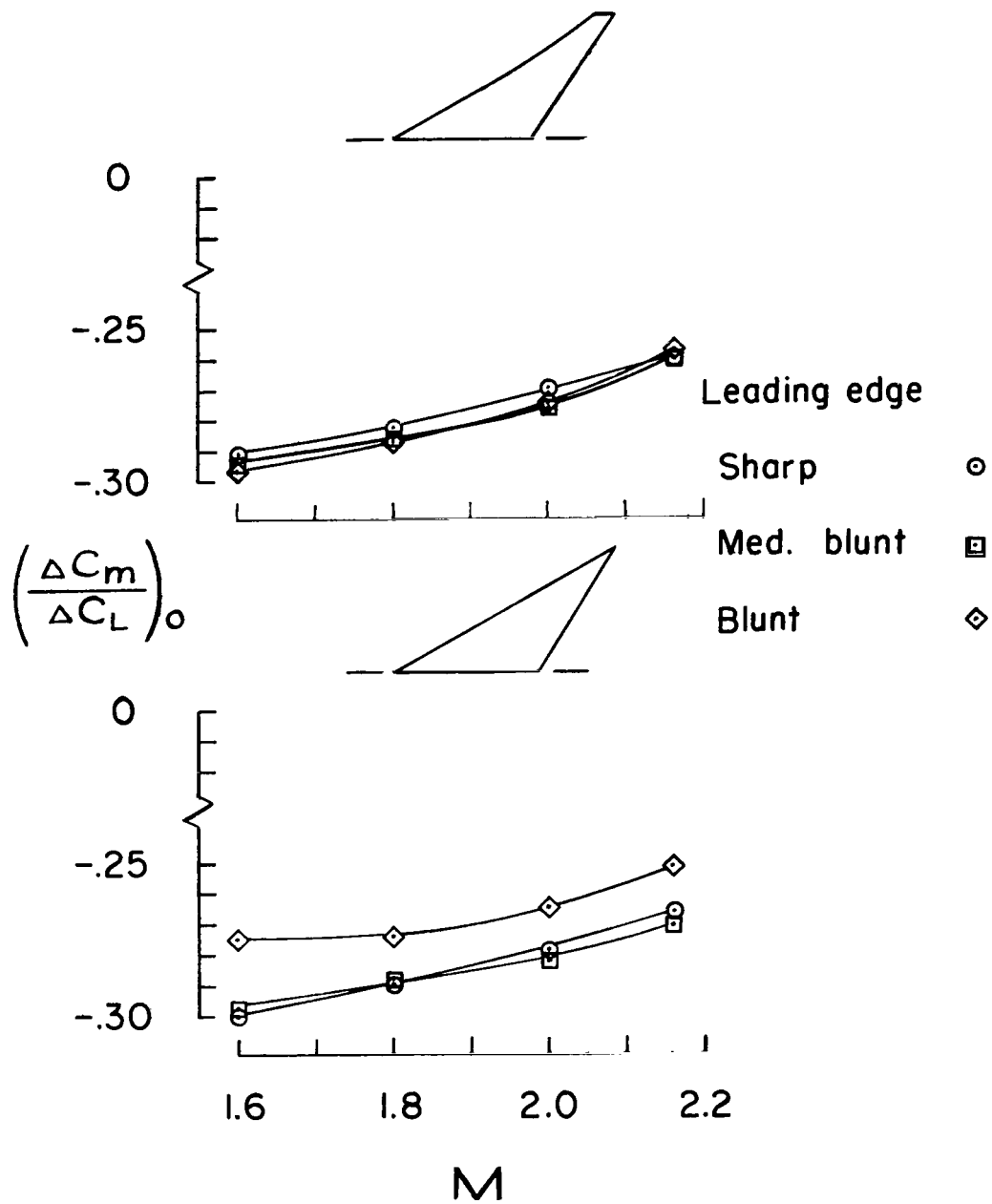


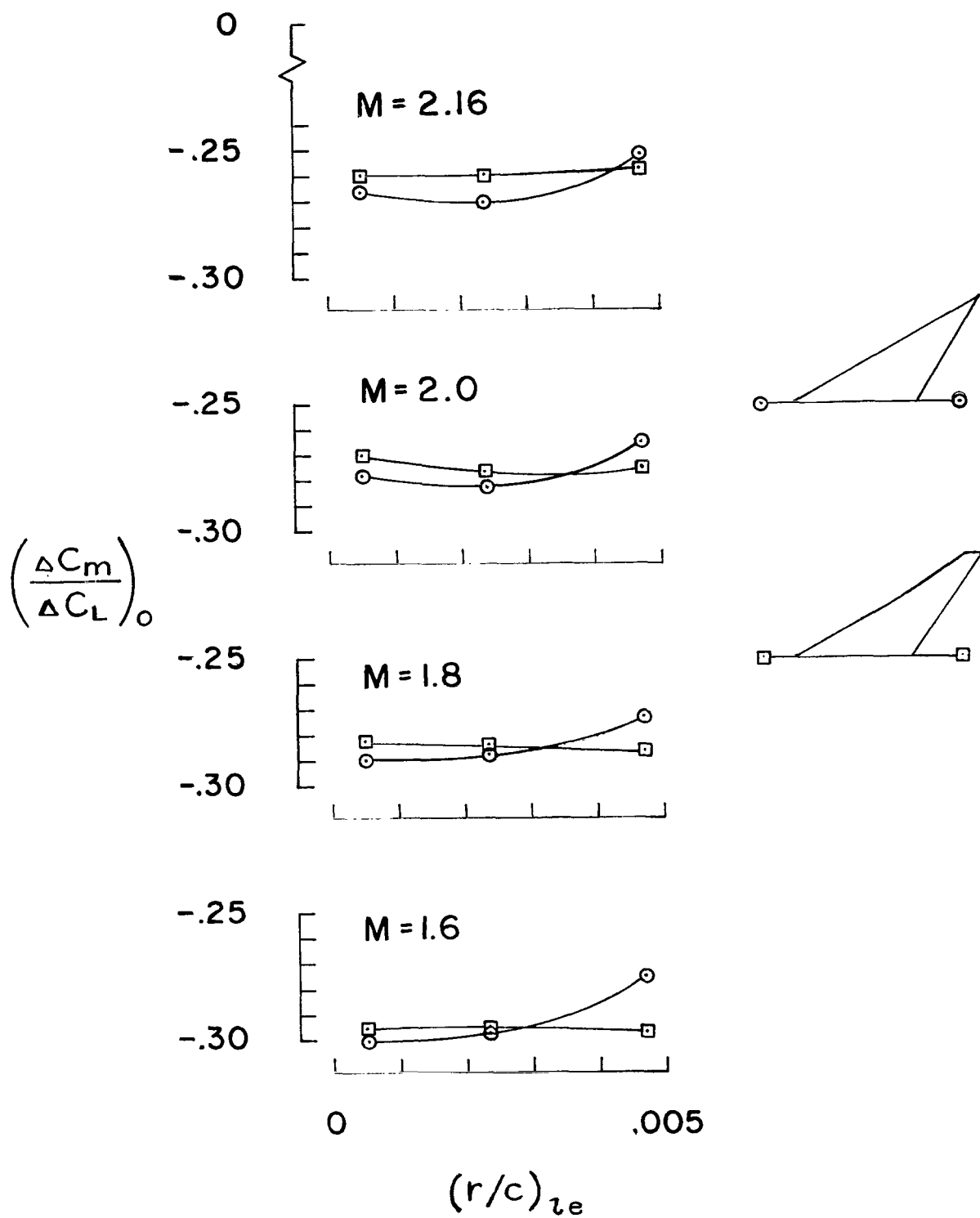
Figure 4.- Experimental values of  $C_{m,o}$  for  $R = 2.0 \times 10^6$ .



(a) Mach number effects.

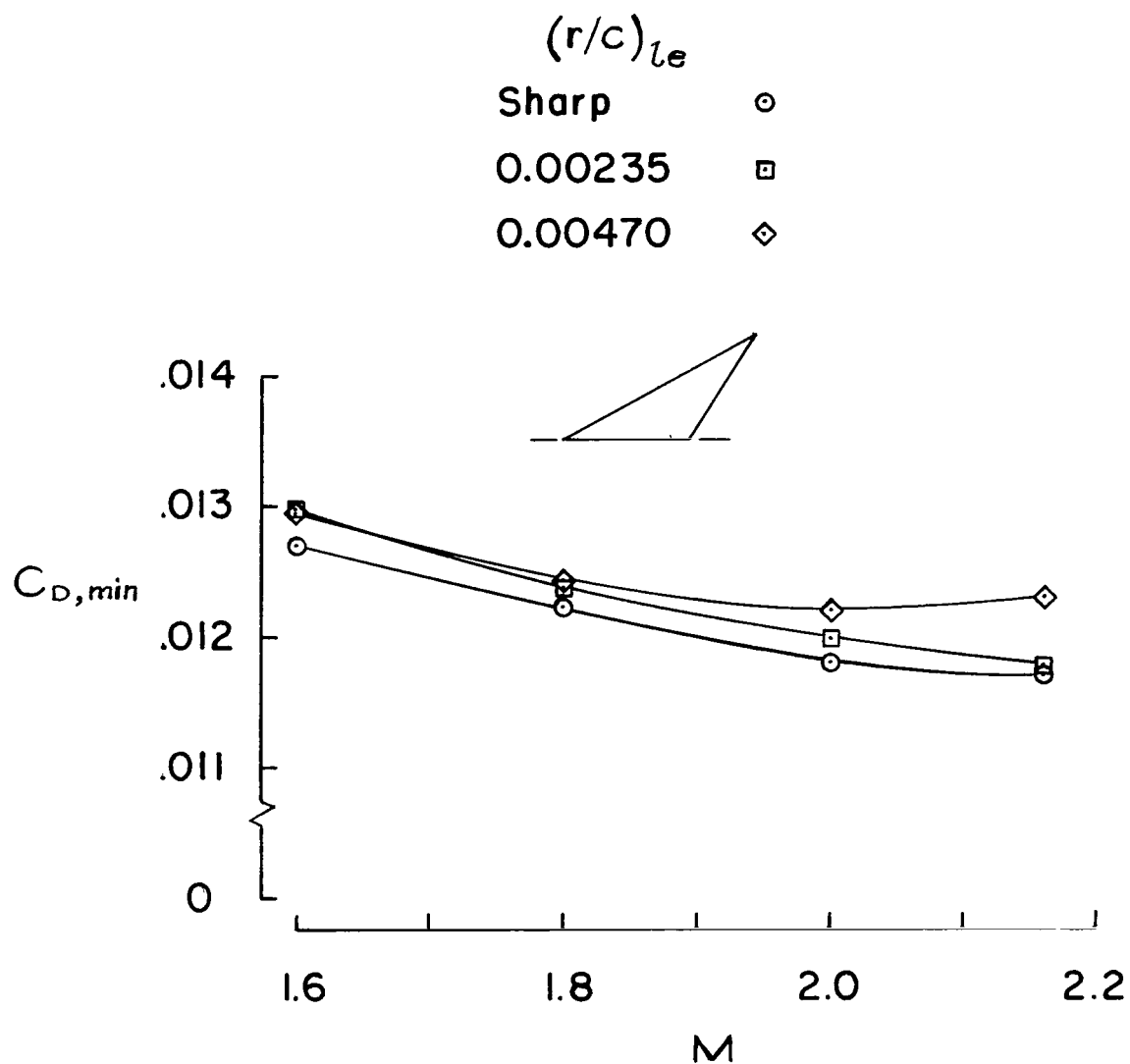
Figure 5.- Effects of planform, bluntness, and Mach number on  $\left(\frac{\Delta C_m}{\Delta C_L}\right)_0$  at  $R = 2.0 \times 10^6$ .





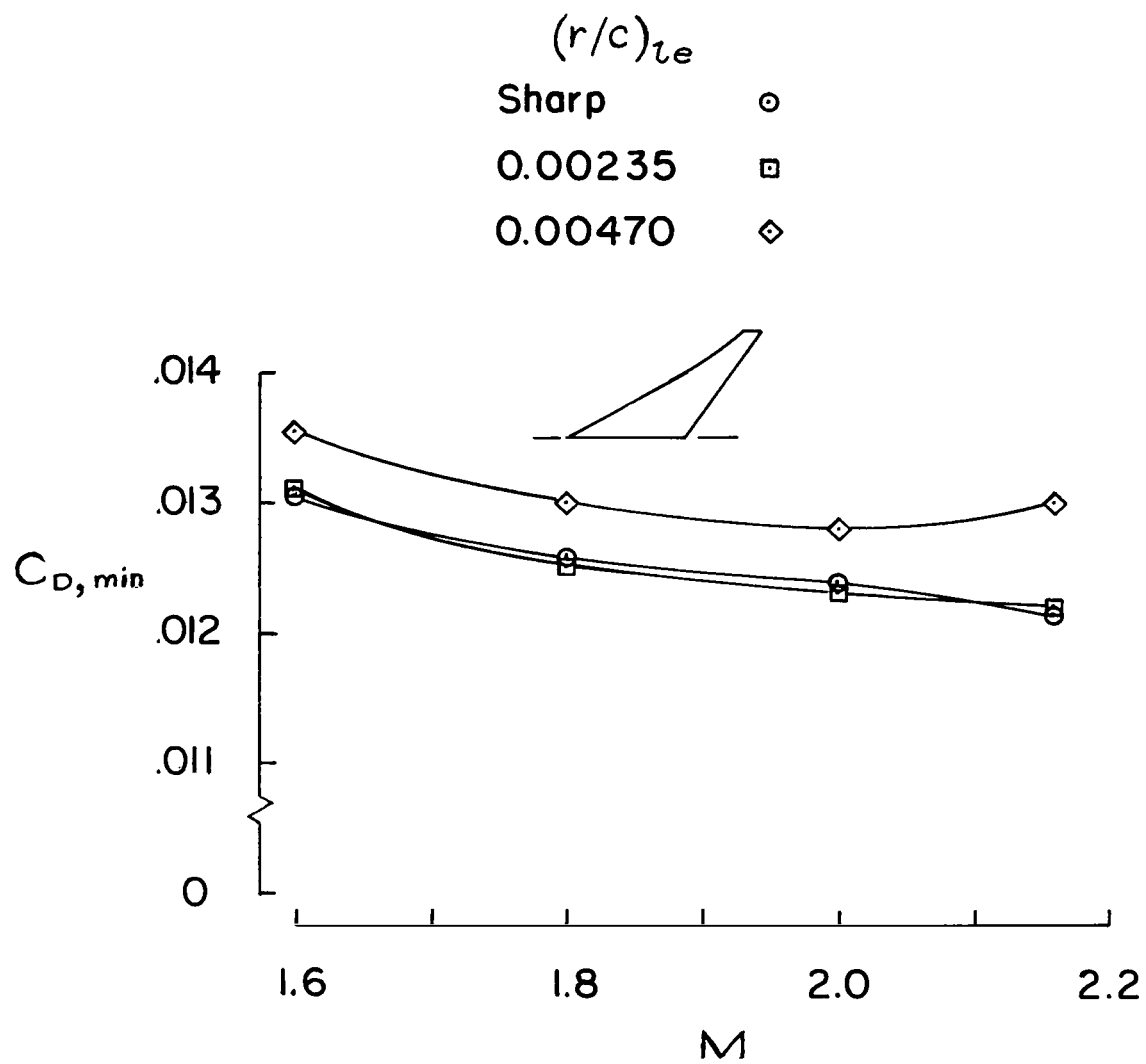
(b) Bluntness effects.

Figure 5.- Concluded.



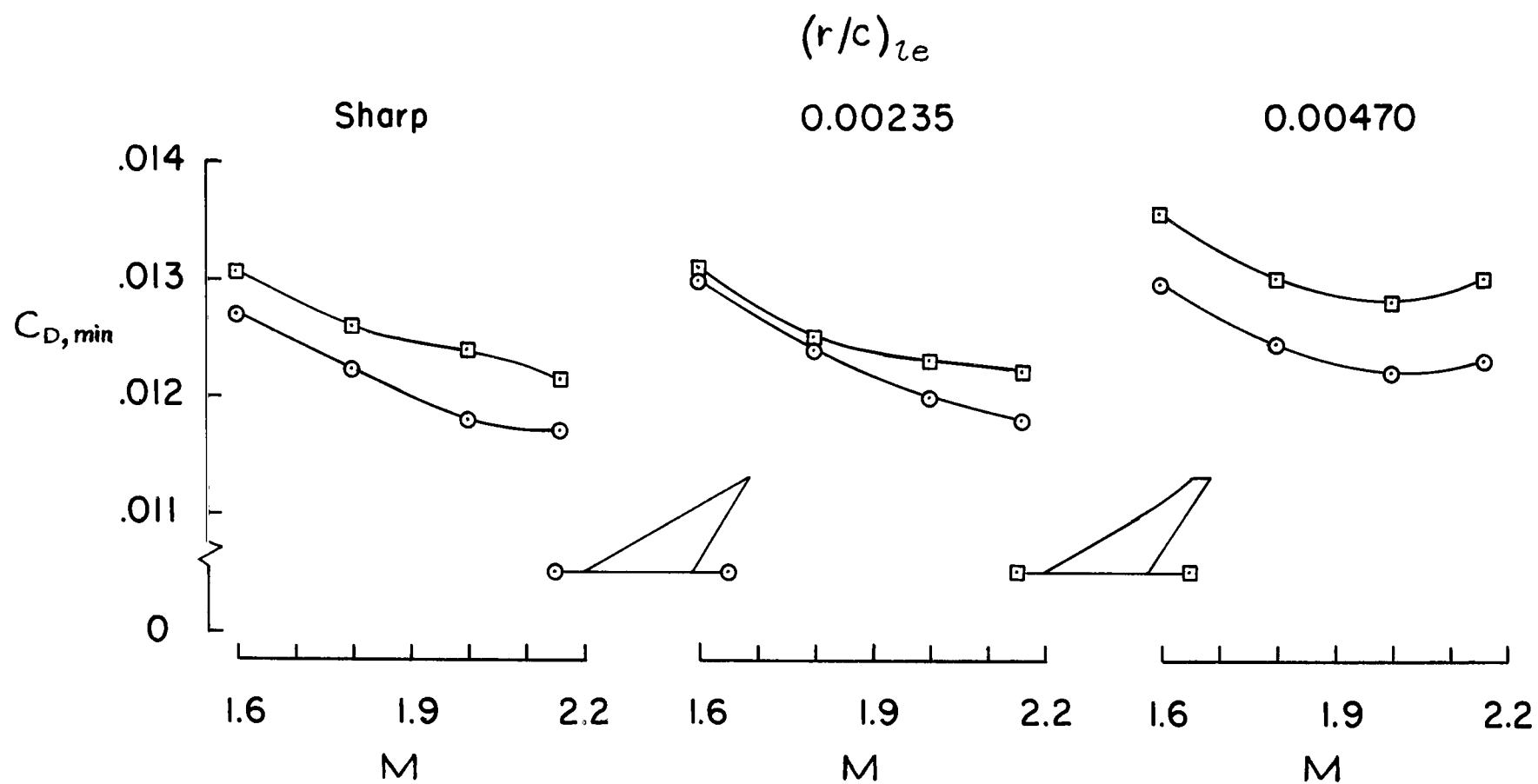
(a) Arrow wing.

Figure 6.- Effect of planform and leading-edge bluntness on  $C_{D,min}$  at  $R = 2.0 \times 10^6$ .



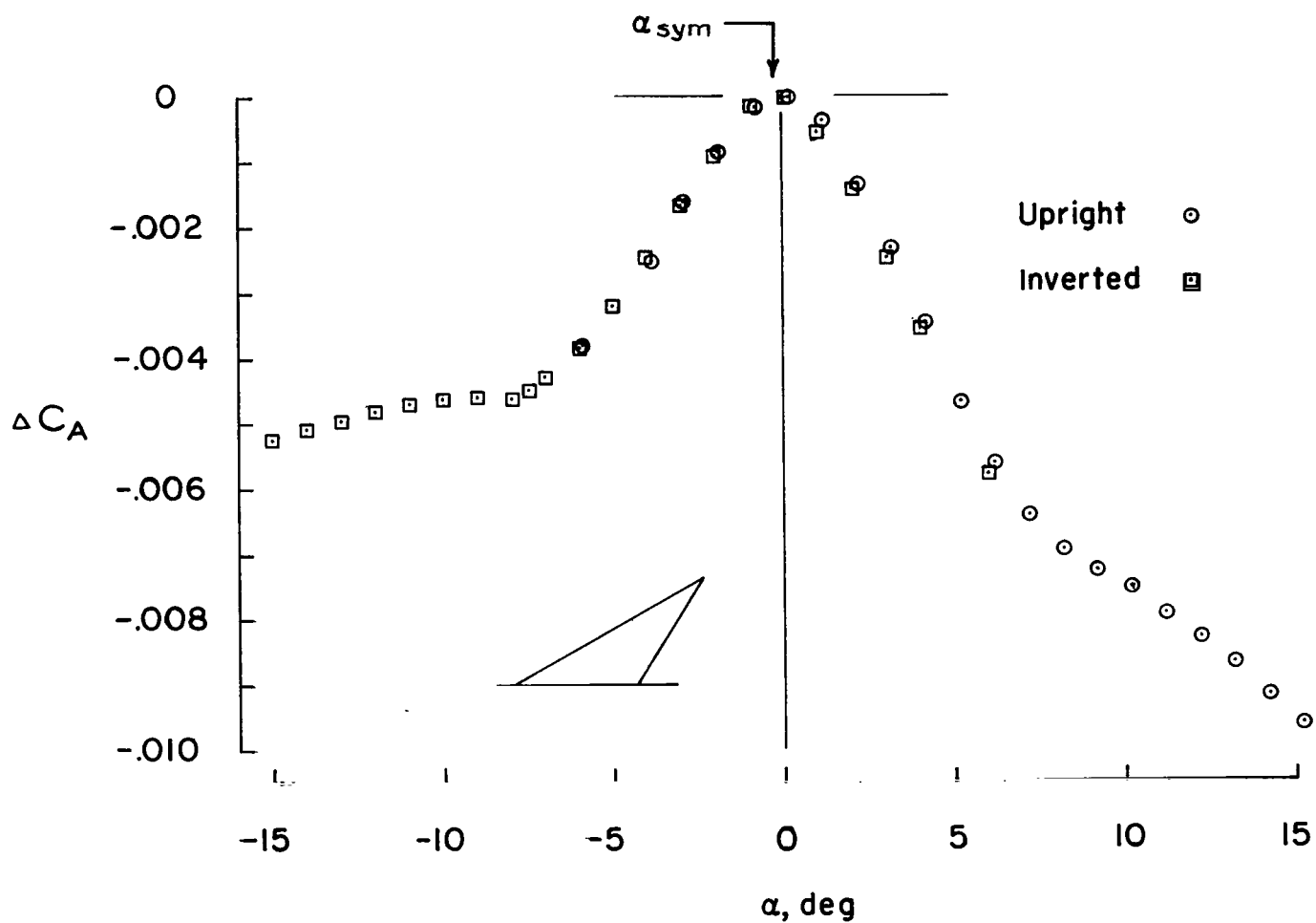
(b) Modified arrow wing.

Figure 6.- Continued.



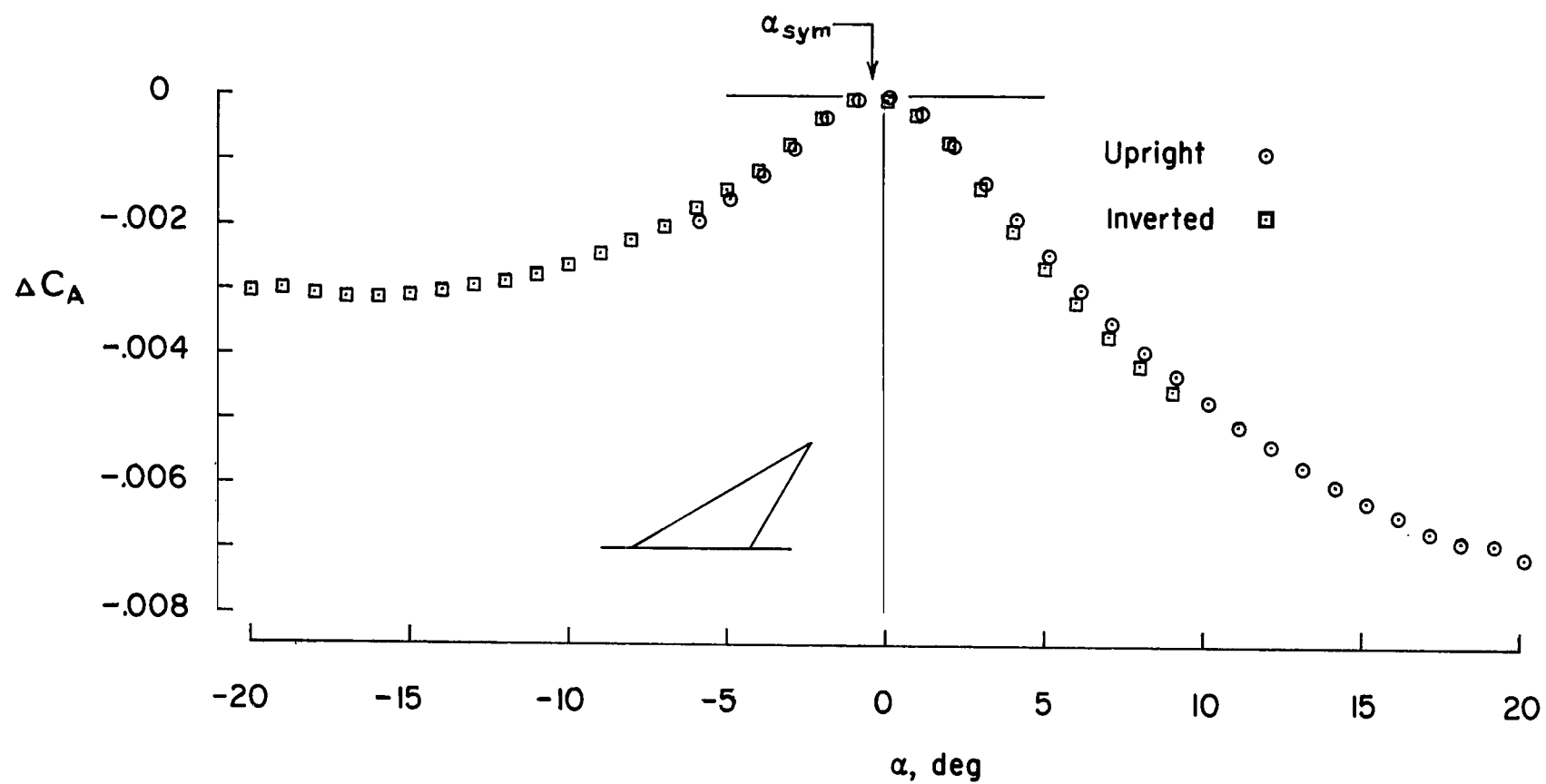
(c) Comparison of  $C_{D,min}$  for arrow and modified arrow wings.

Figure 6.- Concluded.



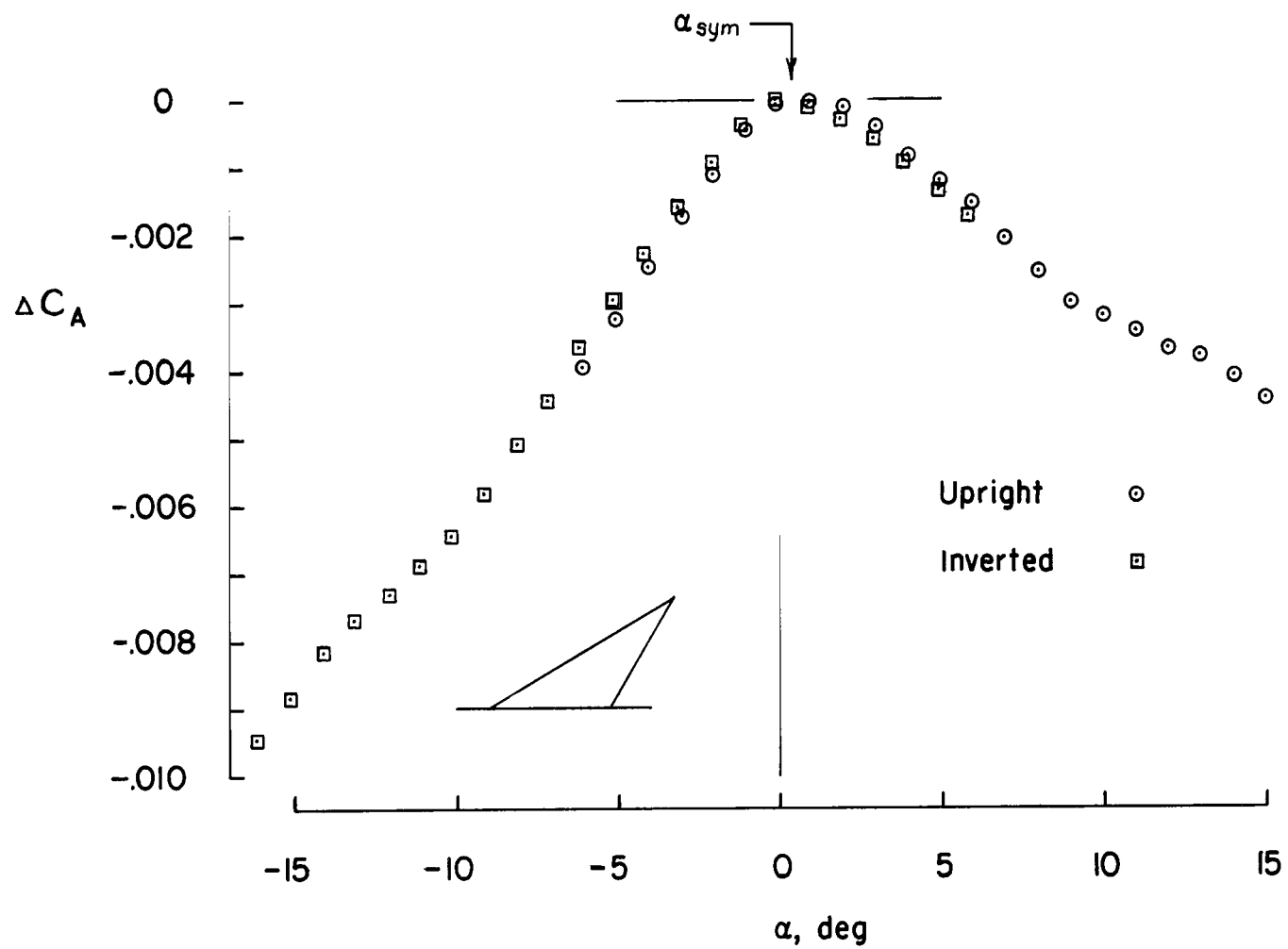
(a) Sharp leading edge at  $M = 1.6$  and  $R = 2.0 \times 10^6$ .

Figure 7.- Samples of experimental  $\Delta C_A$  plotted against  $\alpha$  for arrow wings.



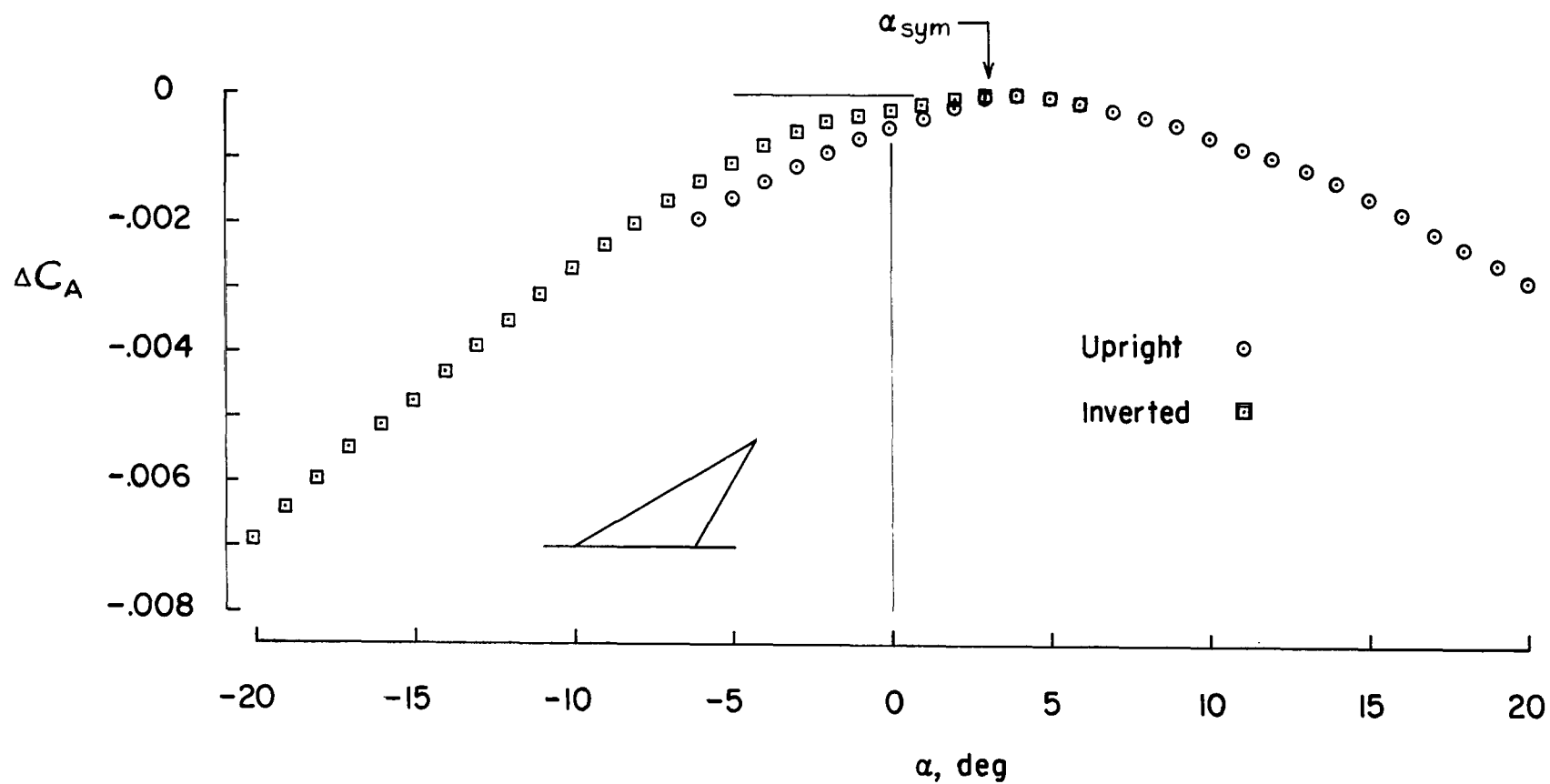
(b) Sharp leading edge at  $M = 2.16$  and  $R = 2.0 \times 10^6$ .

Figure 7.- Continued.



(c)  $(r/c)_{le} = 0.00470$  at  $M = 1.6$  and  $R = 2.0 \times 10^6$ .

Figure 7.- Continued.



(d)  $(r/c)_{le} = 0.00470$  at  $M = 2.16$  and  $R = 2.0 \times 10^6$ .

Figure 7.- Concluded.



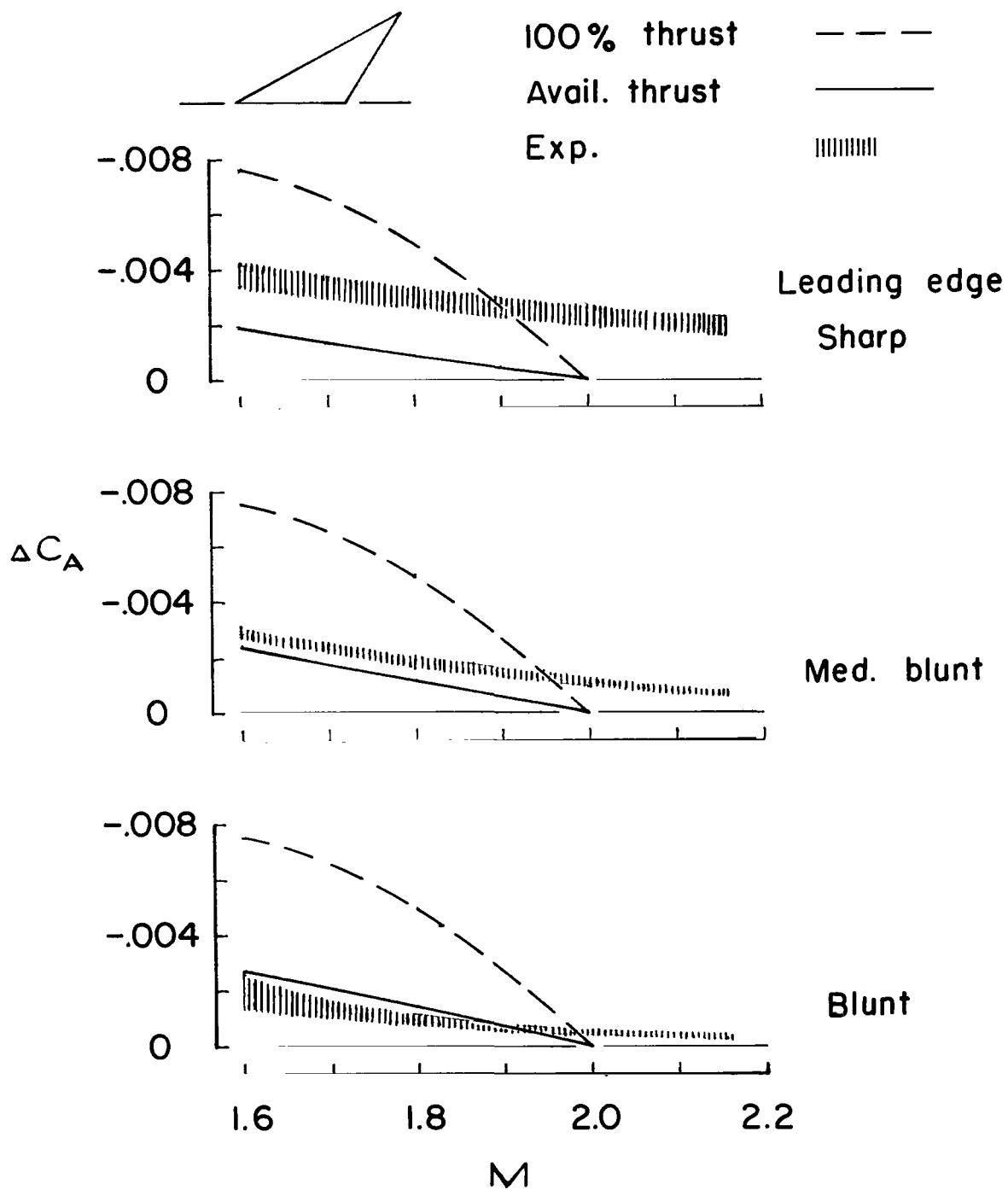
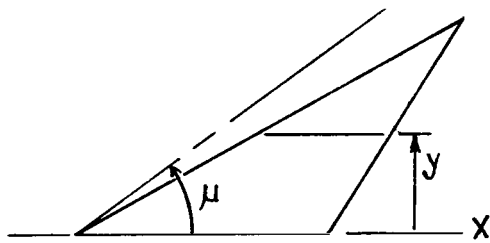


Figure 8.- Comparison of full and available leading-edge thrust theory with experiment for  $\Delta\alpha = 5.0^\circ$  and  $R = 2.0 \times 10^6$ .

## Linear theory



## Nonlinear theory

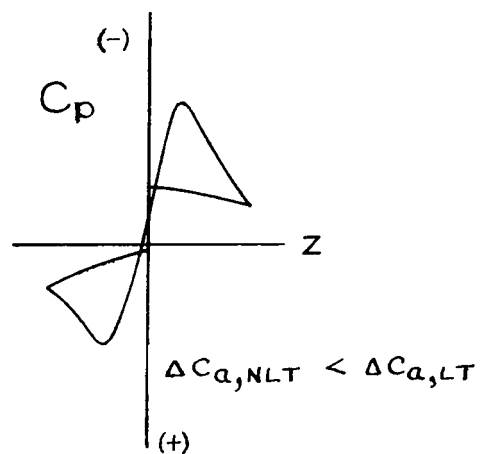
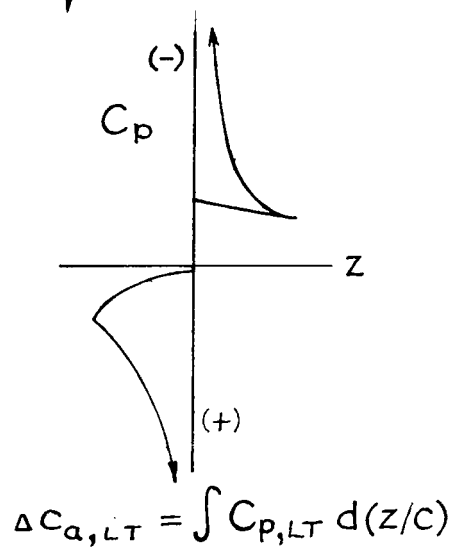
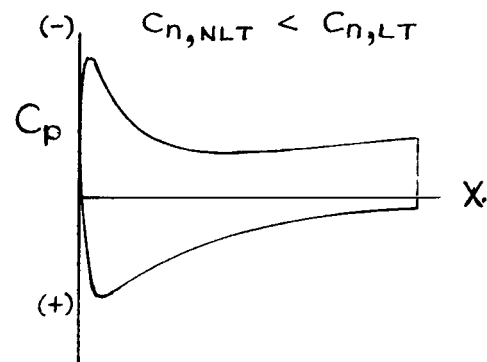
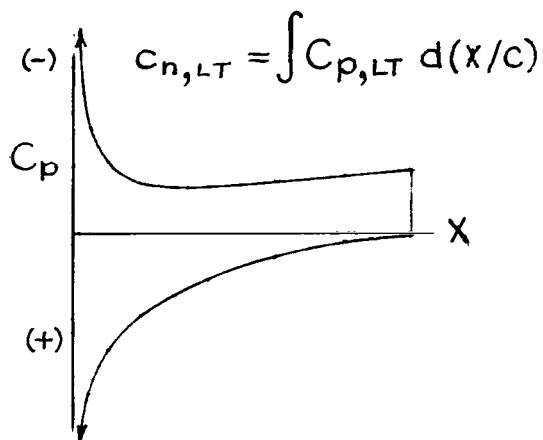
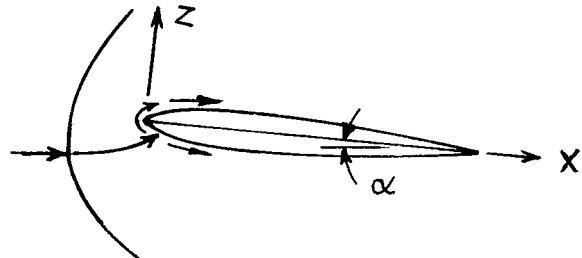
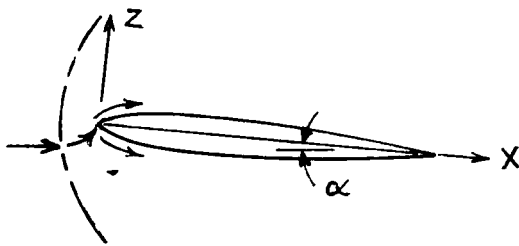
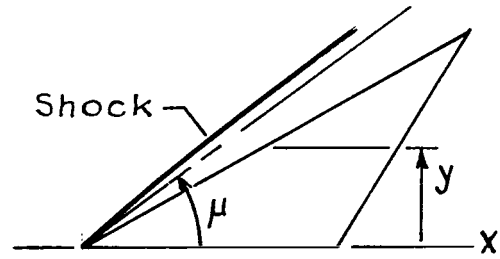


Figure 9.- Comparison of linear and nonlinear theory flow models.

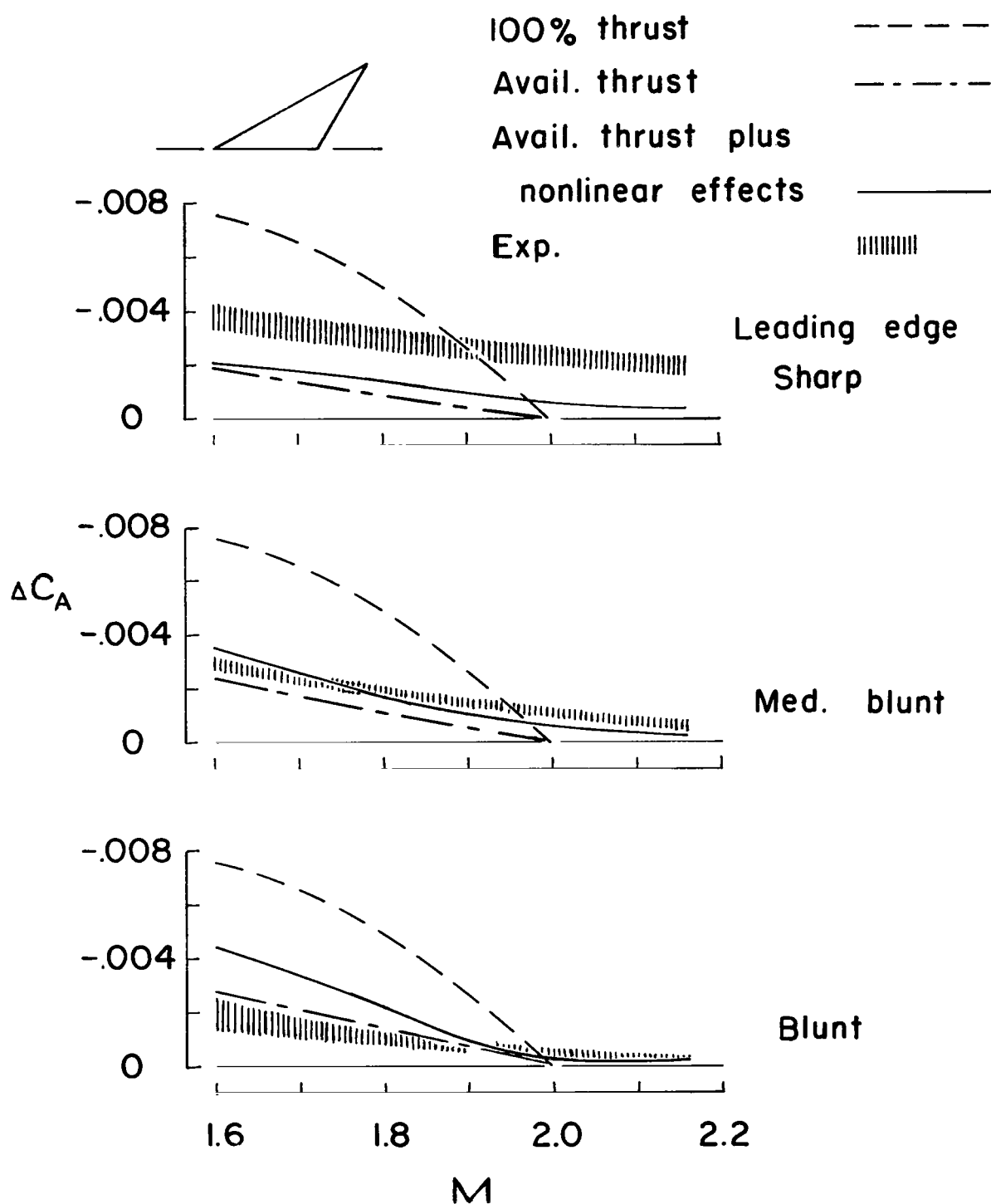


Figure 10.- Comparison of theoretical and experimental  $\Delta C_A$  at  $\Delta\alpha = 5.0^\circ$  and  $R = 2.0 \times 10^6$  with nonlinear corrections included.

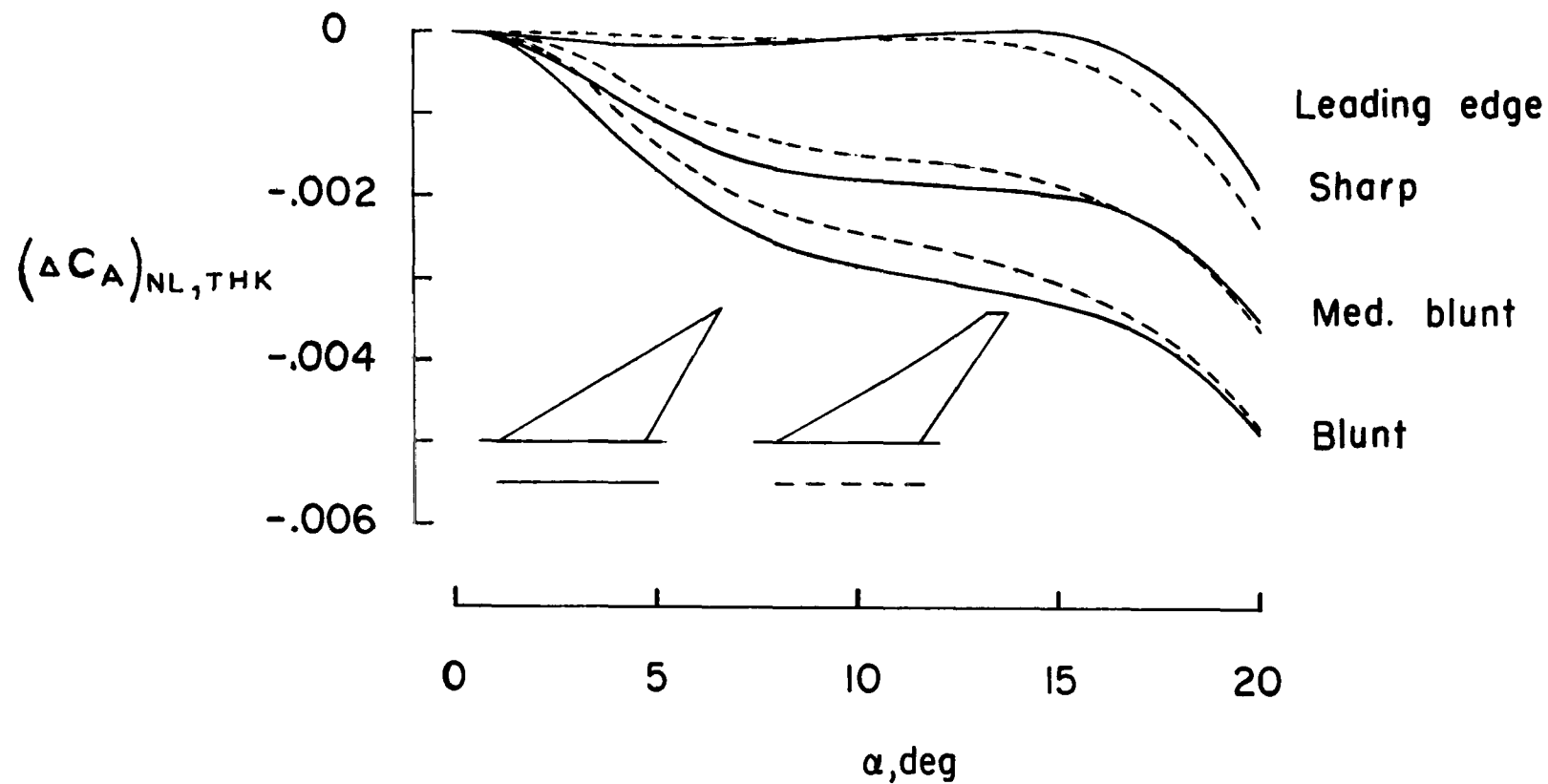
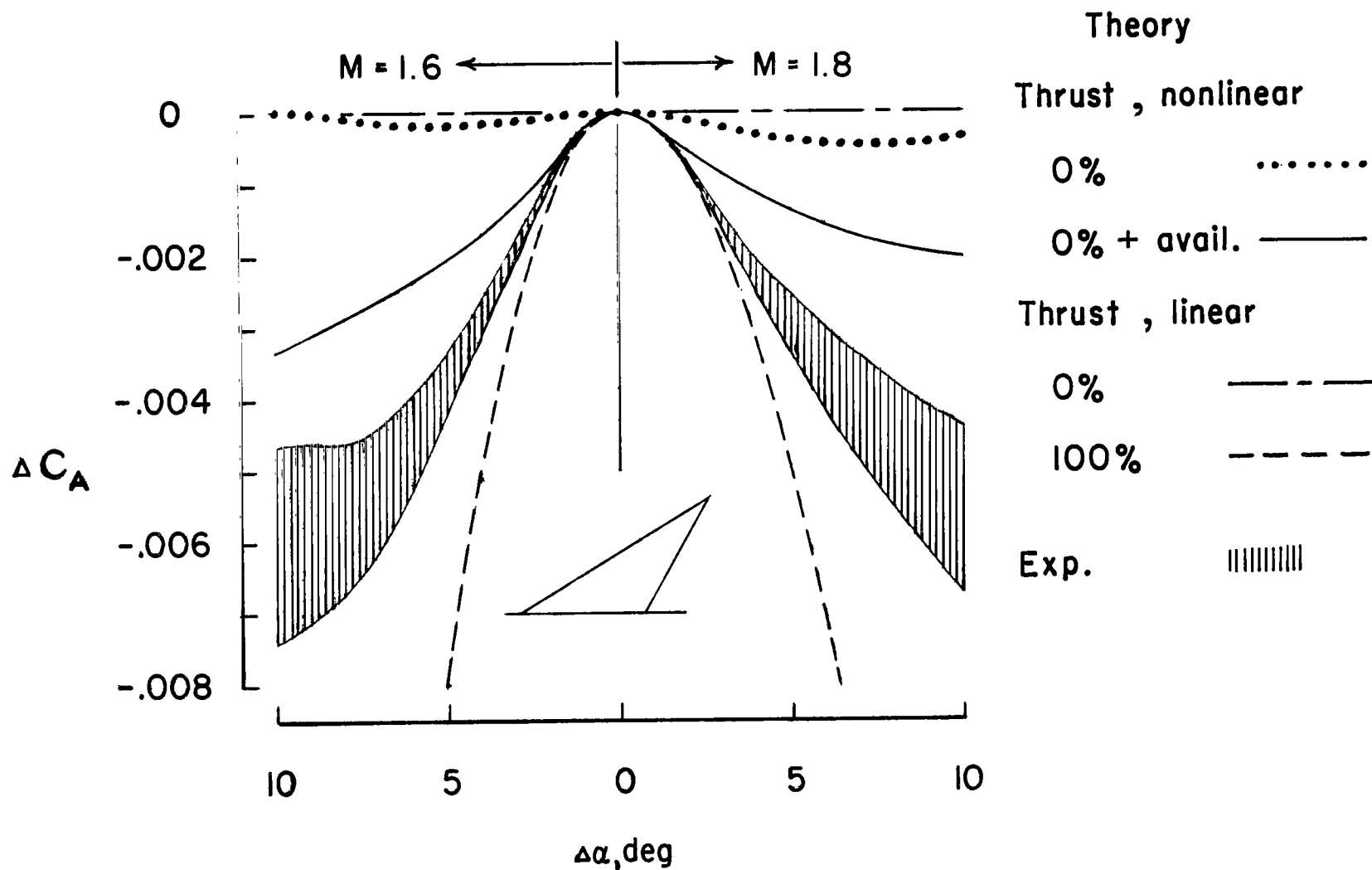
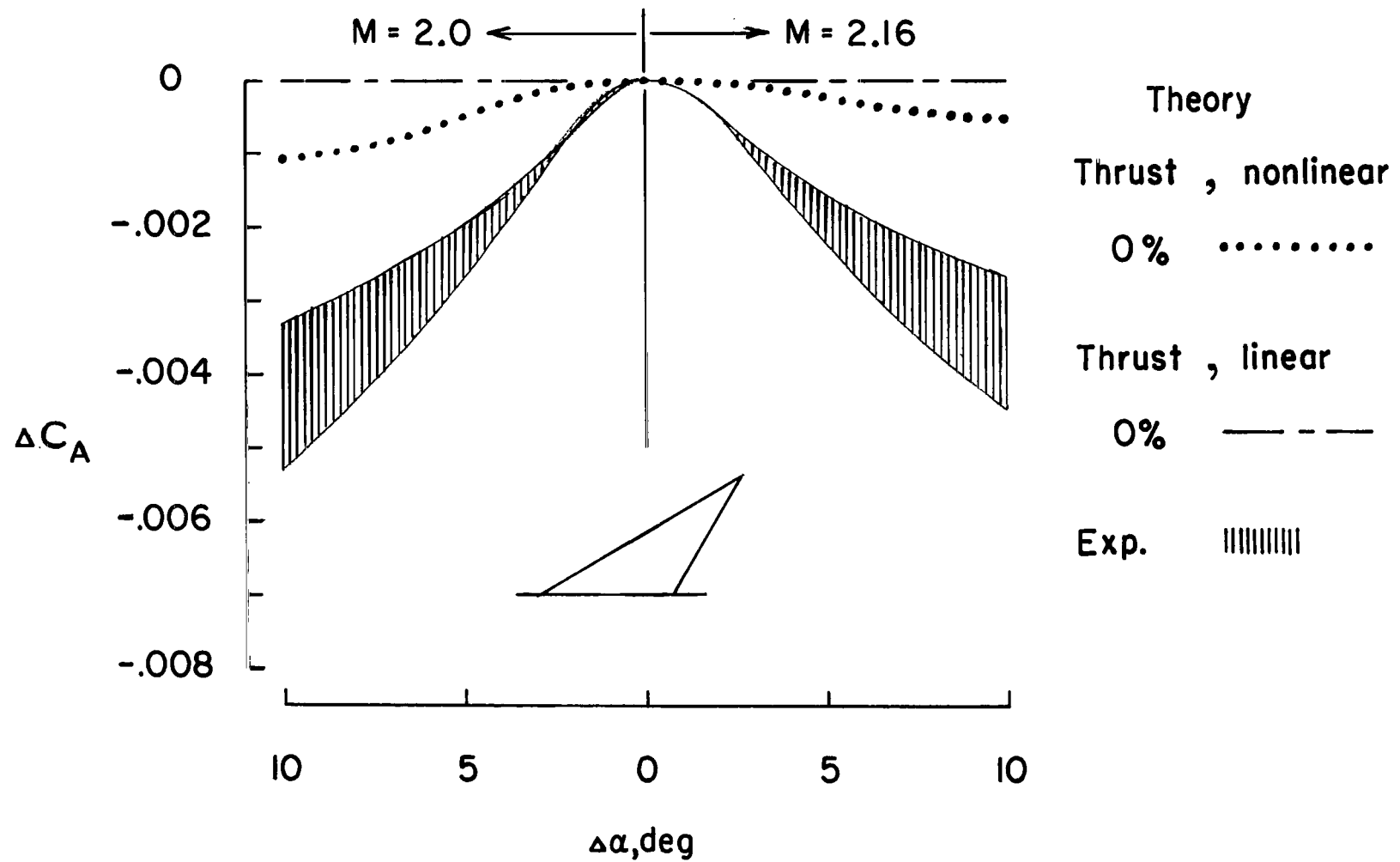


Figure 11.- Theoretical values of  $(\Delta C_A)_{NL,THK}$  at  $M = 1.6$  and  $R = 2.0 \times 10^6$ .



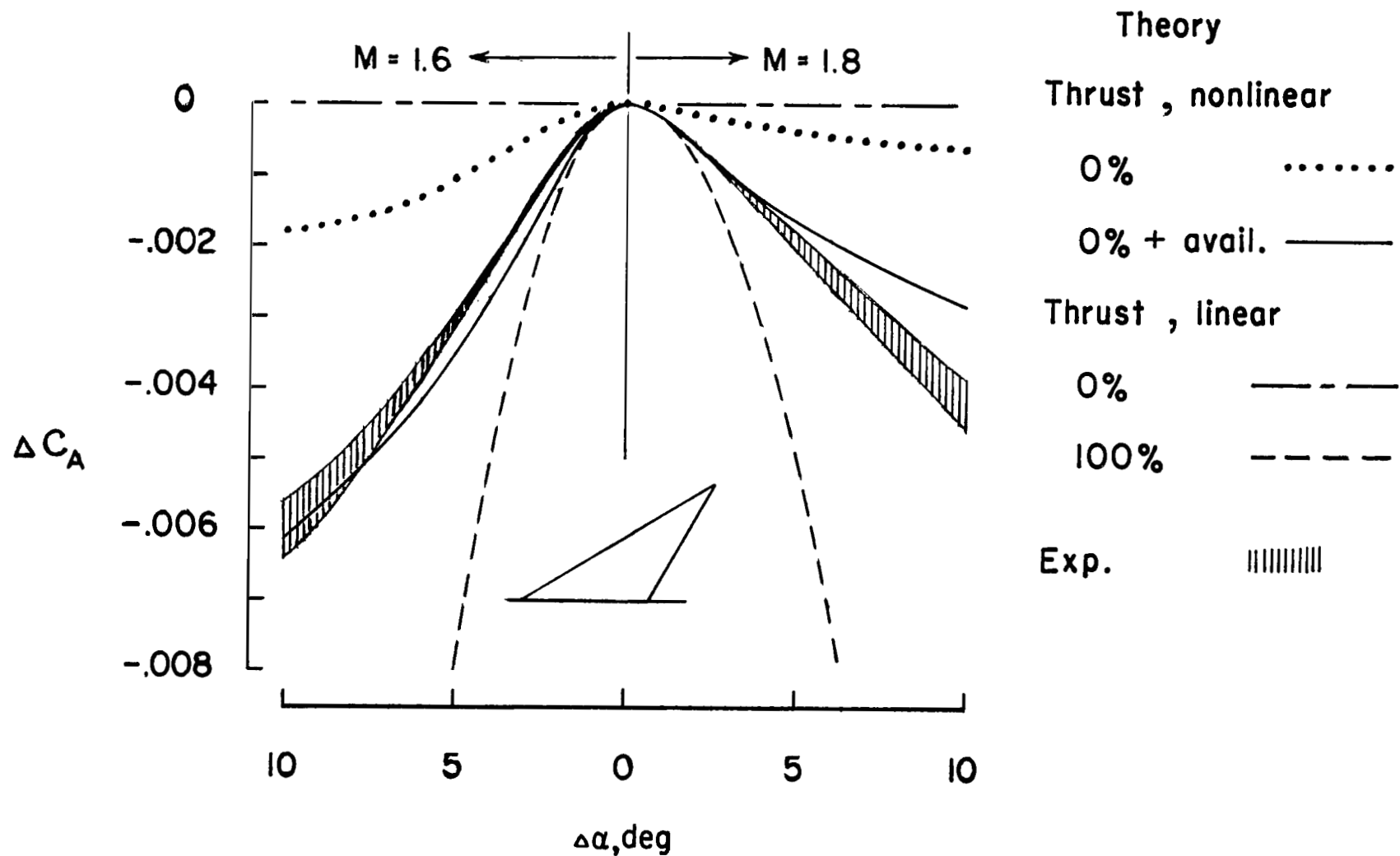
(a) Arrow wing; sharp leading edge;  $M = 1.6$  and  $1.8$ .

Figure 12.- Comparison of theoretical and experimental  $\Delta C_A$  for  $R = 2.0 \times 10^6$ .



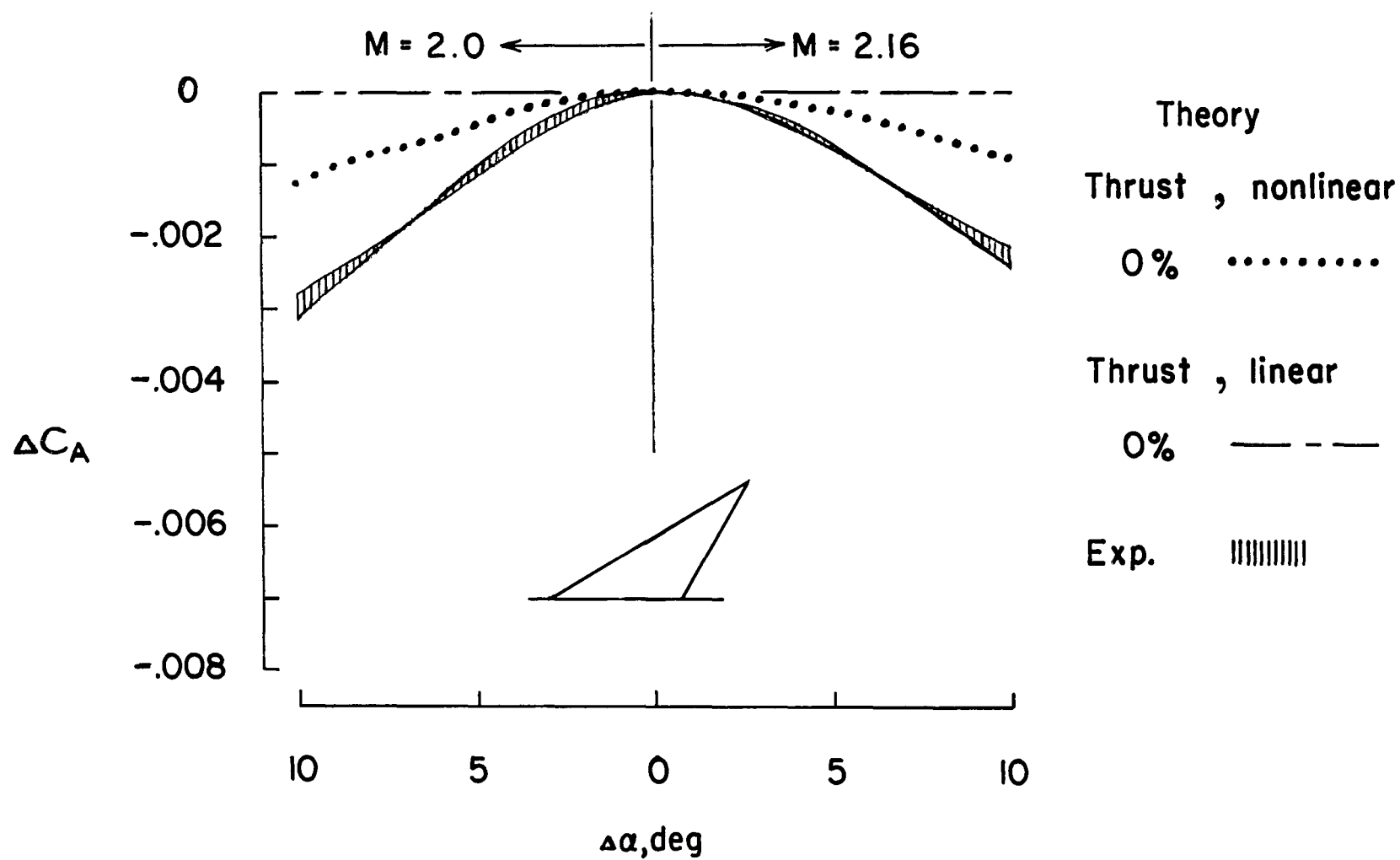
(b) Arrow wing; sharp leading edge;  $M = 2.0$  and  $2.16$ .

Figure 12.- Concluded.



(a) Arrow wing;  $(r/c)_{le} = 0.00235$ ;  $M = 1.6$  and  $1.8$ .

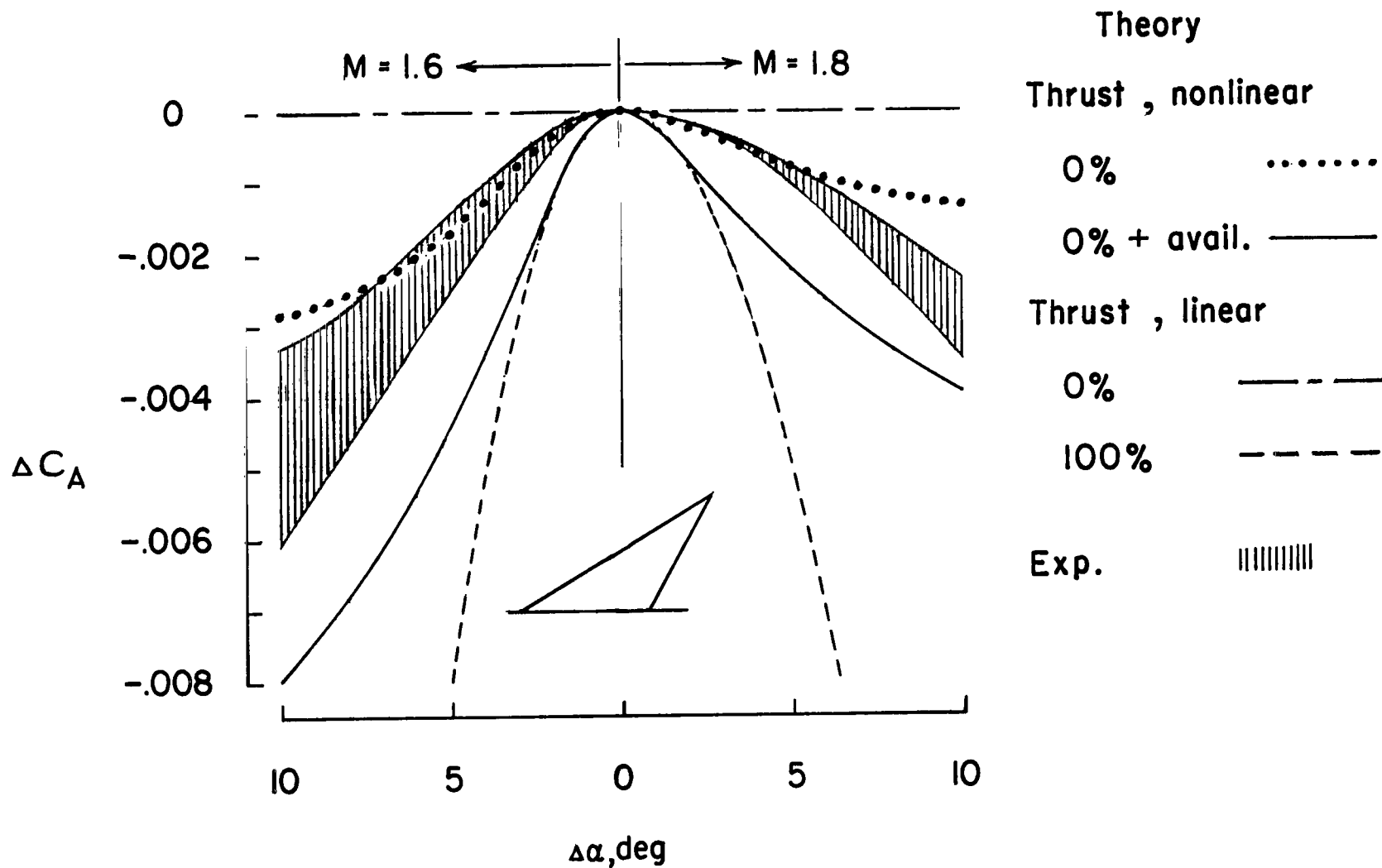
Figure 13.- Comparison of theoretical and experimental  $\Delta C_A$  for  $R = 2.0 \times 10^6$ .



(b) Arrow wing;  $(r/c)_{le} = 0.00235$ ;  $M = 2.0$  and  $2.16$ .

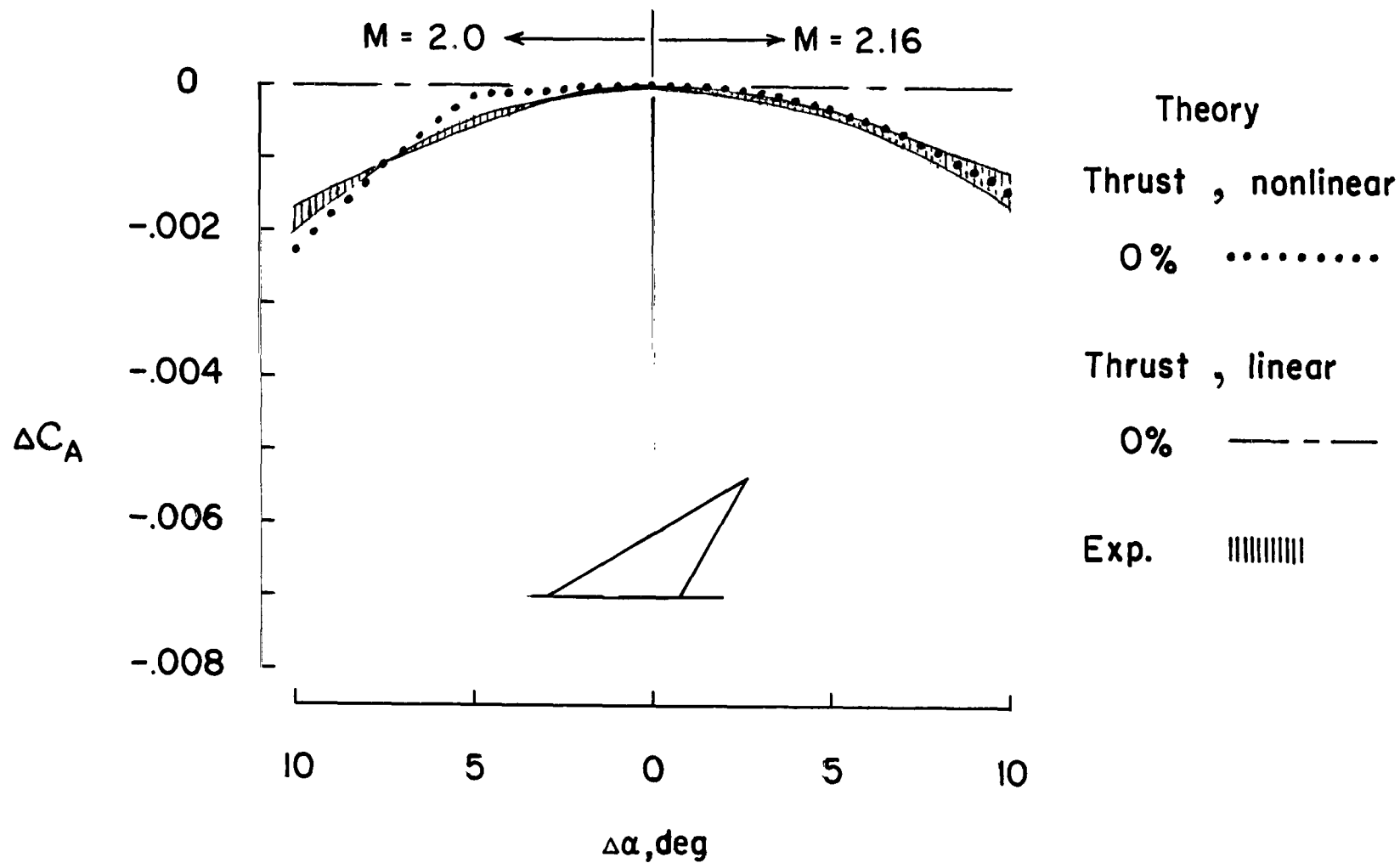
Figure 13.- Concluded.





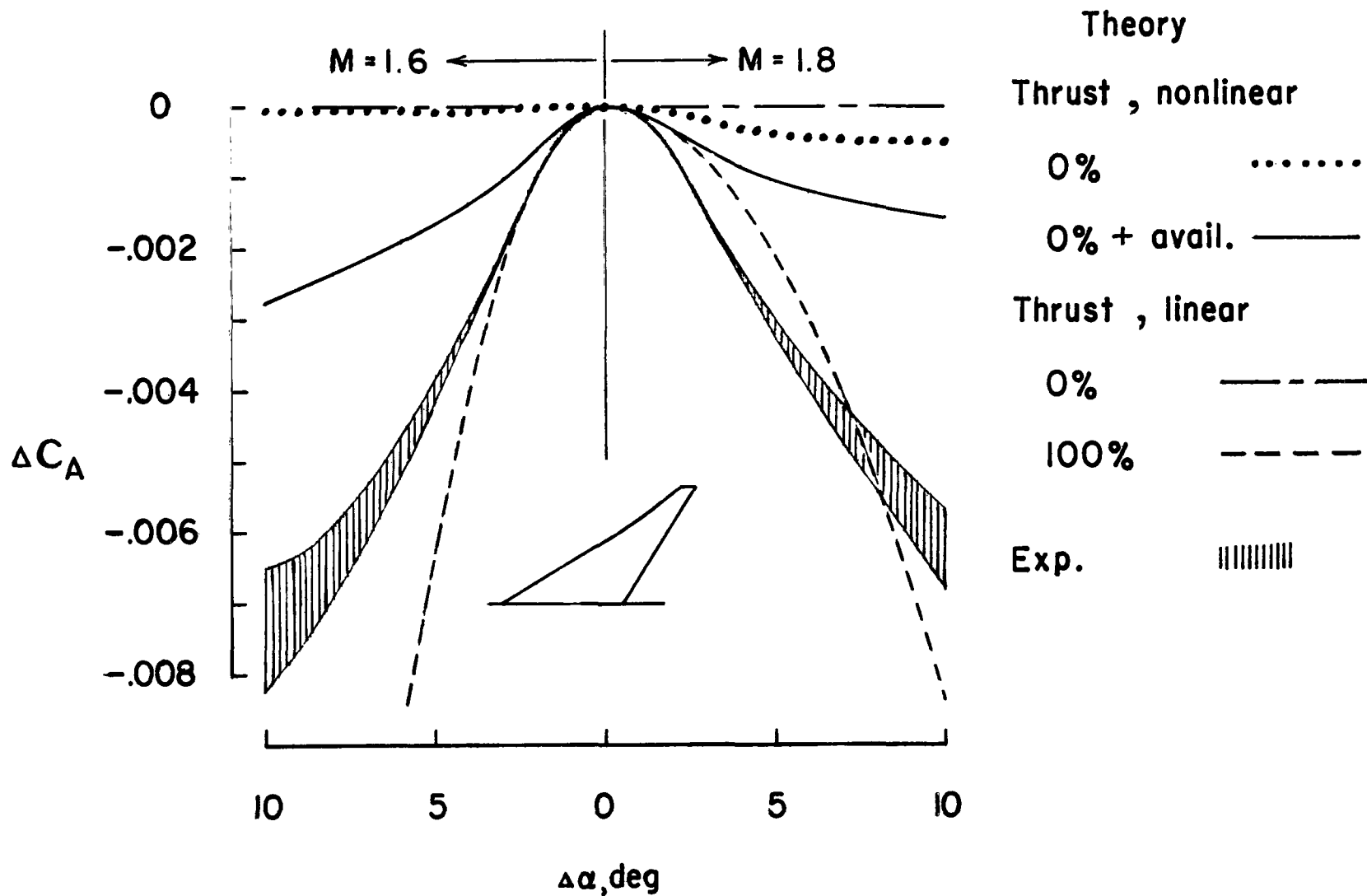
(a) Arrow wing;  $(r/c)_{le} = 0.00470$ ;  $M = 1.6$  and  $1.8$ .

Figure 14.- Comparison of theoretical and experimental  $\Delta C_A$  for  $R = 2.0 \times 10^6$ .



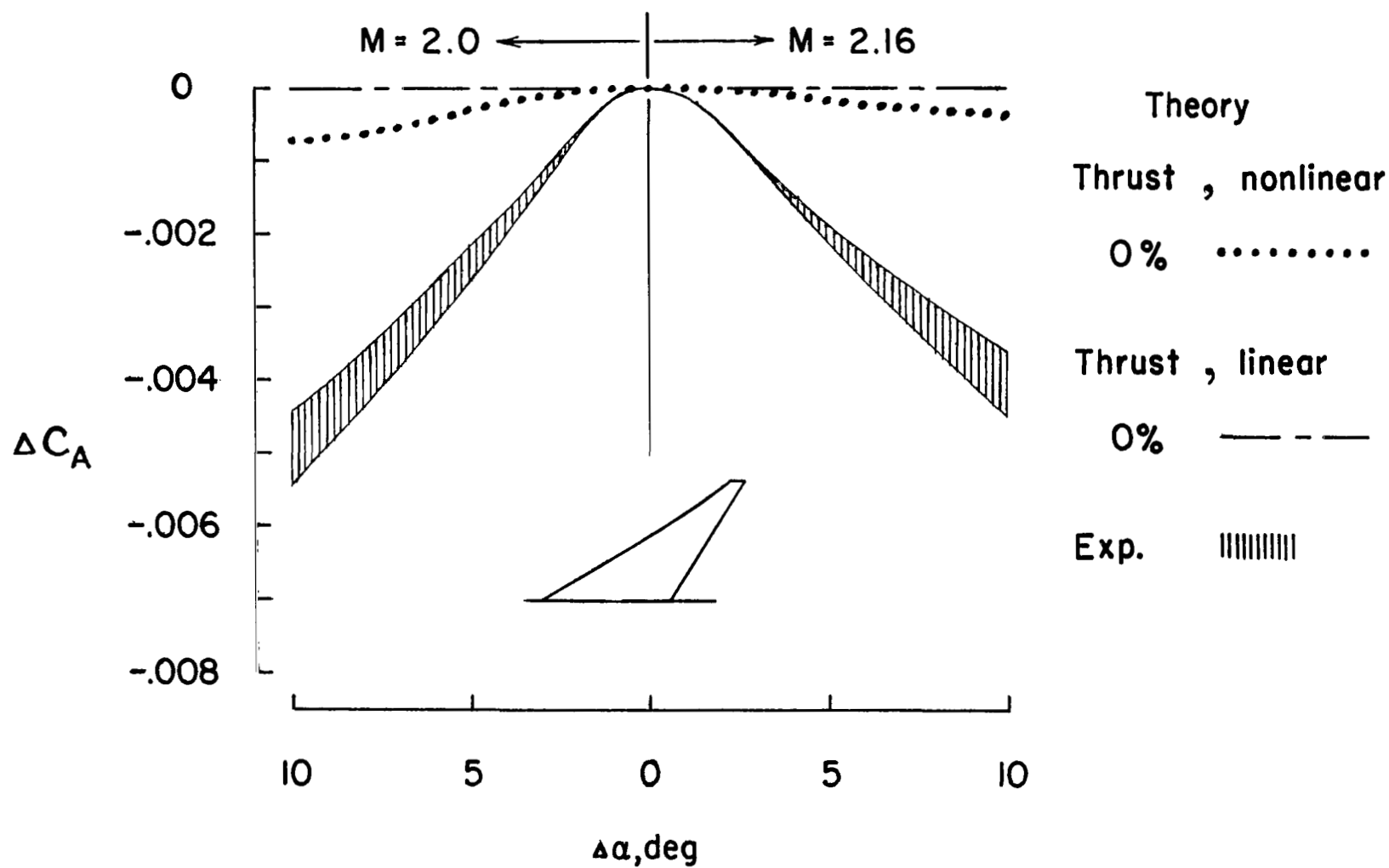
(b) Arrow wing;  $(r/c)_{1e} = 0.00470$ ;  $M = 2.0$  and  $2.16$ .

Figure 14.- Concluded.



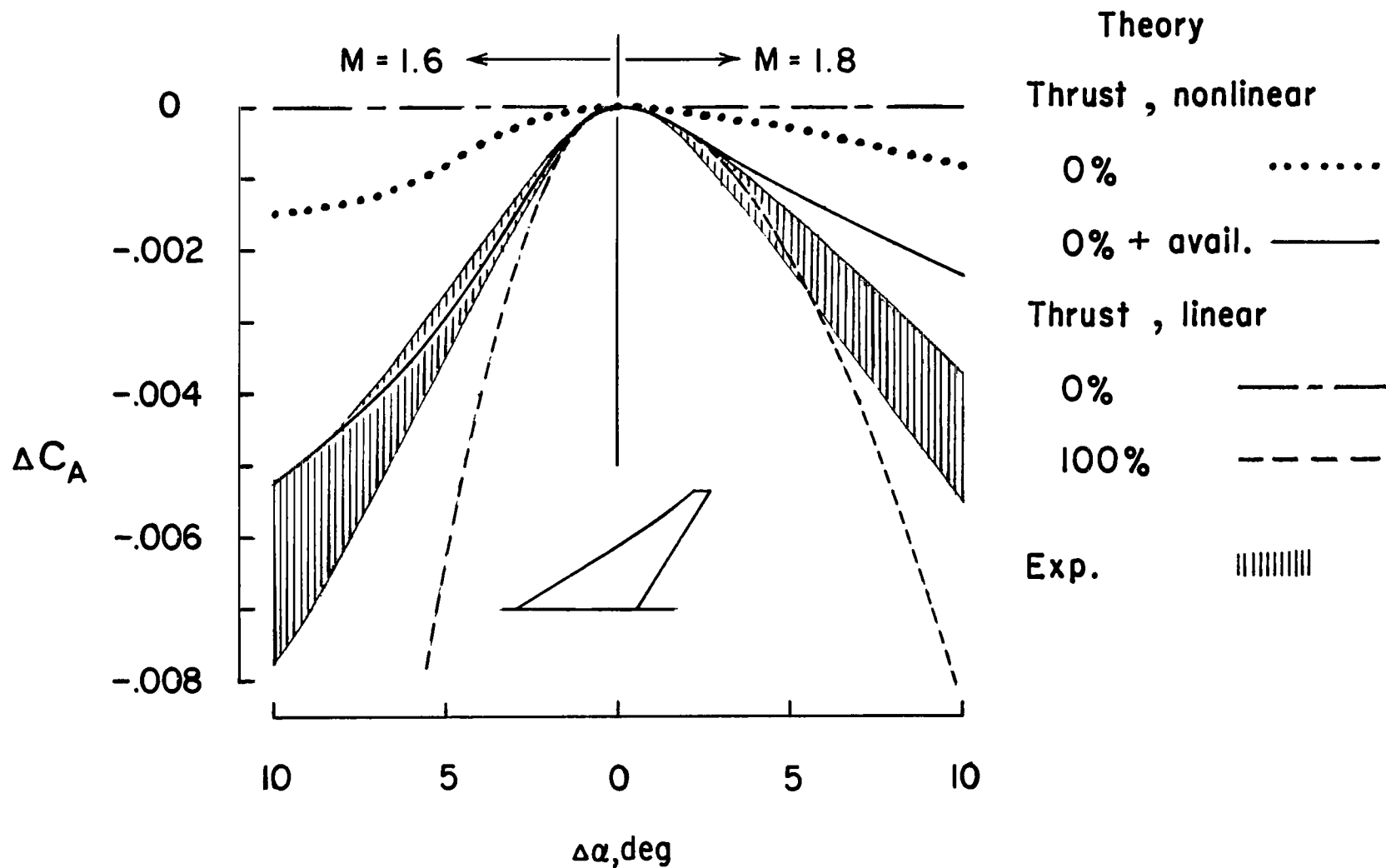
(a) Modified arrow wing; sharp leading edge;  $M = 1.6$  and  $1.8$ .

Figure 15.- Comparison of theoretical and experimental  $\Delta C_A$  for  $R = 2.0 \times 10^6$ .



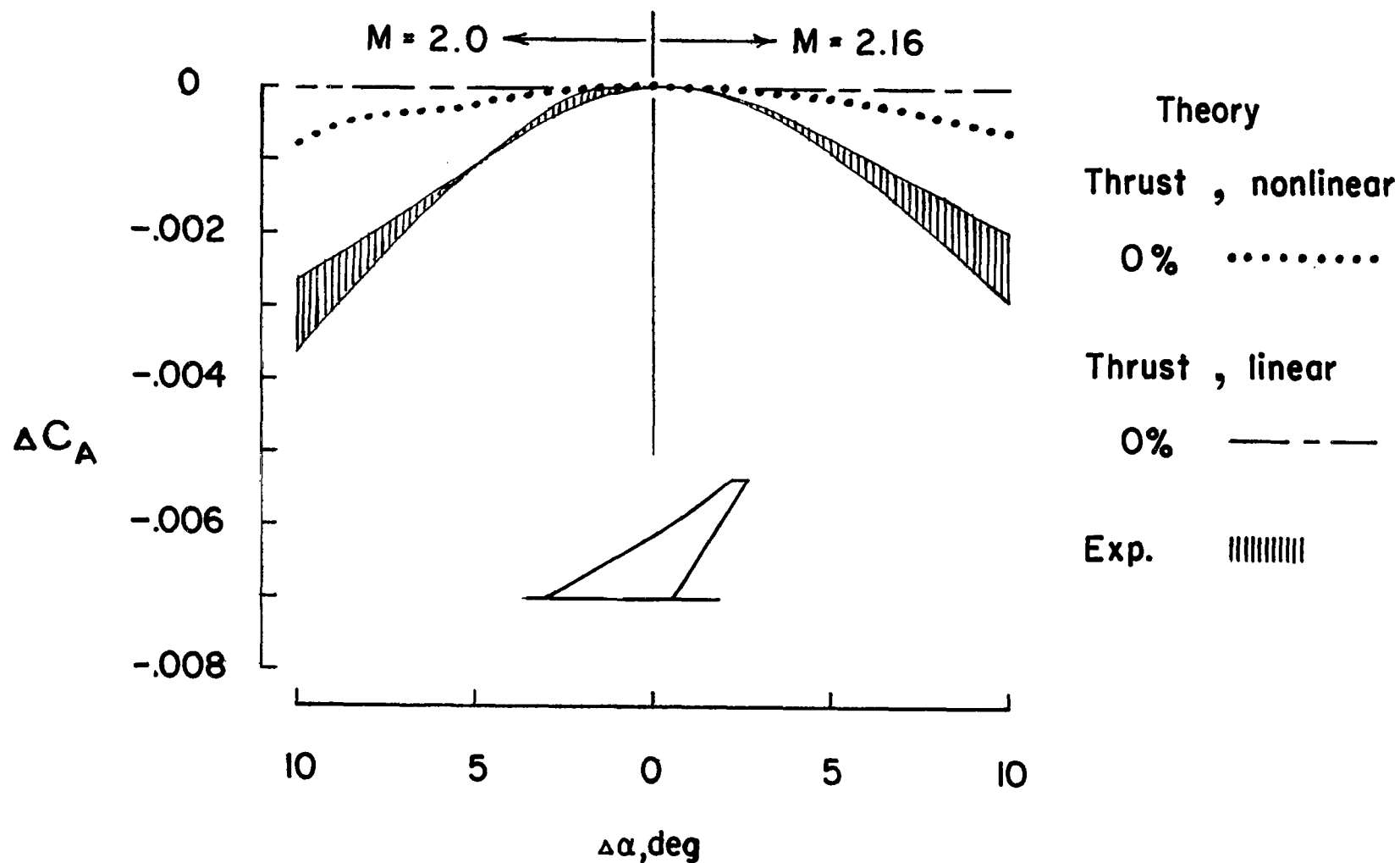
(b) Modified arrow wing; sharp leading edge;  $M = 2.0$  and  $2.16$ .

Figure 15.- Concluded.



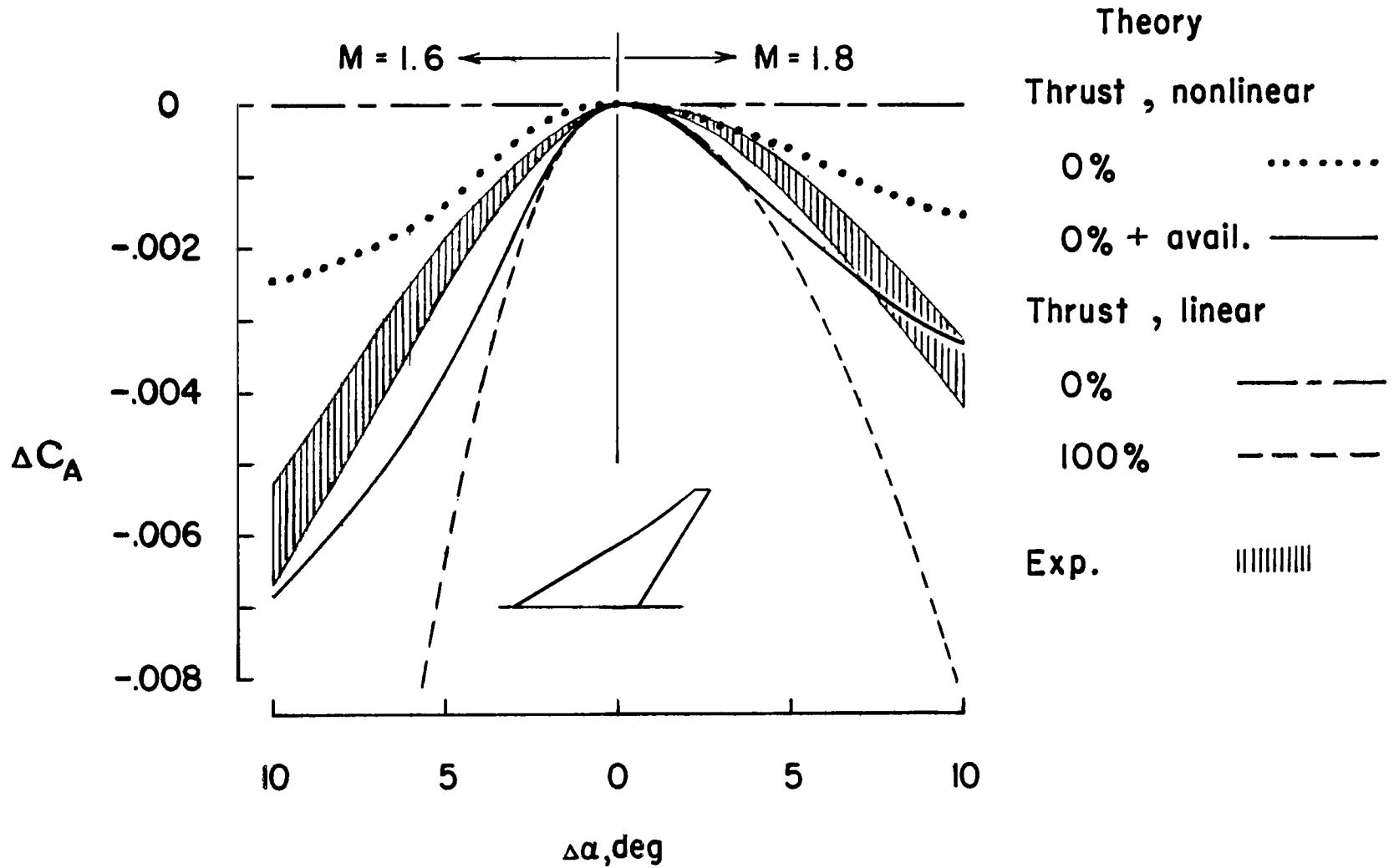
(a) Modified arrow wing;  $(r/c)_{1e} = 0.00235$ ;  $M = 1.6$  and  $1.8$ .

Figure 16.- Comparison of theoretical and experimental  $\Delta C_A$  for  $R = 2.0 \times 10^6$ .



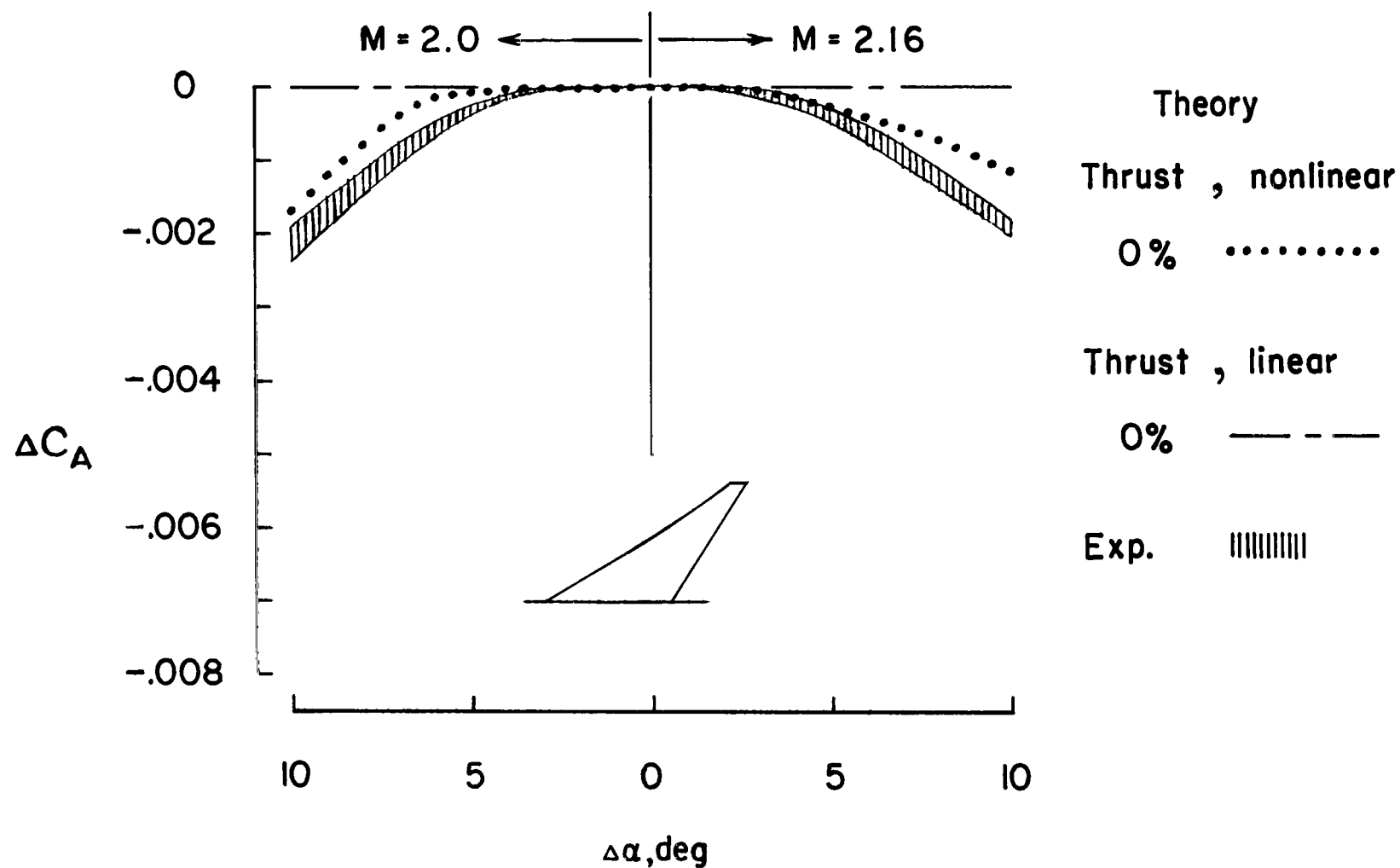
(b) Modified arrow wing;  $(r/c)_{le} = 0.00235$ ;  $M = 2.0$  and  $2.16$ .

Figure 16.- Concluded.



(a) Modified arrow wing;  $(r/c)_{le} = 0.00470$ ;  $M = 1.6$  and  $1.8$ .

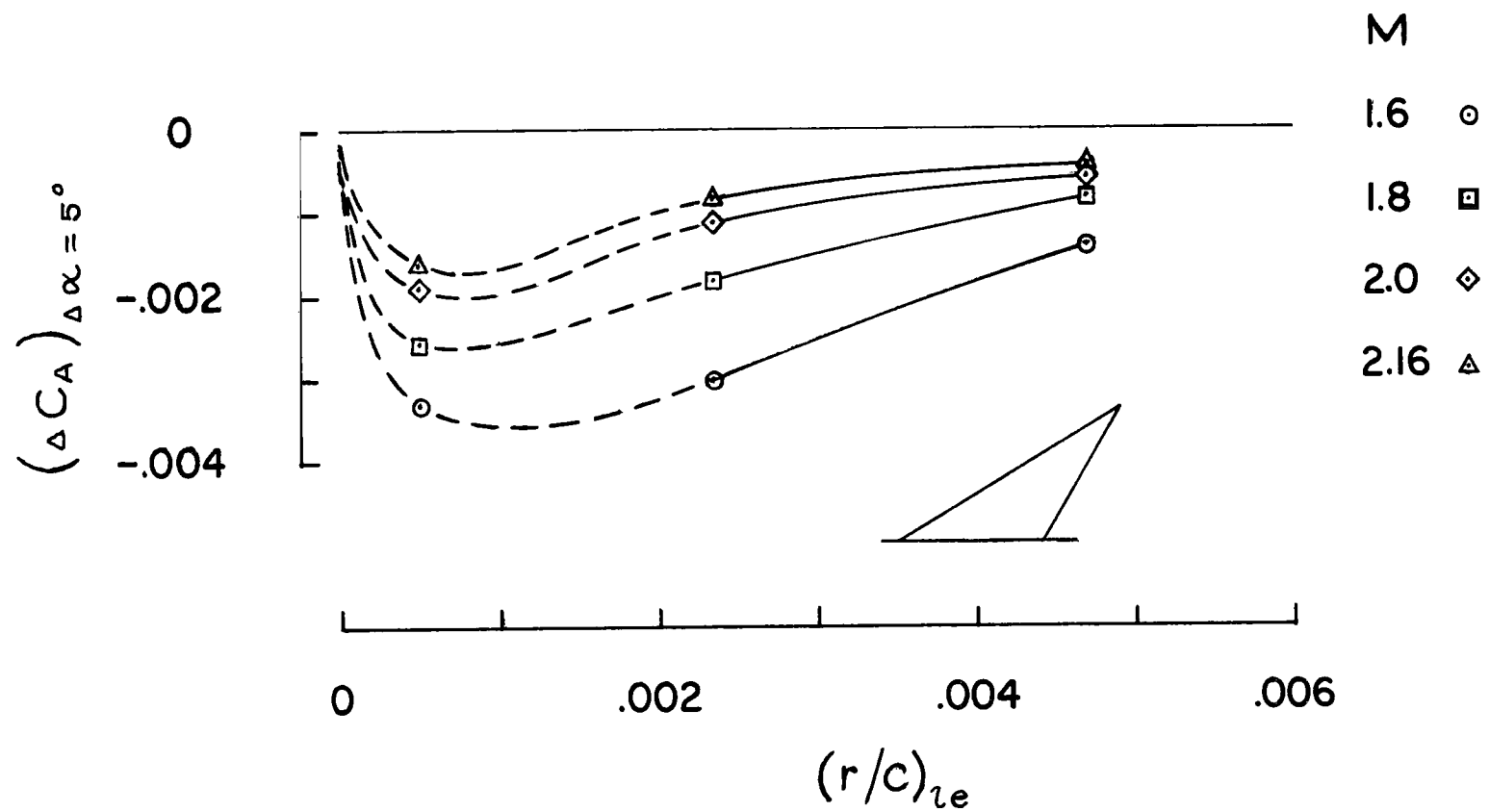
Figure 17.- Comparison of theoretical and experimental  $\Delta C_A$  for  $R = 2.0 \times 10^6$ .



(b) Modified arrow wing;  $(r/c)_{le} = 0.00470$ ;  $M = 2.0$  and  $2.16$ .

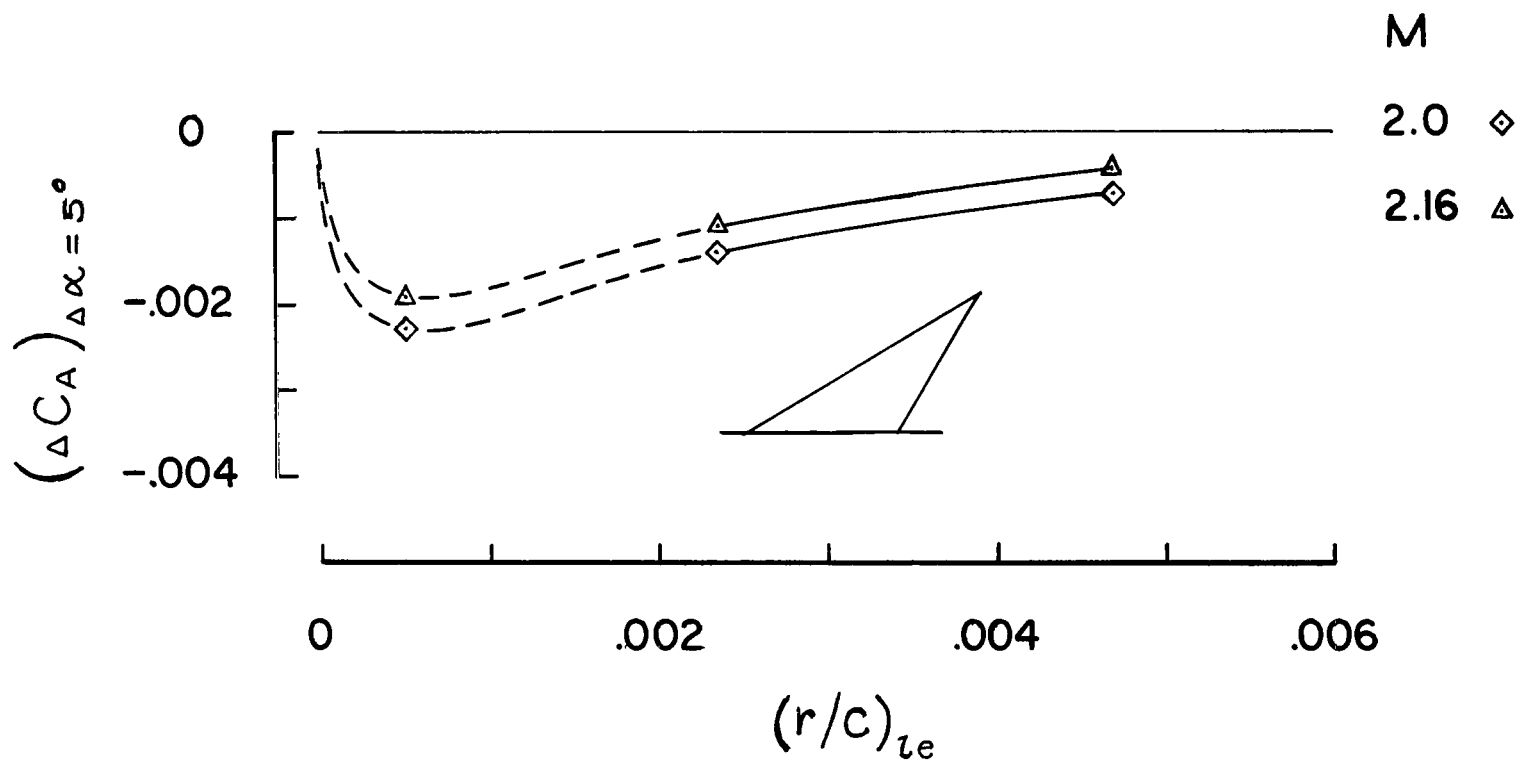
Figure 17.- Concluded.





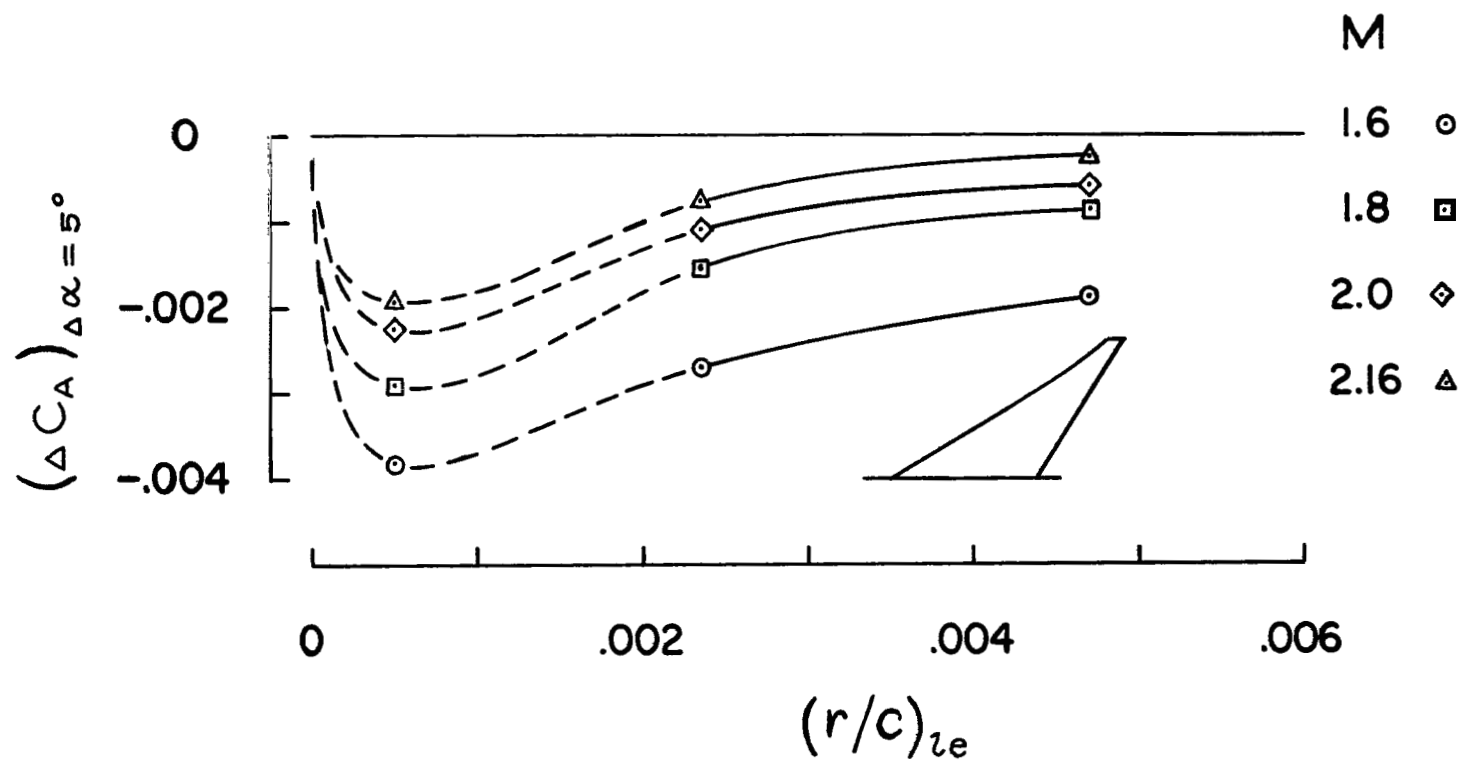
(a) Arrow wing at  $R = 2.0 \times 10^6$ .

Figure 18.- Effect of leading-edge bluntness on  $\Delta C_A$ .



(b) Arrow wing at  $R = 5.0 \times 10^6$ .

Figure 18.- Continued.



(c) Modified arrow wing at  $R = 2.0 \times 10^6$ .

Figure 18.- Concluded.

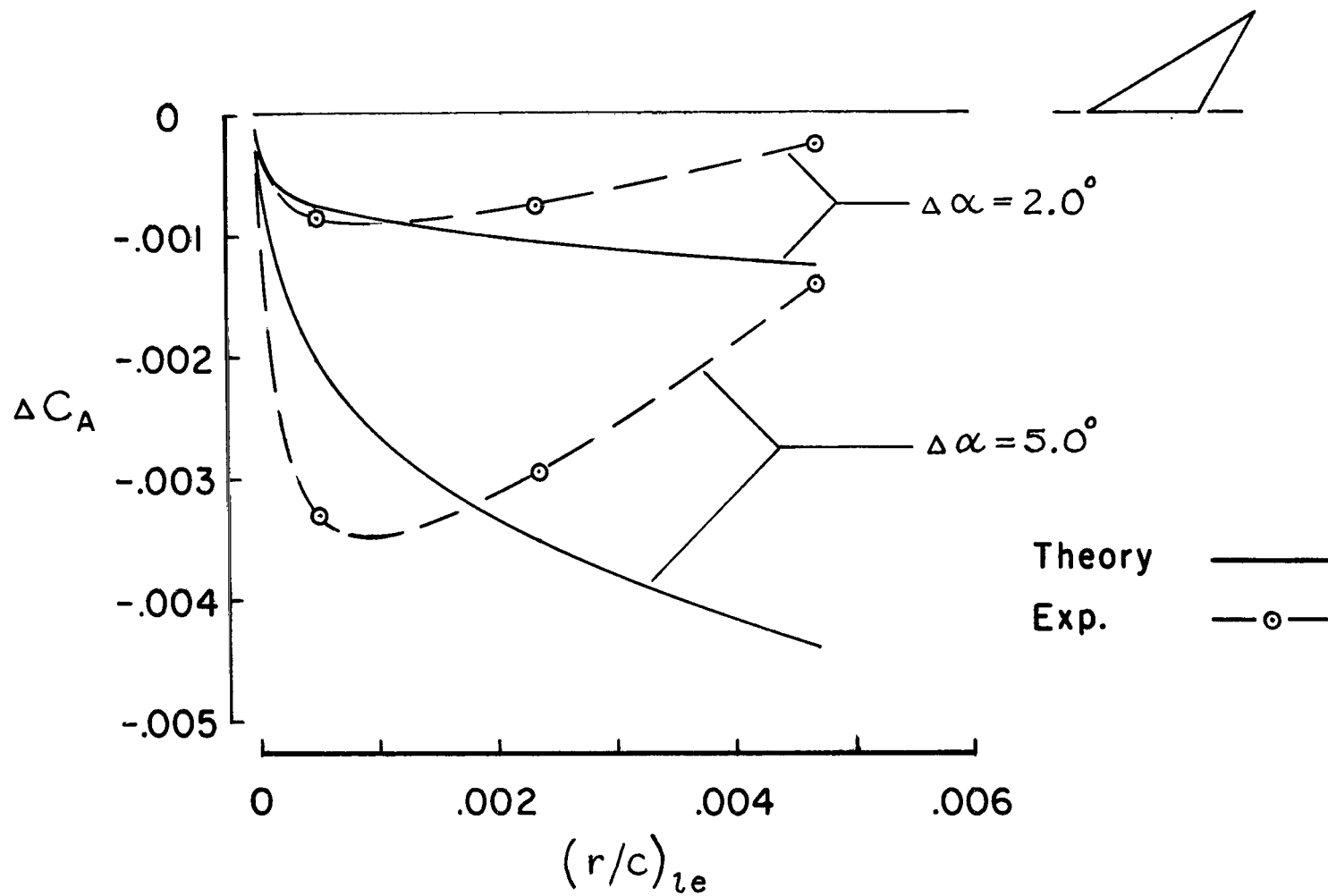


Figure 19.- Comparison of theory and experiment for arrow wing at  $M = 1.6$  and  $R = 2.0 \times 10^6$ .

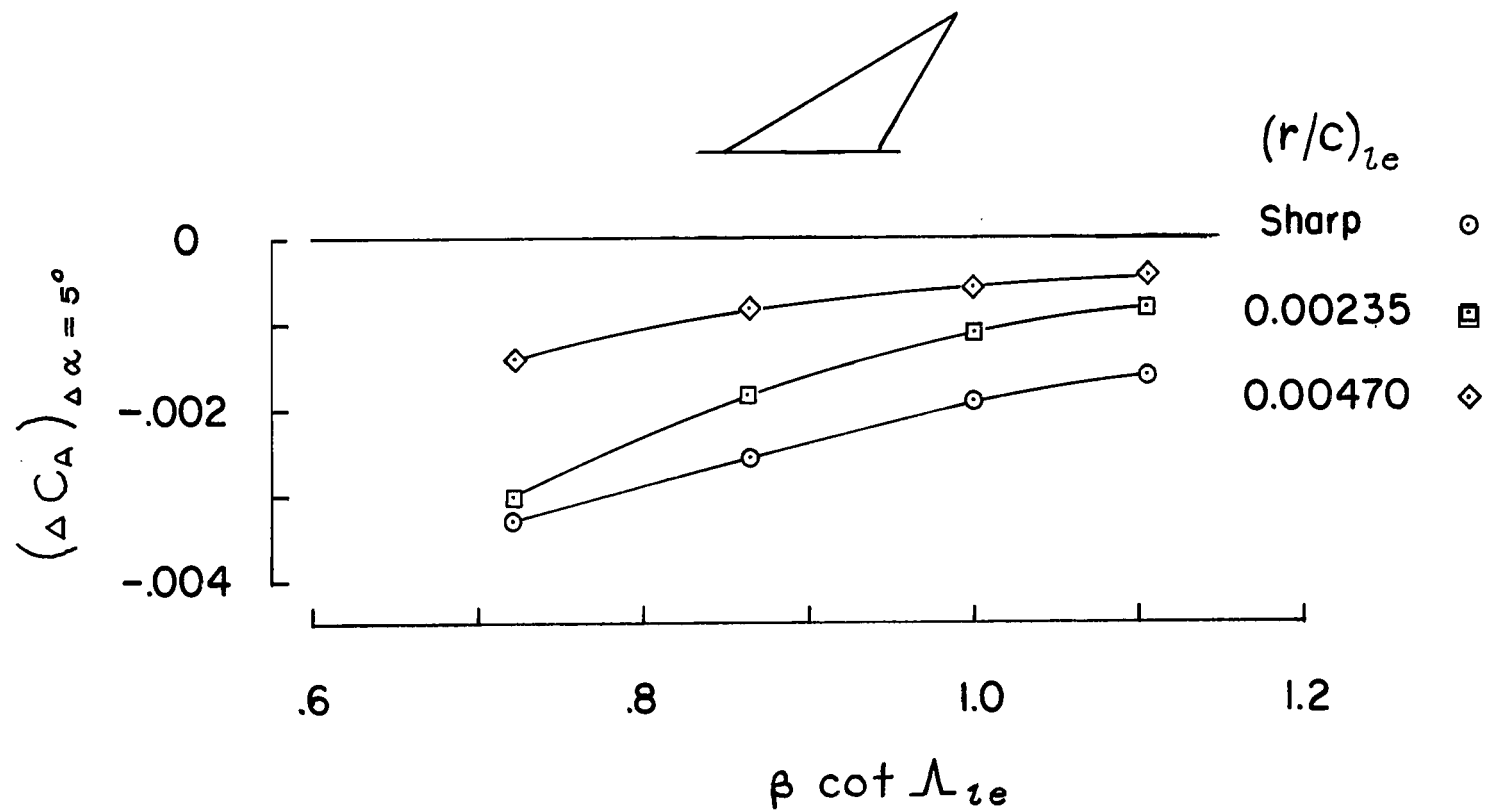


Figure 20.- Effect of sweep parameter  $\beta \cot \Lambda_{1e}$  on  $\Delta C_A$  at  $R = 2.0 \times 10^6$ .

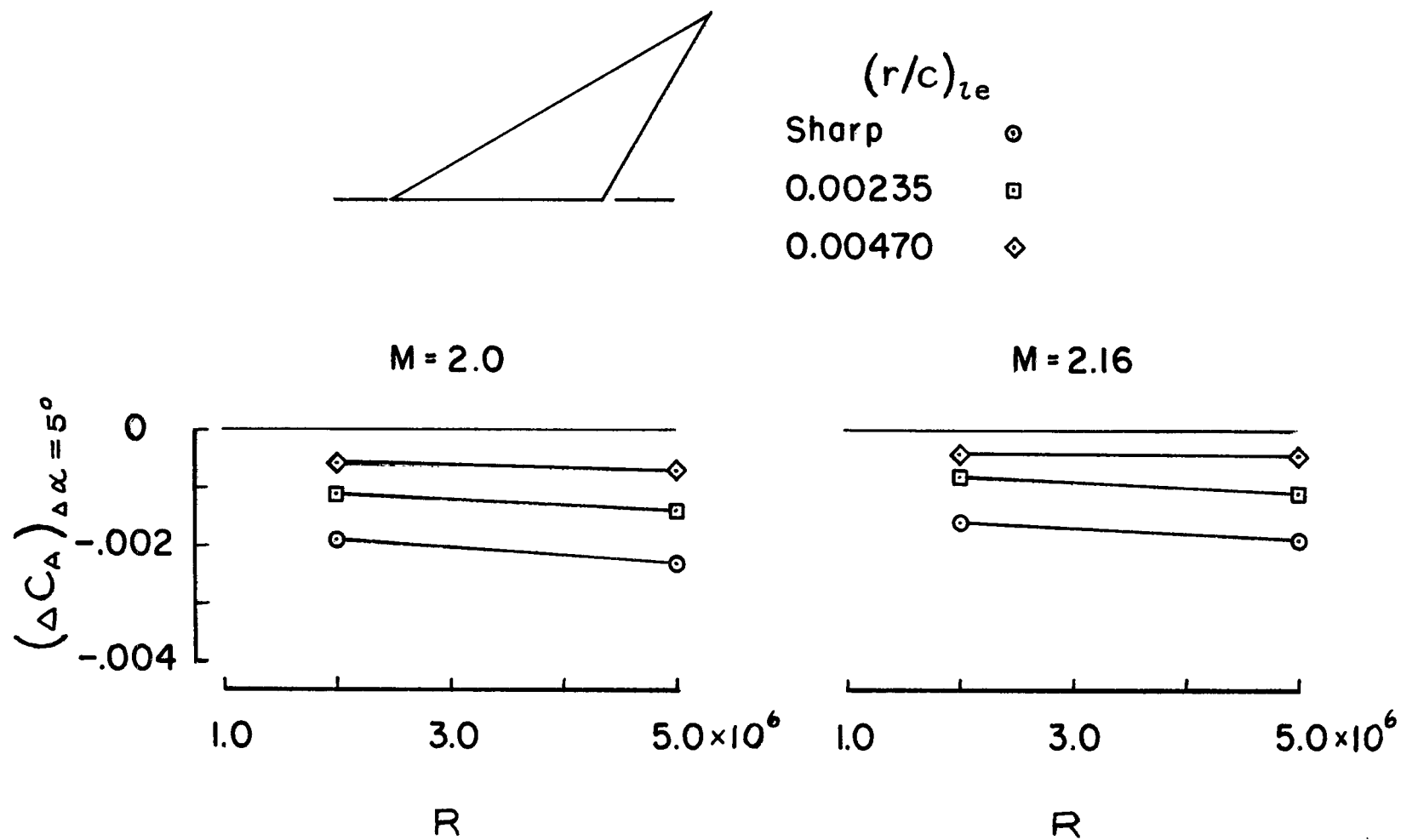
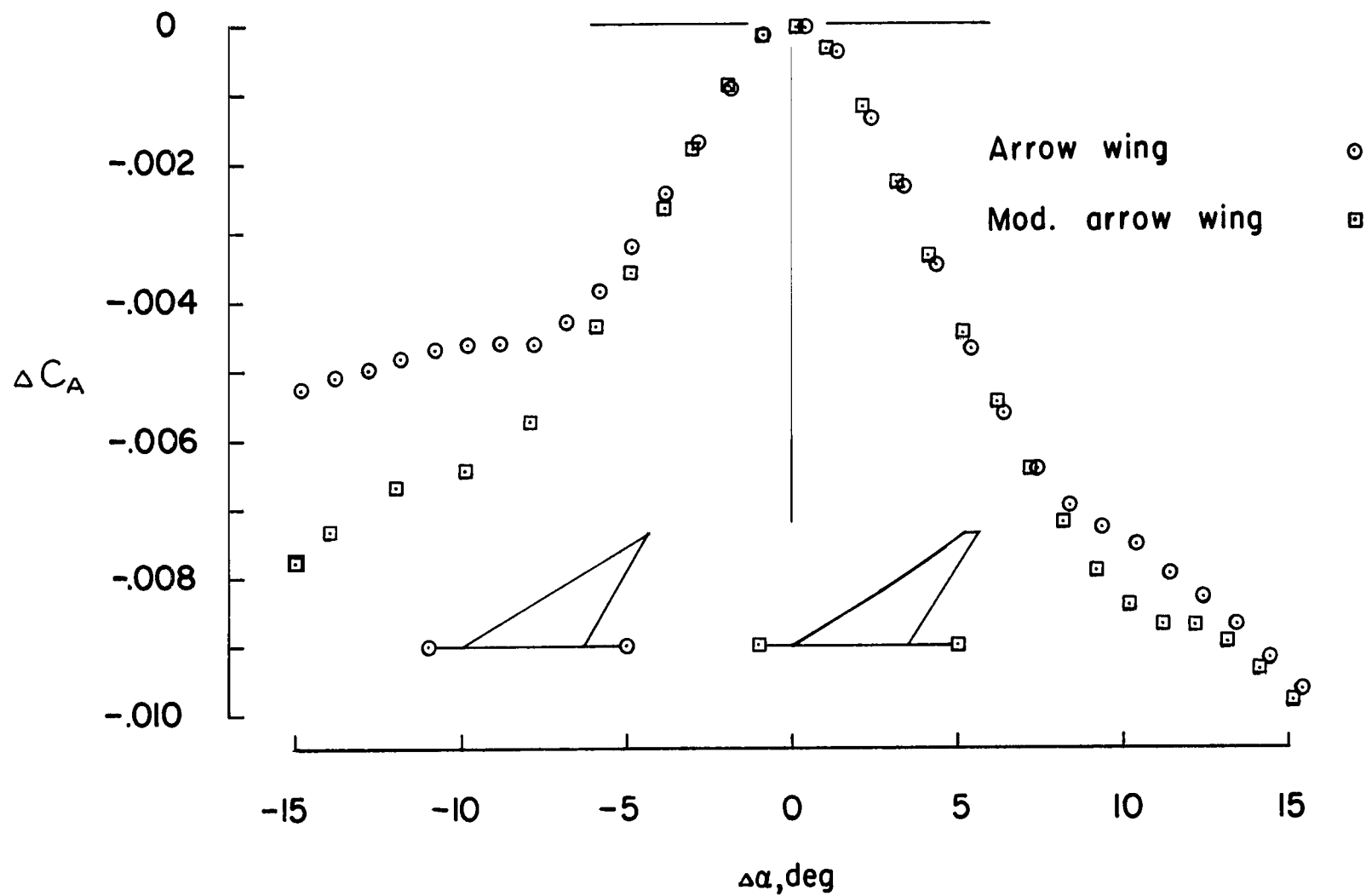
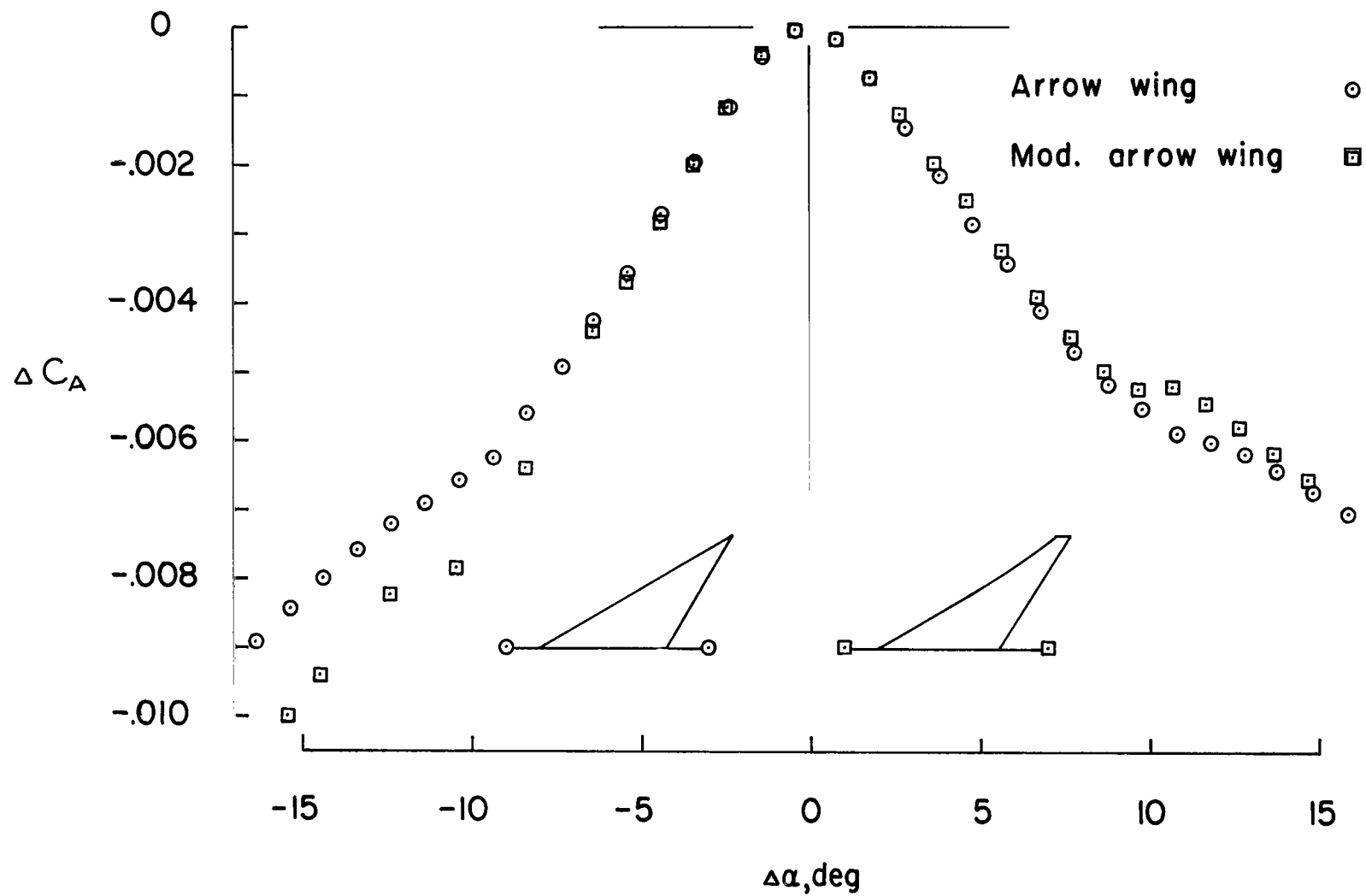


Figure 21.- Effect of Reynolds number on  $\Delta C_A$  for arrow wings.



(a) Sharp leading edge.

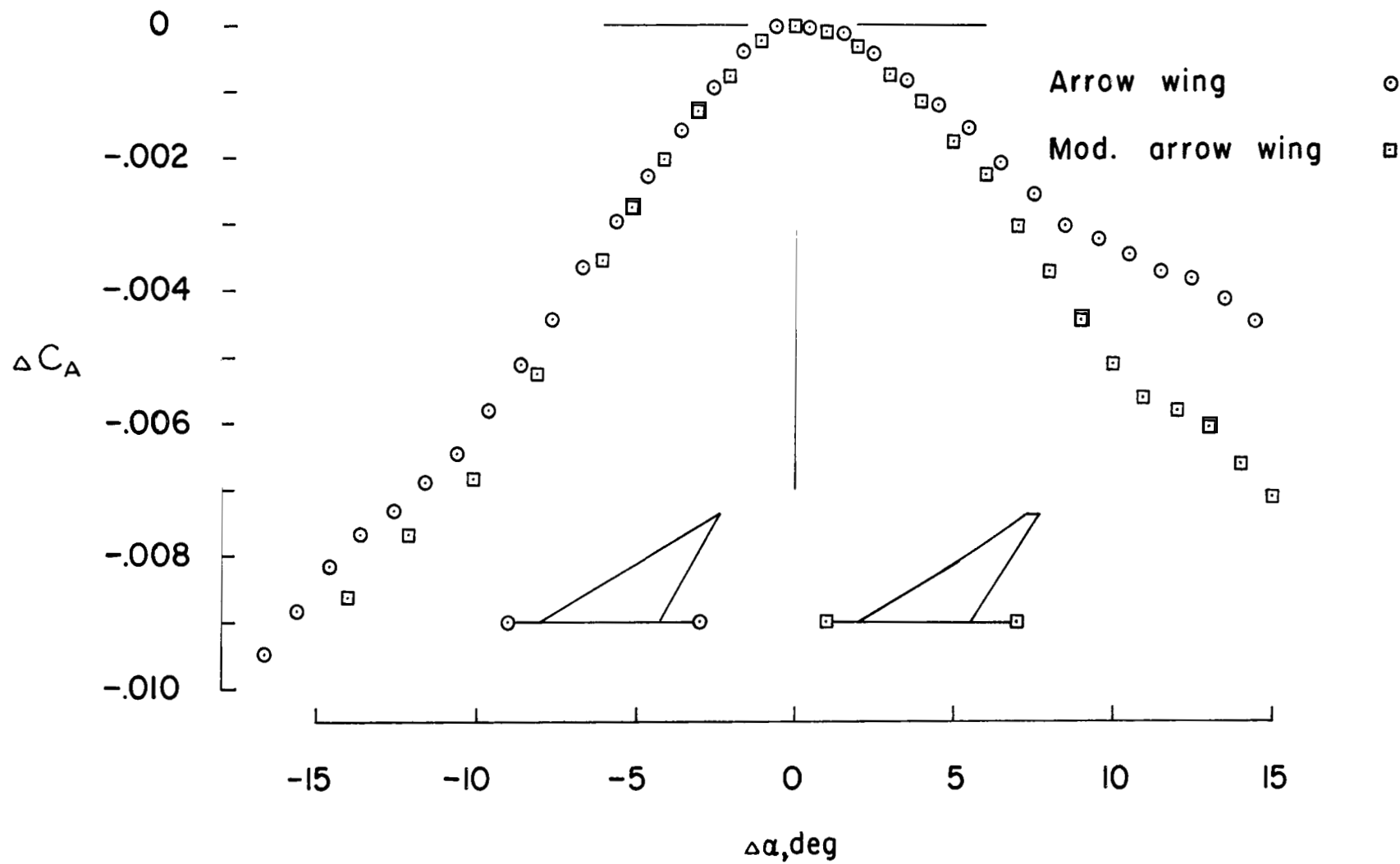
Figure 22.- Effect of planform on  $\Delta C_A$  at  $M = 1.6$  and  $R = 2.0 \times 10^6$ .



(b)  $(r/c)_{1e} = 0.00235$ .

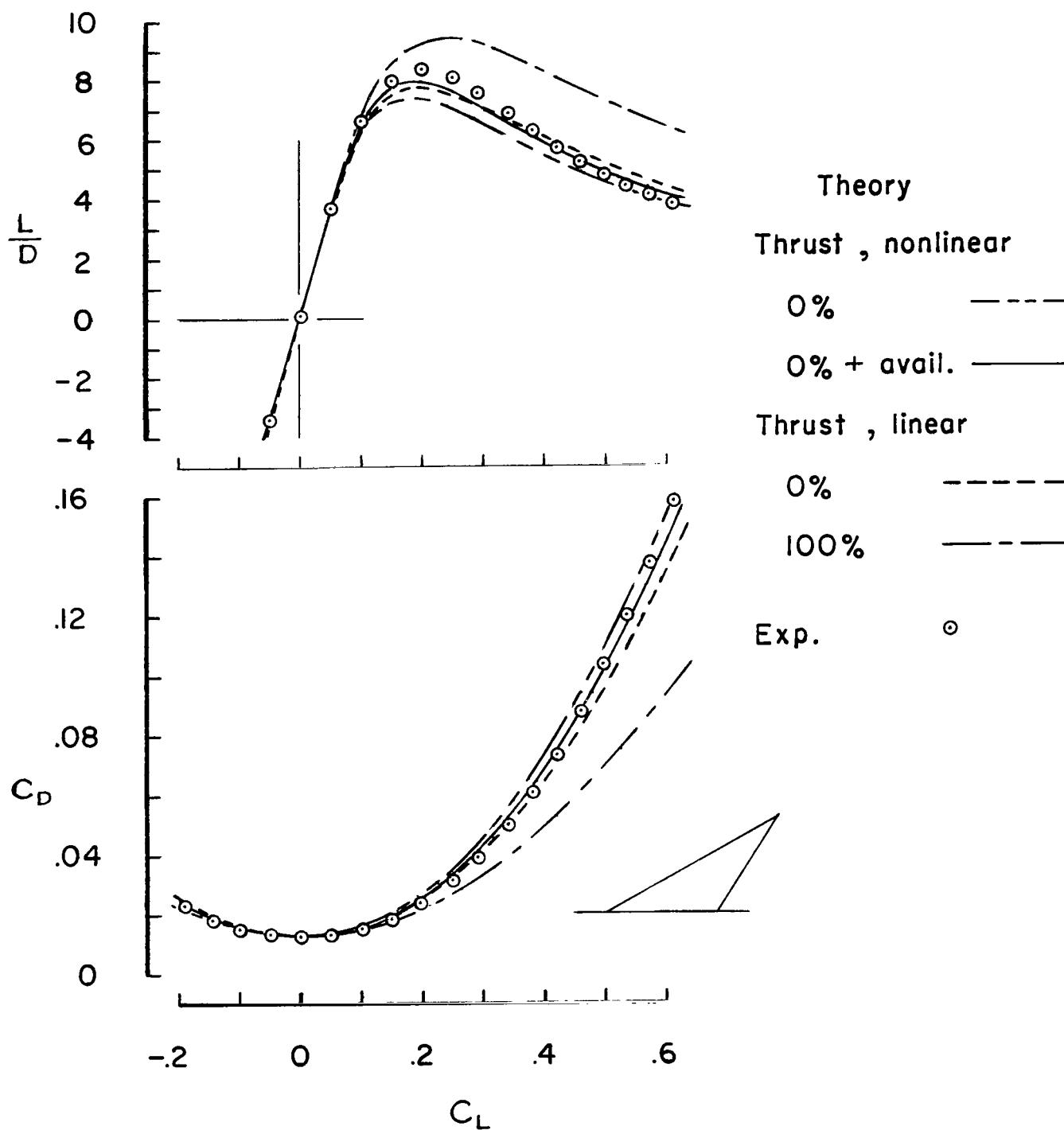
Figure 22.- Continued.





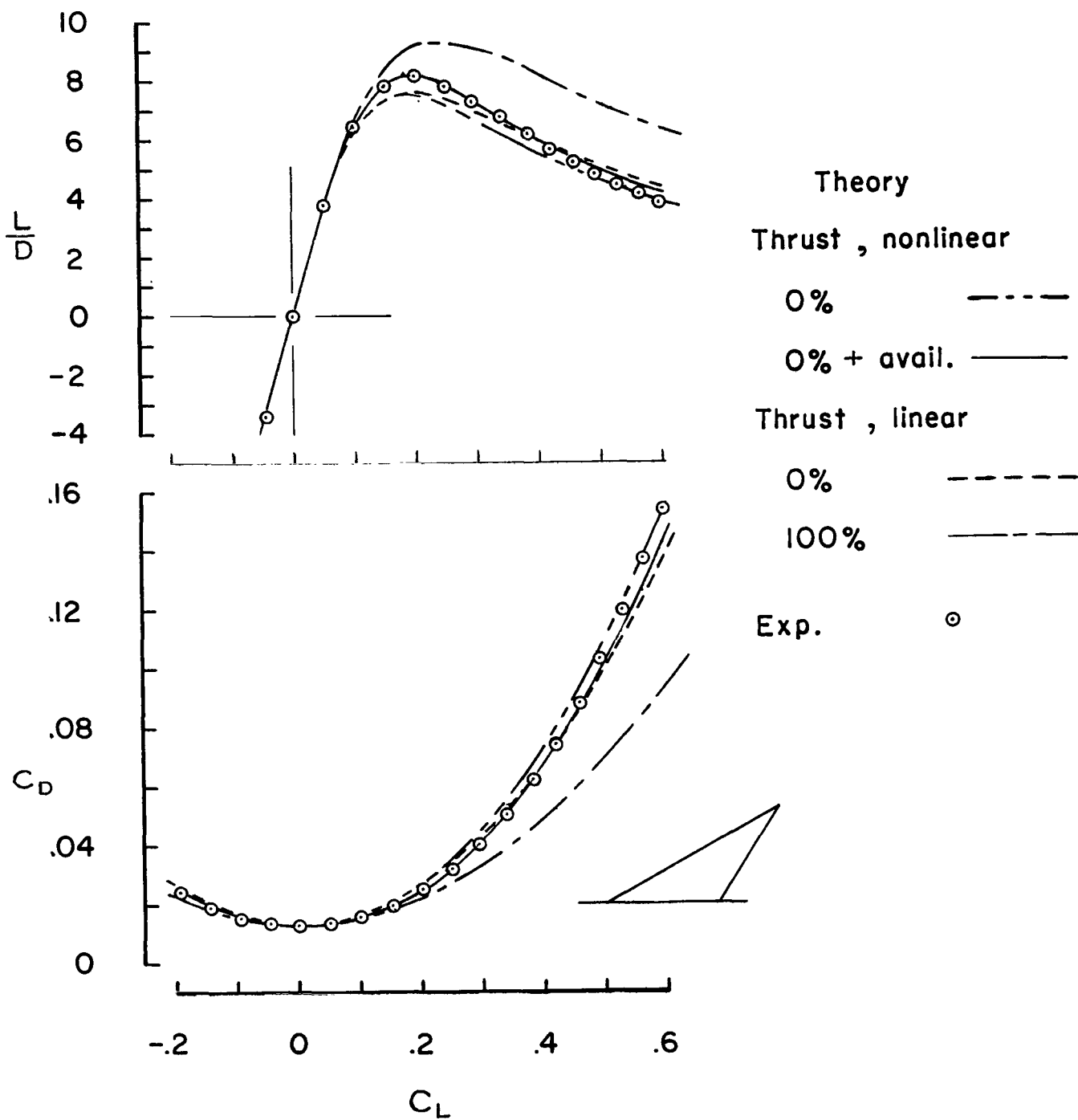
(c)  $(r/c)_{1e} = 0.00470$ .

Figure 22.- Concluded.



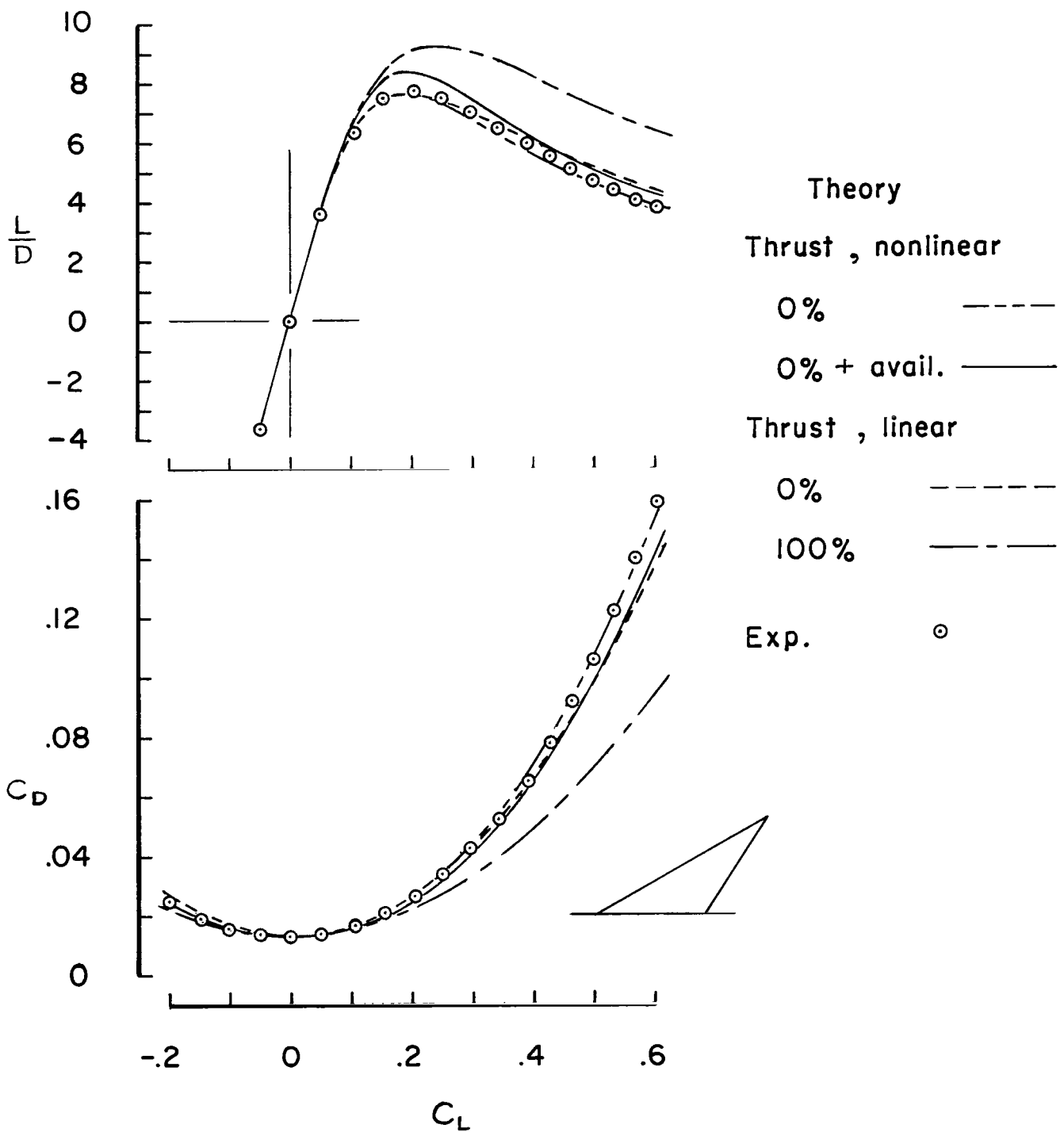
(a) Arrow wing with sharp leading edge.

Figure 23.- Comparison of theoretical and experimental wing performance at  $M = 1.6$  and  $R = 2.0 \times 10^6$ .



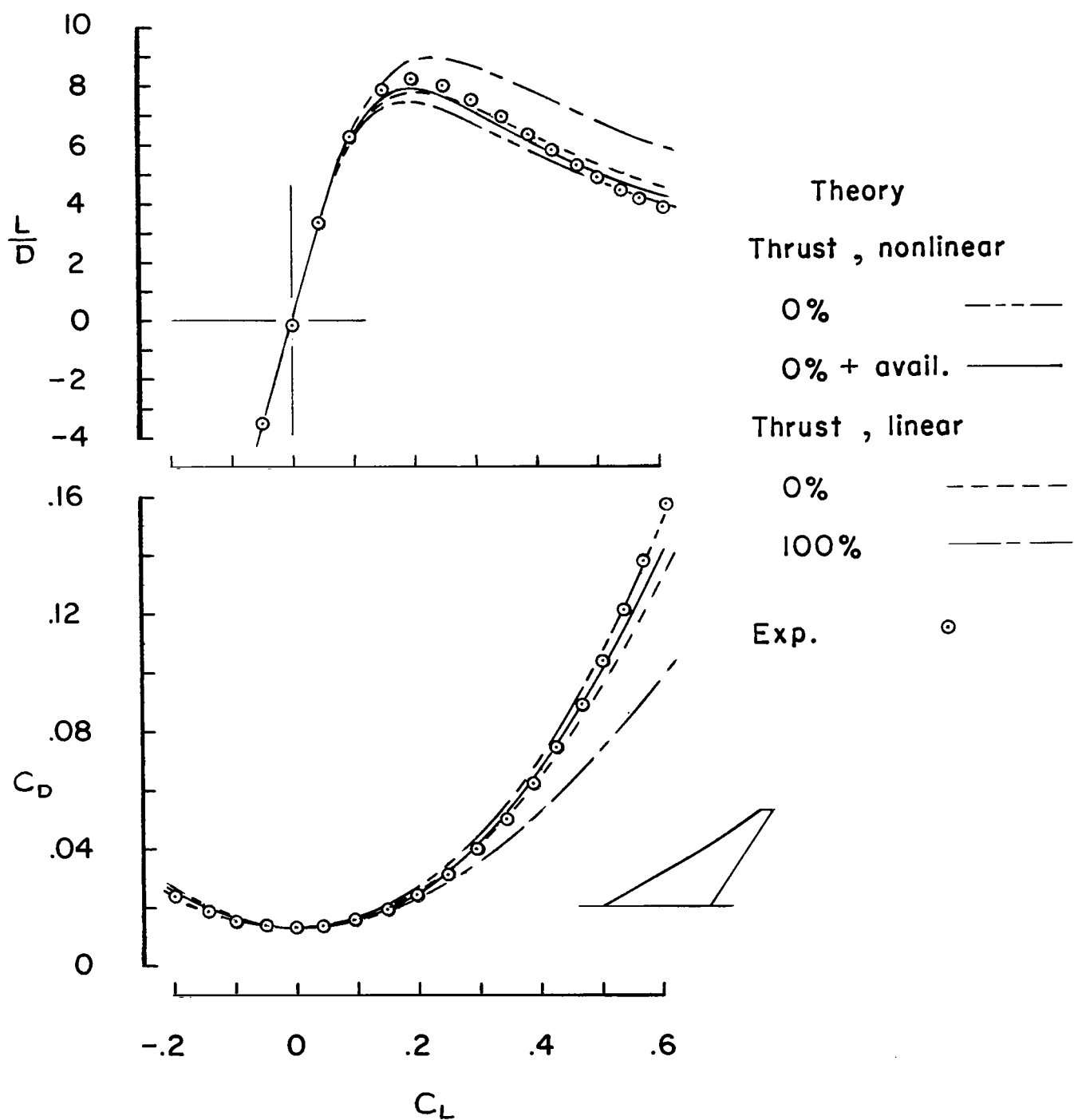
(b) Arrow wing with  $(r/c)_{1e} = 0.00235$ .

Figure 23.- Continued.



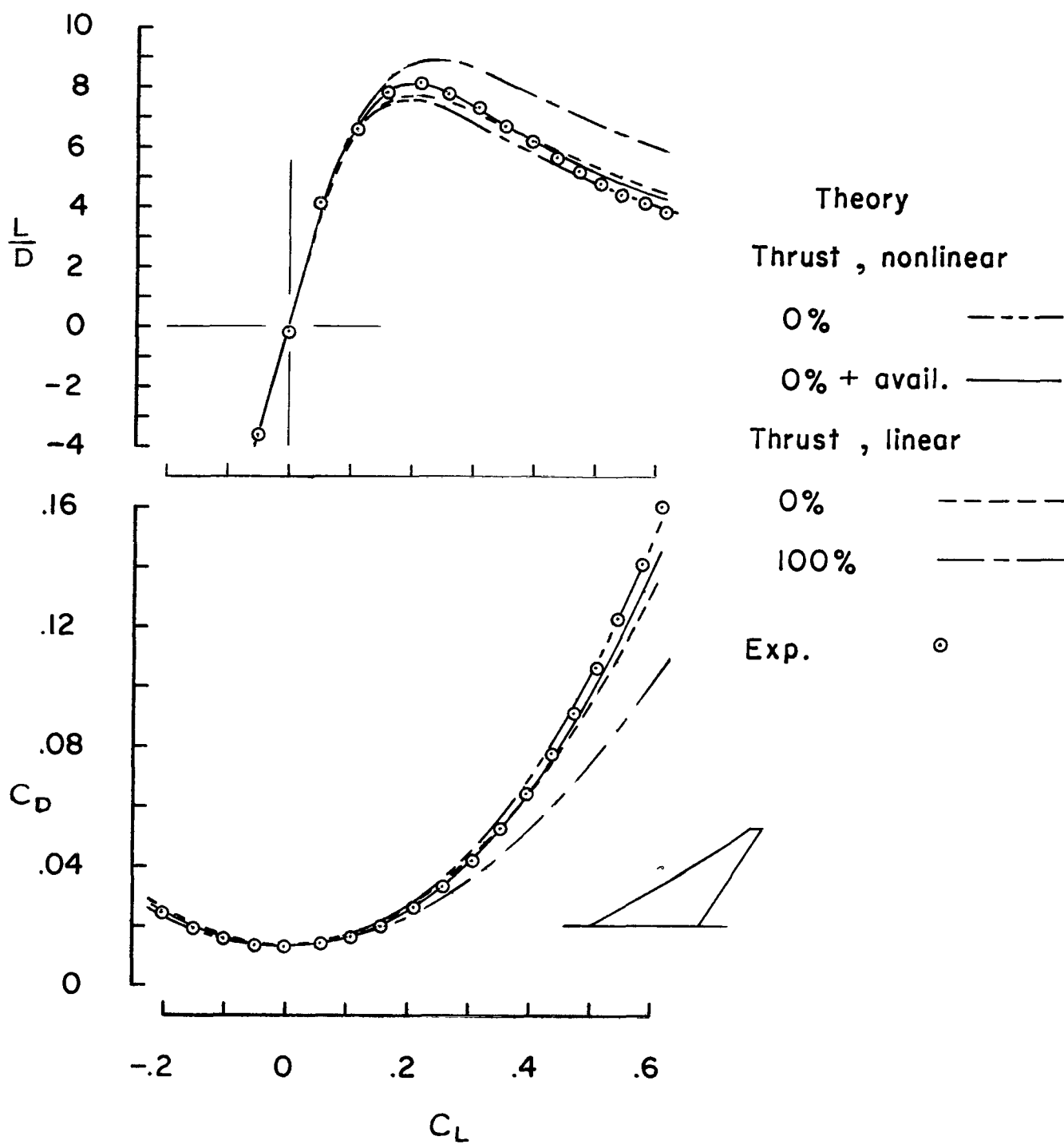
(c) Arrow wing with  $(r/c)_{le} = 0.00470$ .

Figure 23.- Continued.



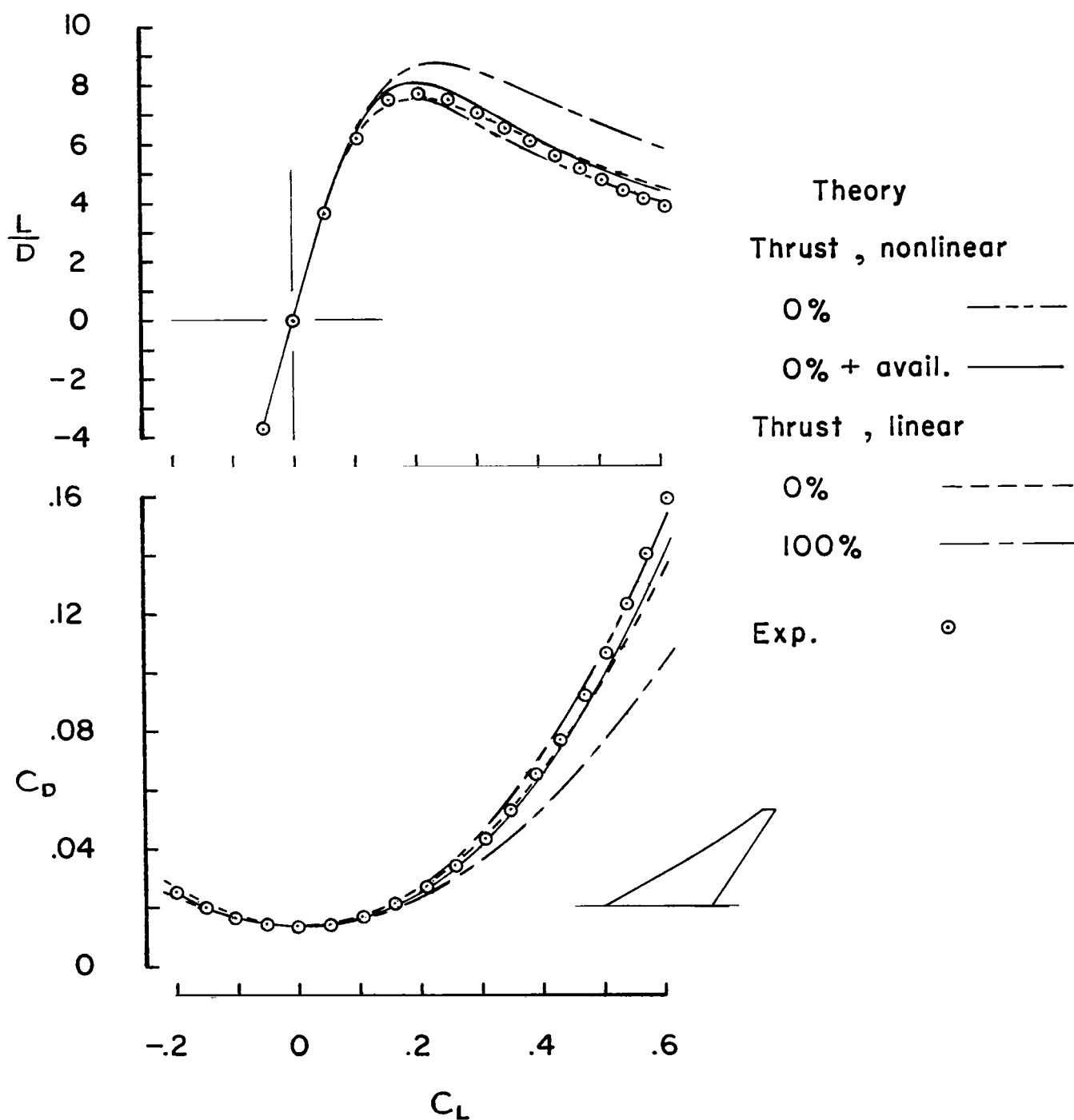
(d) Modified arrow wing with sharp leading edge.

Figure 23.- Continued.



(e) Modified arrow wing with  $(r/c)_{1e} = 0.00235$ .

Figure 23.- Continued.



(f) Modified arrow wing with  $(r/c)_{1e} = 0.00470$ .

Figure 23.- Concluded.

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16. Abstract  Six wing models were tested in the Langley Unitary Plan Wind Tunnel to identify and study leading-edge thrust at supersonic speeds. The tests were conducted at Mach numbers of 1.6, 1.8, 2.0, and 2.16, at a stagnation temperature of 125.0°F, and at Reynolds numbers per foot of $2.0 \times 10^6$ and $5.0 \times 10^6$ . Test results showed that significant benefits from leading-edge thrust and nonlinear thickness effects can be obtained with very little airfoil bluntness, that these benefits were lost when the airfoil was severely blunted, and that such benefits seem to be found on wings with supersonic as well as subsonic leading edges.				13. Type of Report and Period Covered Technical Paper	
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